

**Year 4**

**Arithmetic**

**Workbook**

by **Richard Brown**

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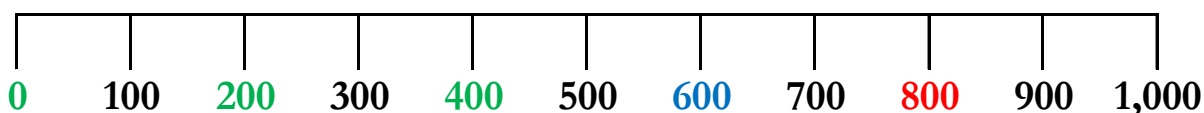
## Key Language and Representations

**Word Problems** are the arithmetic number sentences written in a real-life reasoning and problem solving scenario.

**Concrete Objects** are manipulated or handled to calculate and represent a number sentence i.e. counters, multilink cubes, fraction tiles, metric rulers

e.g.  $2,000 + 3,000 = 5,000$   +  = 

**Metric Ruler** used to count forwards e.g. 0, 6, 12, 18, 24, 30 and also to count backwards e.g. 54, 45, 36, 27, 18, 9.



**Column Addition** is the formal written method of adding two or more numbers together, using a vertical arrangement in a columnar format, with regrouping.

<u>100s</u>	<u>10s</u>	<u>1s</u>
4	2	0
2	3	0
+	1	4
0	0	0
7	9	0

<u>1,000s</u>	<u>100s</u>	<u>10s</u>	<u>1s</u>
5,000	200	70	4
2,000	100	50	8
+	7,000	400	30
	2		
	100	10	

<u>1,000s</u>	<u>100s</u>	<u>10s</u>	<u>1s</u>
6	3	8	5
1	2	4	7
+	7	6	3
	2		2
	1	1	

**Column Subtraction** is the formal written method of subtracting a smaller number from a bigger number, using a vertical arrangement in a columnar format, with regrouping.

<u>10s</u>	<u>1s</u>
1	5
-	4
1	1

<u>1,000s</u>	<u>100s</u>	<u>10s</u>	<u>1s</u>
4,000		70	
5,000	1,700	80	15
-	2,000	900	40
	6		
2,000	800	30	9

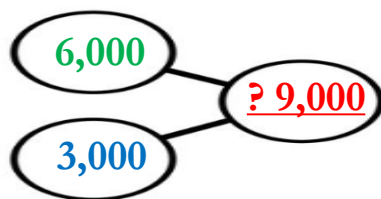
<u>1,000s</u>	<u>100s</u>	<u>10s</u>	<u>1s</u>
	5	9	
9	6	10	14
-	3	9	4
9	2	0	6

**Strategy Applied** refers to when a formal written method is used to calculate a number sentence e.g.  $30,250 - 5,000 = 25,250$

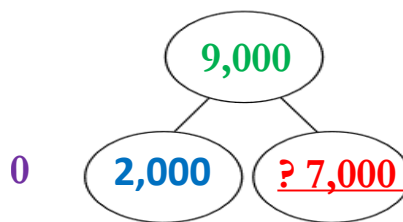
Explained using appropriate mathematical language, proven using concrete objects that can be handled, shown with pictorial representations visualising the calculations, to ensure a greater understanding of a mathematical concept.

**Part Whole Models** are pictorial mathematical images to represent varied calculations and number sentences.

e.g.  $6,000 + 3,000 = \underline{9,000}$

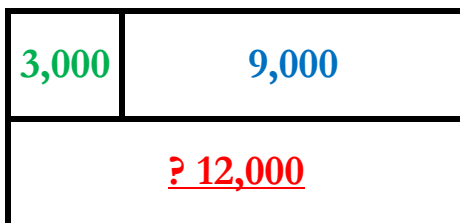


e.g.  $9,000 - 2,000 = \underline{7,000}$

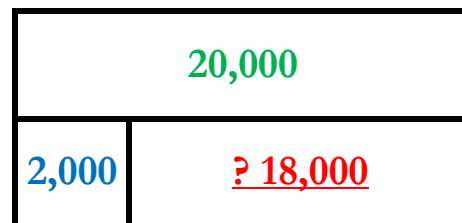


**Bar Models** are an image, that pictorially represents a number sentence.

e.g.  $3,000 + 9,000 = \underline{12,000}$



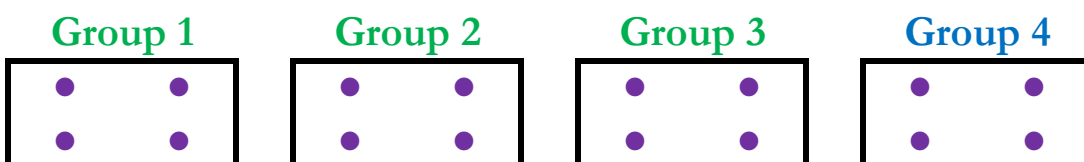
e.g.  $20,000 - 2,000 = \underline{18,000}$



**Groups of objects** represents a total number of objects shared or divided into two or more groups of an equal number of the objects.

$\frac{3}{4}$  of  $1,600 = 1,200$

● represents the value of 100



## Number Grid

0	1	2	3	4	5	6	7	8	9
10	11	12	13	14	15	16	17	18	19
20	21	22	23	24	25	26	27	28	29
30	31	32	33	34	35	36	37	38	39
40	41	42	43	44	45	46	47	48	49
50	51	52	53	54	55	56	57	58	59
60	61	62	63	64	65	66	67	68	69
70	71	72	73	74	75	76	77	78	79
80	81	82	83	84	85	86	87	88	89
90	91	92	93	94	95	96	97	98	99
100	101	102	103	104	105	106	107	108	109
110	111	112	113	114	115	116	117	118	119
120	121	122	123	124	125	126	127	128	129
130	131	132	133	134	135	136	137	138	139
140	141	142	143	144	145	146	147	148	149
150	151	152	153	154	155	156	157	158	159

## Multiplication Square

x	2	3	4	5	6	7	8	9	10
0	0	0	0	0	0	0	0	0	0
1	2	3	4	5	6	7	8	9	10
2	4	6	8	10	12	14	16	18	20
3	6	9	12	15	18	21	24	27	30
4	8	12	16	20	24	28	32	36	40
5	10	15	20	25	30	35	40	45	50
6	12	18	24	30	36	42	48	54	60
7	14	21	28	35	42	49	56	63	70
8	16	24	32	40	48	56	64	72	80
9	18	27	36	45	54	63	72	81	90
10	20	30	40	50	60	70	80	90	100
11	22	33	44	55	66	77	88	99	110
12	24	36	48	60	72	84	96	108	120

## Decimal Number Grid

0.0	0.1	0.2	0.3	0.4	0.5	0.6	0.7	0.8	0.9
1.0	1.1	1.2	1.3	1.4	1.5	1.6	1.7	1.8	1.9
2.0	2.1	2.2	2.3	2.4	2.5	2.6	2.7	2.8	2.9
3.0	3.1	3.2	3.3	3.4	3.5	3.6	3.7	3.8	3.9
4.0	4.1	4.2	4.3	4.4	4.5	4.6	4.7	4.8	4.9
5.0	5.1	5.2	5.3	5.4	5.5	5.6	5.7	5.8	5.9
6.0	6.1	6.2	6.3	6.4	6.5	6.6	6.7	6.8	6.9
7.0	7.1	7.2	7.3	7.4	7.5	7.6	7.7	7.8	7.9
8.0	8.1	8.2	8.3	8.4	8.5	8.6	8.7	8.8	8.9
9.0	9.1	9.2	9.3	9.4	9.5	9.6	9.7	9.8	9.9
10.0	10.1	10.2	10.3	10.4	10.5	10.6	10.7	10.8	10.9
11.0	11.1	11.2	11.3	11.4	11.5	11.6	11.7	11.8	11.9
12.0	12.1	12.2	12.3	12.4	12.5	12.6	12.7	12.8	12.9
13.0	13.1	13.2	13.3	13.4	13.5	13.6	13.7	13.8	13.9
14.0	14.1	14.2	14.3	14.4	14.5	14.6	14.7	14.8	14.9
15.0	15.1	15.2	15.3	15.4	15.5	15.6	15.7	15.8	15.9





## How Many

The number **1234.56** is made up of how many **1,000s** (thousands), **100s** (hundreds), **10s** (tens), **1s** (ones), **10ths** (tenths) and **100ths** (hundredths)?

1) **1 2 3 4 . 5 6** =         

In Maths a **number** or **figure** e.g. **1234.56**, is made up of the **digits 1, 2, 3, 4, 5, 6**.

Each digit has a worth, otherwise known as its **place value**.

The number **one thousand, two hundred and thirty four point five six** is a **6-digit decimal number**.

The **digits** represent the following **column place values** the **1,000s, 100s, 10s, 1s, 10ths** and **100ths**.

### Place Value Grid

<u>1000s</u>	<u>100s</u>	<u>10s</u>	<u>1s</u>	.	<u>10ths</u>	<u>100ths</u>
<b>1</b>	<b>2</b>	<b>3</b>	<b>4</b>	.	<b>5</b>	<b>6</b>

### Strategy Applied

The number **one thousand, two hundred and thirty four** is represented on a **Place Value Grid** as above.

First, write **6** in the **100ths** column place value, which is also how many hundredths there are in the **100ths** column, **6 hundredths**.

Then, write **5** in the **10ths** column place value, which is also how many **tenths** there are in the **10ths** column, **5 tenths**.

Next, write **4** in the **1s** column place value, which is also how many **ones** there are in the **1s** column, **4 ones**.

Then, write **3** in the **10s** column place value, which is also how many **tens** there are in the **10s** column, **3 tens**.

Next, write **2** in the **100s** column place value, which is also how many **hundreds** there are in the **100s** column, **2 hundreds**.

Then, write **1** in the **1,000s** column place value, which is also how many **thousands** there are in the **1,000s** column, **1 thousand**.

Finally, the **Place Value Grid** above shows how many **1,000s**, **100s**, **10s**, **1s**, **10ths** and **100ths** there are, **1 thousand**, **2 hundred**, **3 tens**, **4 ones**, **5 tenths** and **6 hundredths**.

### Test Questions

How many **1,000s** (thousands), **100s** (hundreds), **10s** (tens), **1s** (ones), **10ths** (tenths) and **100ths** (hundredths) make up each number?

1) 1,234.56 = \_\_\_

6) 5,379.02 = \_\_\_

2) 1,246.19 = \_\_\_

7) 6,513.93 = \_\_\_

3) 2,179.83 = \_\_\_

8) 7,215.48 = \_\_\_

4) 3,537.74 = \_\_\_

9) 8,346.57 = \_\_\_

5) 4,068.61 = \_\_\_

10) 9,537.20 = \_\_\_

## Digit Value

What is the digit value of the **1,000s** (thousands), **100s** (hundreds), **10s** (tens), **1s** (ones), **10ths** (tenths) and **100ths** (hundredths) in the number **1,234.56**?

1) **1 2 3 4 . 5 6** =         

In Maths a **number** or **figure** e.g. **1234.56**, is made up of the **digits 1, 2, 3, 4, 5, 6**.

Each digit has a worth, otherwise known as its **place value**.

The number **one thousand, two hundred and thirty four point five six** is a **6-digit decimal number**.

Each **digit** represents the **1s, 10s, 100s** and **1,000s column place values**.

### Place Value Grid

<u>1000s</u>	<u>100s</u>	<u>10s</u>	<u>1s</u>	.	<u>10ths</u>	<u>100ths</u>
<b>1</b>	<b>2</b>	<b>3</b>	<b>4</b>	.	<b>5</b>	<b>6</b>

### Strategy Applied

The number **one thousand, two hundred and thirty four** is represented on a **Place Value Grid** as above.

First, in the **100ths** column the value of the digit is worked out by dividing how many **hundredths** there are, **6** by 100 (**100ths** column), which is **0.06**.

Then, in the **10ths** column the value of the digit is worked out by dividing how many **tenths** there are, **5** by 10 (**10ths** column), which is **0.5**.

Next, in the **1s** column the value of the digit is worked out by multiplying how many **ones** there are, **4** by 1 (**1s** column), which is **4**.

Then, in the **10s** column the value of the digit is worked out by multiplying how many **tens** there are, **3** by 10 (**10s** column), which is **30**.

Next, in the **100s** column the value of the digit is worked out by multiplying how many **hundreds** there are, **2** by 100 (**100s** column), which is **200**.

Then, in the **1,000s** column the value of the digit is worked out by multiplying how many **thousands** there are, **1** by 1,000 (**1,000s** column), which is **1,000**.

Finally, the digit value of the **1,000s**, **100s**, **10s**, **1s**, **10ths** and **100s** digits is **1,000** **200**, **30**, **4**, **0.5**, **0.06**,

### Test Questions

What is the digit value of the **1,000s** (thousands), **100s** (hundreds), **10s** (tens), **1s** (ones), **10ths** (tenths) and **100ths** (hundredths) in each number?

1) 1,234.56 = \_\_\_

6) 5,379.02 = \_\_\_

2) 1,246.19 = \_\_\_

7) 6,513.93 = \_\_\_

3) 2,179.83 = \_\_\_

8) 7,215.48 = \_\_\_

4) 3,537.74 = \_\_\_

9) 8,346.57 = \_\_\_

5) 4,068.61 = \_\_\_

10) 9,537.20 = \_\_\_

## 1,000 more

1)  $1,750 + 1,000 = \underline{\quad ? \quad}$

### Word Problem

Susan is thinking of a number. Her number is **one thousand** more than **one thousand, seven hundred and fifty**.

What is her number?

### Partitioning

$$\begin{array}{r} 1,000 + 1,000 = 2,000 \\ 700 + 0 = 700 \\ 50 + 0 = 50 \\ 0 + 0 = 0 \\ \hline 2,750 \end{array}$$

### Column Addition

	<u>1,000s</u>	<u>100s</u>	<u>10s</u>	<u>1s</u>
	1	7	5	0
+	1	0	0	0
	<u>2</u>	<u>7</u>	<u>5</u>	<u>0</u>

### Strategy Applied

**Partition** both numbers into **1,000s**, **100s**, **10s**, **1s** and add together their relative **digit values**.

$$1,750 = 1,000 + 700 + 50 + 0 \text{ and } 1,000 = 1,000 + 0 + 0 + 0.$$

First, add the **1,000s** digit values of **one thousand** and **one thousand**, equal to **two thousand**.

Then, add the **100s** digit values of **seven hundred** and **zero**, equal to **seven hundred**.

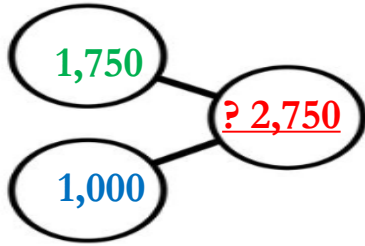
Next, add the **10s** digit values of **fifty** and **zero**, equal to **fifty**.

Then, add the **1s** digit values of **zero** and **zero**, equal to **zero**.

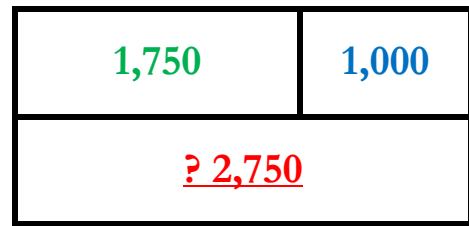
Next, use column addition to add the values of  $2,000 + 700 + 50 + 0 = 2,750$ .

Finally, **1,750** plus **1,000** equals **2,750**.

## Part Whole Model



## Bar Model



## Test Questions

1)  $1,750 + 1,000 = \underline{\quad}$

2)  $2,559 + 1,000 = \underline{\quad}$

3)  $3,699 + 1,000 = \underline{\quad}$

4)  $4,455 + 1,000 = \underline{\quad}$

5)  $5,308 + 1,000 = \underline{\quad}$

6)  $6,700 + 1,000 = \underline{\quad}$

7)  $7,619 + 1,000 = \underline{\quad}$

8)  $8,591 + 1,000 = \underline{\quad}$

9)  $9,455 + 1,000 = \underline{\quad}$

10)  $9,309 + 1,000 = \underline{\quad}$

11)  $1,000 + 309 = \underline{\quad}$

12)  $1,000 + 455 = \underline{\quad}$

13)  $1,000 + 591 = \underline{\quad}$

14)  $1,000 + 710 = \underline{\quad}$

## More Than 1,000

$$1) \quad \underline{\quad} + 1,250 = 3,230$$

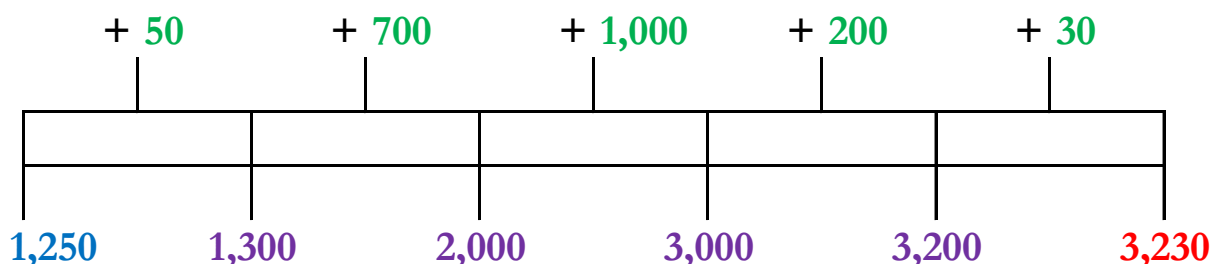
### Word Problem

London to Warsaw is **three thousand, two hundred and thirty** miles.

Paris to Warsaw is **one thousand, two hundred and fifty** miles.

What is the **distance** from London to Paris?

### Number Line



### Strategy Applied

A number grid or a ruler can be used to **count on**.

First, draw a number line and write **one thousand, two hundred and fifty** at the start and **three thousand, two hundred and thirty** at the end.

Then, from **1,250** count on in **10s** to the next **multiple of 100s**, 1,260, 1,270, 1,280, 1,290, **1,300** equal to **fifty**.

Next, from **1,300** count on in **100s** to the next **multiple of 1,000s**, 1,400, 1,500, 1,600, 1,700, 1,800, 1,900, **2,000** equal to **seven hundred**.

Then, from **2,000** count on in **1,000s** to the next **multiple of 1,000s**, **3,000** equal to **one thousand**.

Next, from **3,000** count on in **100s** to the **multiple of 100s** before **3,230**, 3,100, **3,200** equal to **two hundred**.

Then, from **3,200** count on in **10s** on to **3,230**, 3,210, 3,220, **3,230**, equal to **thirty**.

Next, add from **largest to smallest** the amounts that were counted on, **1,000** and **700** and **200** and **50** and **30**.

Finally, the missing number is **1,980**.



## Column Addition

$$\begin{array}{r} 1\ 0\ 0\ 0 \\ 7\ 0\ 0 \\ 2\ 0\ 0 \\ 5\ 0 \\ +\quad 3\ 0 \\ \hline 1,\ 9\ 8\ 0 \end{array}$$

## Test Questions

1)      + 1,250 = 3,230

2)      + 2,230 = 4,700

3)      + 3,500 = 5,650

4)      + 4,190 = 6,280

5)      + 5,250 = 7,800

6) 420 +      = 2,600

7) 350 +      = 3,680

8) 220 +      = 4,550

9) 200 +      = 5,580

10) 640 +      = 6,850

11) 2,200 + 3,520 =     

12) 3,050 + 1,000 =     

13) 2,800 + 1,190 =     

14) 4,040 + 5,700 =

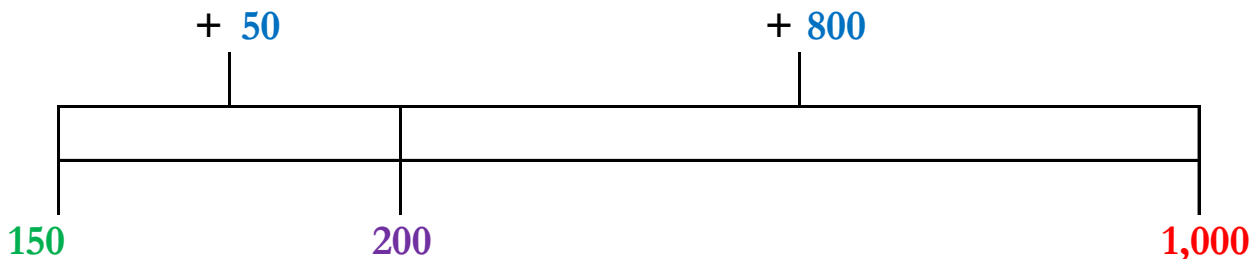
## Bonds to 1,000

$$1) \quad 150 + \underline{\quad ? \quad} = 1,000$$

### Word Problem

A Charity Shop has raised **one hundred and fifty** pounds in donations. The **total amount** to be raised is **one thousand** pounds. How much more money is needed to be raised?

### Number Line



### Strategy Applied

**Number bonds to 1,000**, means two or more numbers added together that make the number **1,000**.

First, draw a number line and write **one hundred and fifty** at the start and **one thousand** at the end.

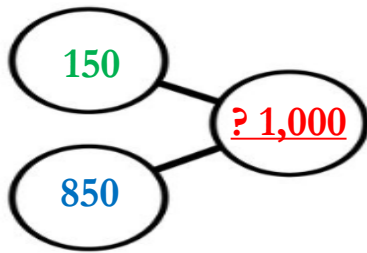
Then, from **150** count on in **10s** to the next **multiple of 100s**, 160, 170, 180, 190, **200** equal to **fifty**.

Next, from **200** count on in **100s** up to **one thousand**, 300, 400, 500, 600, 700, 800, 900, **1,000** equal to **800**.

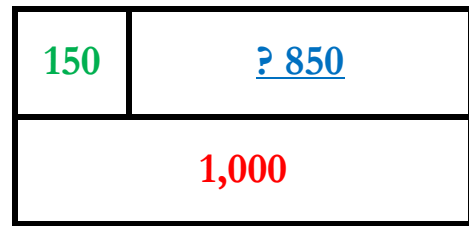
Then, add from **largest to smallest** the amounts counted on **800** and **50**, equal to **850**.

Finally, the **value** of the missing number is **eight hundred and fifty**.

## Part Whole Model



## Bar Model



## Test Questions

- 1)  $150 + \underline{\quad} = 1,000$
- 2)  $240 + \underline{\quad} = 1,000$
- 3)  $360 + \underline{\quad} = 1,000$
- 4)  $480 + \underline{\quad} = 1,000$
- 5)  $\underline{\quad} + 190p = 1000p$
- 6)  $\underline{\quad} + 270p = 1000p$
- 7)  $\underline{\quad} + \pounds 300 = \pounds 1,000$
- 8)  $\underline{\quad} + \pounds 500 = \pounds 1,000$
- 9)  $\underline{\quad} + 100 = 1,000$
- 10)  $\underline{\quad} + 720 = 1,000$
- 11)  $\underline{\quad} + 250 = 1,000$
- 12)  $\underline{\quad} + 570 = 1,000$
- 13)  $\underline{\quad} + 480 = 1,000$
- 14)  $\underline{\quad} + 650 = 1,000$

# Multiple Numbers

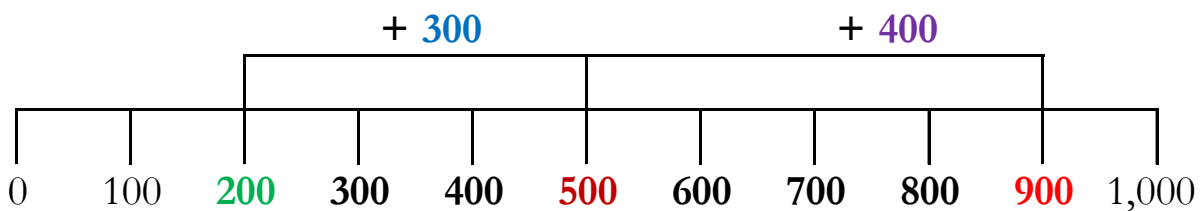
$$1) \quad 200 + 300 + 400 = \underline{\quad ? \quad}$$

## Word Problem

Three children raise money for a Homeless Charity. **Child A** raised £200, **Child B** raised £300 and **Child C** raised £400.

What is the **total amount** of money raised by all three children?

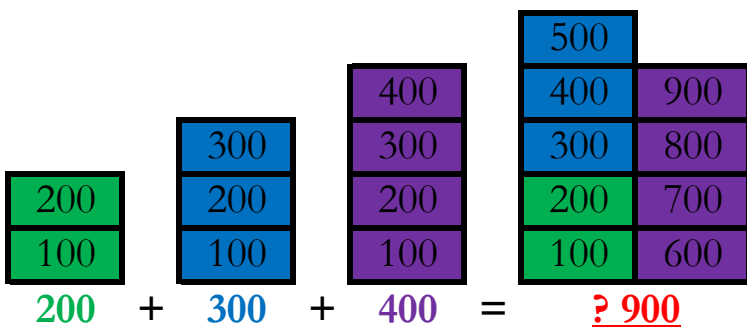
## Number Line



## Strategy Applied

First, find and touch the number **two hundred** on the number line.  
Then, **count forwards 300** more in **multiples of 100s**, 300, 400, **500** aloud in number order, whilst touching the numbers on the number line.  
Next, the number counted on to should be **five hundred**.  
Then, **count forwards 400** more in multiples of **100s**, 600, 700, 800, **900** aloud in number order, whilst touching the numbers on the number line.  
Next, the number counted on to should be **nine hundred**.  
Finally, **200** plus **300** plus **400** equals **900**.

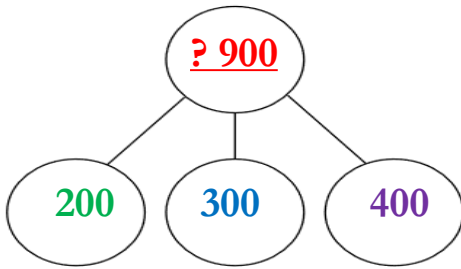
## Concrete Object



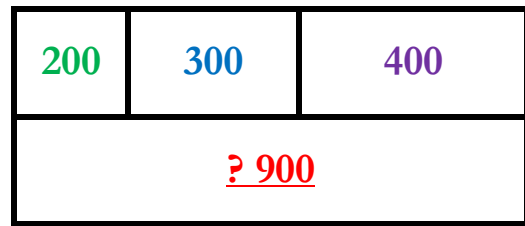
## Column Addition

$$\begin{array}{r} \text{100s} \text{ 10s} \text{ 1s} \\ 2 \quad 0 \quad 0 \\ + 3 \quad 0 \quad 0 \\ + 4 \quad 0 \quad 0 \\ \hline 9 \quad 0 \quad 0 \end{array}$$

## Part Whole Model



## Bar Model



## Test Questions

- 1)  $200 + 300 + 400 = \underline{\quad}$
- 2)  $900 + 800 + 700 = \underline{\quad}$
- 3)  $600 + 300 + 300 = \underline{\quad}$
- 4)  $300 + 3,000 + 300 = \underline{\quad}$
- 5)  $1,000 + 4,000 + 2,000 = \underline{\quad}$
- 6)  $2,000 + 3,000 + 5,000 = \underline{\quad}$
- 7)  $100\text{p} + 500\text{p} + 200\text{p} = \underline{\quad}$
- 8)  $\pounds 400 + \pounds 500 + \pounds 900 = \underline{\quad}$
- 9)  $200\text{cm} + 400\text{cm} + 300\text{cm} = \underline{\quad}$
- 10)  $400\text{m} + 500\text{m} + 600\text{m} = \underline{\quad}$
- 11)  $\underline{\quad} = 700 + 900 + 600$
- 12)  $\underline{\quad} = 1,500 + 1,500 + 1,500$
- 13)  $\underline{\quad} = 900 + 900 + 700$
- 14)  $\underline{\quad} = 6,000 + 2,000 + 1,000$

## Multiples of 6, 7, 9, 25, 100

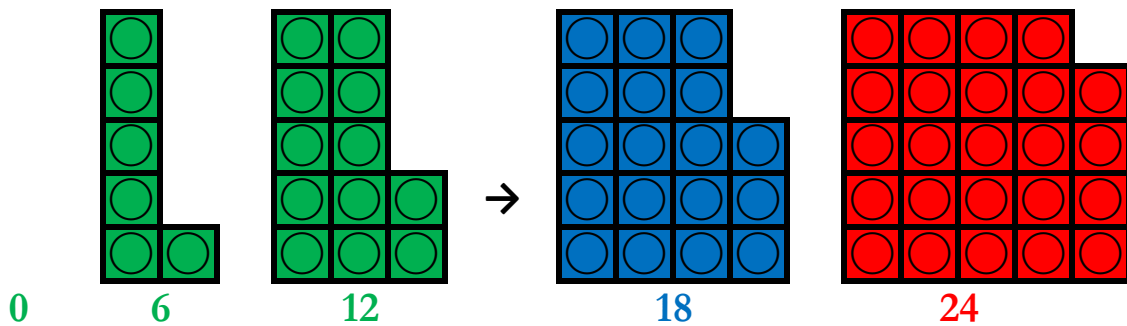
In the **number pattern** below, find the next two missing **terms**.

1) 0, 6, 12, ?, ?

### Word Problem

Lee uses objects to make the **number pattern** of **zero**, **six** and **twelve**.  
What will be the next two **terms** in the number pattern?

### Concrete Object



### Strategy Applied

Work out the **number pattern**, by finding out the **difference between** the **three** numbers.

The difference between each of the **three** numbers is known as the **rule**.

First, **count forwards** from **zero** to **six** equalling **six**, the rule is **+6**.

Then, count forwards from **six** to **twelve** equalling **six**, the rule is **+6**.

The rule is **+6** (**count on six**) to each of the numbers in the number pattern.

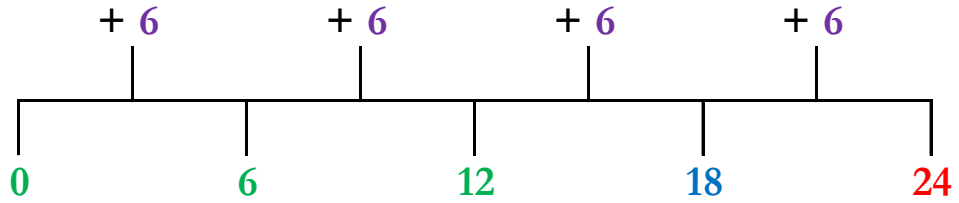
Continue this number pattern to find the next two missing numbers.

Next, find **twelve** on the number line and count on **six** more, equal to **eighteen**.

Then, find **eighteen** on the number line and count on **six** more, equal to **twenty four**.

Finally, the next two missing terms in the number pattern are **eighteen** and **twenty four**.

## Metric Ruler



## Test Questions

- 1) 0, 6, 12,     ,
- 2) 24, 30, 36,     ,
- 3) 40, 46, 52,     ,
- 4) 0, 7, 14,     ,
- 5) 28, 35, 42,     ,
- 6) 50, 57, 64,     ,
- 7) 0, 9, 18,     ,
- 8) 36, 45, 54,     ,
- 9) 10, 19, 28,     ,
- 10) 0, 25, 50,     ,
- 11) 20, 45, 70,     ,
- 12) 100, 125, 150,     ,
- 13) 15, 115, 215,     ,
- 14) 383, 483, 583,     ,

# Decimals

1)  $2.1 + 1.8 = \underline{\quad ? \quad}$

## Word Problem

Mr. Ben and Dr. Barrie are playing guess my **number**.

The **number** is **one point eight** more than **two point one**.

## Partitioning

$$\begin{array}{r} 2 . 0 + 1 . 0 = 3 . 0 \\ 0 . 1 + 0 . 8 = \underline{0 . 9} + \\ \underline{3 . 9} \end{array}$$

## Column Addition

$$\begin{array}{r} \text{1s} \quad \text{10ths} \\ 2 . 1 \\ + 1 . 8 \\ \hline 3 . 9 \end{array}$$

## Strategy Applied

**Partition** both numbers into **1s**, **10ths** and add together their relative **digit values**.

$$2.1 = 2.0 + 0.1 \text{ and } 1.8 = 1.0 + 0.8.$$

First, add the **1s** place values of **two** and **one**, which is equal to **three**.

Then, add the **10ths** place values of **zero point one** and **zero point eight**, which is equal to **zero point nine**.

Next, use column addition to add the values of  $3.0 + 0.9 = 3.9$ .

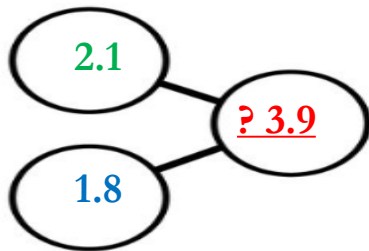
Finally, **2.1** plus **1.8** is equal to **3.9**.

## Decimal Number Grid

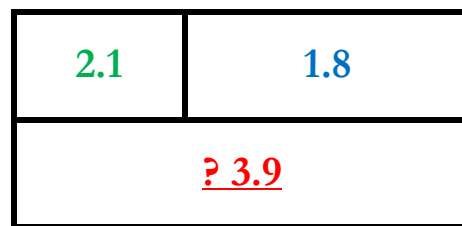
2.0	2.1	2.2	2.3	2.4	2.5	2.6	2.7	2.8	2.9
3.0	↓ 3.1 → 3.2	3.3	3.4	3.5	3.6	3.7	3.8 → 3.9		



### Part Whole Model



### Bar Model



### Test Questions

1)  $2.1 + 1.8 = \underline{\quad}$

2)  $1.3 + 2.5 = \underline{\quad}$

3)  $2.6 + 6.3 = \underline{\quad}$

4)  $7.5 + 1.4 = \underline{\quad}$

5)  $6.2 + 1.7 = \underline{\quad}$

6)  $4.7 + 2.1 = \underline{\quad}$

7)  $3.7 + 4.4 = \underline{\quad}$

8)  $6.1 + 3.9 = \underline{\quad}$

9)  $1.9 + 8.1 = \underline{\quad}$

10)  $3.6 + 3.2 = \underline{\quad}$

11)  $\underline{\quad} = 5.4 + 2.2$

12)  $\underline{\quad} = 6.7 + 3.3$

13)  $\underline{\quad} = 5.5 + 1.7$

14)  $\underline{\quad} = 7.2 + 1.9$

## Column Addition

1)  $3,835 + 2,246 = \underline{\quad ? \quad}$

### Step 1

$$\begin{array}{r} 3 \ 8 \ 3 \ 5 \\ + 2 \ 2 \ 4 \ 6 \\ \hline \phantom{3 \ 8} 8 \ 1 \\ \hline 1 \end{array}$$

### Step 2

$$\begin{array}{r} 3 \ 8 \ 3 \ 5 \\ + 2 \ 2 \ 4 \ 6 \\ \hline \phantom{3 \ 8} 0 \ 8 \ 1 \\ \hline 1 \phantom{0} 1 \end{array}$$

### Step 3

$$\begin{array}{r} 3 \ 8 \ 3 \ 5 \\ + 2 \ 2 \ 4 \ 6 \\ \hline 6, 0 \ 8 \ 1 \\ \hline 1 \phantom{0} 1 \end{array}$$

### Strategy Applied

#### Step 1

First, in the **1s** column add **altogether**,  $5 + 6$ , equals 11 **ones** ( $10 + 1$ ).  
Write **1** in the **total value** of the **1s** column.

**Exchange/Regroup** the **10 ones** into **1 ten** the from the **1s** column to the **10s** column and write **1 ten** below the **total value line** of the **10s** column.

Then, in the **10s** column add **altogether**,  $3 + 4 + 1$ , equals 8 **tens** (**80**).  
Write **8** in the **total value** of the **10s** column.

#### Step 2

Next, in the **100s** column add **altogether**,  $8 + 2$ , equals 10 **hundreds** ( $1,000 + 0$ ).

Write **0** in the **total value** of the **100s** columns.

**Exchange/Regroup** the **10 hundreds** into **1 thousand** from the **100s** column to the **1,000s** column and write **1 thousand** below the **total value line** of the **1,000s** column.

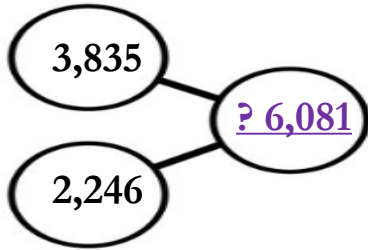
#### Step 3

Finally, in the **1,000s** column add **altogether**,  $3 + 2 + 1$ , equals 6 **thousands** (**6,000**).

Write **6** in the **total value** of the **1,000s** column.

**Total value** is **6,081**.

## Part Whole Model



## Bar Model

3,835	2,246
? 6,081	

## Test Questions

$$\begin{array}{r} 1) \quad 3 \ 8 \ 3 \ 5 \\ + \quad 2 \ 2 \ 4 \ 6 \\ \hline \\ \hline \end{array}$$

$$\begin{array}{r} 2) \quad 4 \ 1 \ 3 \ 7 \\ + \quad 1 \ 2 \ 4 \ 8 \\ \hline \\ \hline \end{array}$$

$$\begin{array}{r} 3) \quad 4 \ 1 \ 3 \ 5 \\ \quad \quad 2 \ 1 \ 3 \ 7 \\ + \quad 1 \ 2 \ 4 \ 8 \\ \hline \\ \hline \end{array}$$

$$\begin{array}{r} 4) \quad 8 \ 2 \ 5 \ 7 \\ + \quad 1 \ 4 \ 6 \ 5 \\ \hline \\ \hline \end{array}$$

$$\begin{array}{r} 5) \quad 5 \ 2 \ 7 \ 9 \\ + \quad 4 \ 4 \ 8 \ 3 \\ \hline \\ \hline \end{array}$$

$$\begin{array}{r} 6) \quad 7 \ 3 \ 4 \ 0 \\ \quad \quad 1 \ 5 \ 6 \ 9 \\ + \quad \quad 4 \ 6 \ 5 \\ \hline \\ \hline \end{array}$$

$$\begin{array}{r} 7) \quad 7 \ 3 \ 4 \ 0 \\ + \quad \quad 5 \ 6 \ 9 \\ \hline \\ \hline \end{array}$$

$$\begin{array}{r} 8) \quad 3 \ 2 \ 6 \ 0 \\ + \quad \quad 4 \ 4 \ 8 \\ \hline \\ \hline \end{array}$$

$$\begin{array}{r} 9) \quad 5 \ 2 \ 7 \ 9 \\ \quad \quad 5 \ 4 \ 8 \ 3 \\ \quad \quad 4 \ 3 \ 0 \ 4 \\ + \quad 2 \ 5 \ 6 \ 8 \\ \hline \\ \hline \end{array}$$

$$\begin{array}{r} 10) \quad 5 \ 3 \ 0 \ 4 \\ + \quad 2 \ 5 \ 6 \ 8 \\ \hline \\ \hline \end{array}$$

$$\begin{array}{r} 11) \quad 6 \ 2 \ 0 \ 6 \\ + \quad 1 \ 4 \ 8 \ 7 \\ \hline \\ \hline \end{array}$$

$$\begin{array}{r} 14) \quad 6 \ 2 \ 8 \ 9 \\ \quad \quad 5 \ 6 \ 8 \ 4 \\ \quad \quad 5 \ 3 \ 0 \ 4 \\ + \quad 1 \ 5 \ 6 \ 9 \\ \hline \\ \hline \end{array}$$

$$\begin{array}{r} 12) \quad 3 \ 9 \ 3 \ 8 \\ + \quad 2 \ 4 \ 4 \ 8 \\ \hline \\ \hline \end{array}$$

$$\begin{array}{r} 13) \quad 4 \ 5 \ 2 \ 7 \\ + \quad 2 \ 9 \ 3 \ 8 \\ \hline \\ \hline \end{array}$$

## Column Addition with Decimals

$$1) \quad 48.53 + 25.71 = \underline{\quad ? \quad}$$

**Step 1**

$$\begin{array}{r} 48.53 \\ + 25.71 \\ \hline \phantom{48.}4 \\ \hline \end{array}$$

**Step 2**

$$\begin{array}{r} 48.53 \\ + 25.71 \\ \hline \phantom{48.}24 \\ \hline 1 \\ \hline \end{array}$$

**Step 3**

$$\begin{array}{r} 48.53 \\ + 25.71 \\ \hline 4.24 \\ \hline 11 \\ \hline \end{array}$$

**Step 4**

$$\begin{array}{r} 48.53 \\ + 25.71 \\ \hline 74.24 \\ \hline 11 \\ \hline \end{array}$$

### Strategy Applied

#### Step 1

First, in the **100ths** column add **altogether**,  $3 + 1$ , equals 4 **hundredths** (**0.04**).

#### Step 2

Then, in the **10ths** column add **altogether**,  $5 + 7$ , equals 12 **tenths** (**1 + 0.2**).

Write **2** in the **total value** of the **10ths** column.

**Exchange/Regroup** the **10 tenths** into **1 one** from the 10ths column to the **1s** column and write **1 one** below the **total value line** of the **1s** column.

#### Step 3

Next, in the **1s** column add **altogether**,  $8 + 5 + 1$ , equals 14 **ones** (**10 + 4**).

Write **4** in the **total value** of the **1s** column.

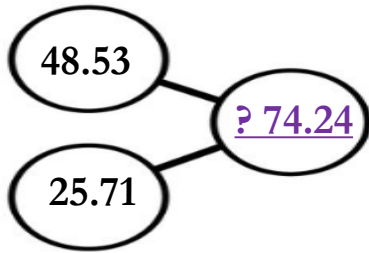
**Exchange/Regroup** the **10 ones** into **1 ten** from the 1s column to the **10s** column write **1 ten** below the **total value line** of the **10s** column.

### Step 4

Finally, in the **10s** column add **altogether**,  $4 + 2 + 1$ , equals 7 **tens** (**70**).  
Write **7** in the **total value** of the **1s** column.

**Total Value** is **74.24**.

### Part Whole Model



### Bar Model

48.53	25.71
<u>74.24</u>	

### Test Questions

$$\begin{array}{r} 1) \quad 4 \ 8 \ . \ 5 \ 3 \\ + \quad 2 \ 5 \ . \ 7 \ 1 \\ \hline \end{array}$$

$$\begin{array}{r} 2) \quad 3 \ 8 \ . \ 3 \ 7 \\ + \quad 2 \ 4 \ . \ 4 \ 8 \\ \hline \end{array}$$

$$\begin{array}{r} 3) \quad 4 \ 5 \ . \ 3 \ 1 \\ \quad \quad 2 \ 7 \ . \ 3 \ 1 \\ + \quad 1 \ 8 \ . \ 4 \ 2 \\ \hline \end{array}$$

$$\begin{array}{r} 4) \quad 4 \ 7 \ . \ 5 \ 7 \\ + \quad 3 \ 8 \ . \ 6 \ 5 \\ \hline \end{array}$$

$$\begin{array}{r} 5) \quad 4 \ 5 \ . \ 7 \ 9 \\ + \quad 2 \ 8 \ . \ 8 \ 3 \\ \hline \end{array}$$

$$\begin{array}{r} 6) \quad 7 \ 0 \ . \ 4 \ 3 \\ \quad \quad 1 \ 9 \ . \ 6 \ 5 \\ + \quad \quad 5 \ . \ 6 \ 4 \\ \hline \end{array}$$

$$\begin{array}{r} 7) \quad 8 \ 9 \ . \ 4 \ 0 \\ + \quad 6 \ 3 \ . \ 6 \ 9 \\ \hline \end{array}$$

$$\begin{array}{r} 8) \quad 5 \ 4 \ . \ 6 \ 0 \\ + \quad 3 \ 6 \ . \ 4 \ 8 \\ \hline \end{array}$$

$$\begin{array}{r} 9) \quad 5 \ 9 \ . \ 7 \ 2 \\ \quad \quad 5 \ 3 \ . \ 8 \ 4 \\ \quad \quad 4 \ 4 \ . \ 0 \ 3 \\ + \quad 2 \ 8 \ . \ 6 \ 5 \\ \hline \end{array}$$

$$\begin{array}{r} 10) \quad 6 \ 0 \ . \ 0 \ 4 \\ + \quad 4 \ 8 \ . \ 6 \ 8 \\ \hline \end{array}$$

$$\begin{array}{r} 11) \quad 5 \ 0 \ . \ 0 \ 6 \\ + \quad 3 \ 6 \ . \ 8 \ 7 \\ \hline \end{array}$$

$$\begin{array}{r} 14) \quad 6 \ 9 \ . \ 8 \ 2 \\ \quad \quad 5 \ 4 \ . \ 8 \ 6 \\ \quad \quad 5 \ 4 \ . \ 0 \ 3 \\ + \quad 1 \ 9 \ . \ 6 \ 5 \\ \hline \end{array}$$

$$\begin{array}{r} 12) \quad 9 \ 6 \ . \ 3 \ 8 \\ + \quad 8 \ 7 \ . \ 4 \ 8 \\ \hline \end{array}$$

$$\begin{array}{r} 13) \quad 1 \ 3 \ . \ 2 \ 7 \\ + \quad \quad 9 \ . \ 3 \ 8 \\ \hline \end{array}$$

## Find the Missing Number

$$1) \quad 7942\text{cm} + 379\text{cm} = \underline{\quad} \text{cm} + 7,021\text{cm}$$

### Strategy Applied

#### Step 1

First, add up the **known number sentence**, which is  $7942\text{cm} + 379\text{cm}$ .

Then, in the **1s** column add **altogether**,  $2 + 9$ , equals 11 **ones** ( $10 + 1$ ).

Write **1** in the **total value** of the **1s** column.

**Exchange/Regroup** the **10 ones** into **1 ten** from the **1s** column to the **10s** column and write **1 ten** below the **total value line** of the **10s** column.

Next, in the **10s** column add **altogether**,  $4 + 7 + 1$ , equals 12 **tens** ( $100 + 20$ ).

Write **2** in the **total value** of the **10s** column.

**Exchange/Regroup** the **10 tens** into **1 hundred** from the **10s** column to the **100s** column and write **1 hundred** below the **total value line** of the **100s** column.

Then, in the **100s** column add **altogether**,  $9 + 3 + 1$ , equals 13 **hundreds** ( $1000 + 300$ ).

Write **3** in the **total value** of the **100s** column.

**Exchange/Regroup** the **10 hundreds** into **1 thousand** from the **100s** column to the **1,000s** column and write **1 thousand** below the **total value line** of the **1,000s** column.

In the **1,000s** column add **altogether**,  $7 + 1$ , equals 8 **thousands** (**800**).

Finally write **8** in the **total value** of the **1,000s** column.

**Total value** is **8,321**.

$$\begin{array}{r} 7 \ 9 \ 4 \ 2 \\ + \quad 3 \ 7 \ 9 \\ \hline 8, \ 3 \ 2 \ 1 \\ \hline 1 \ 1 \ 1 \end{array}$$

## Step 2

New known fact  $8321\text{cm} = \underline{\quad} \text{cm} + 7,021\text{cm}$  .

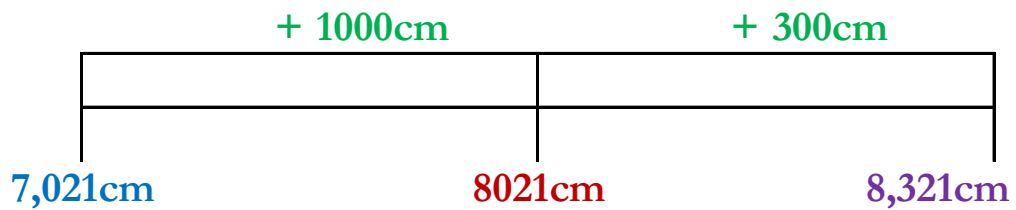
The value of the **10s** and **1s** in **8,321** and **7,021** are the same, **21**.

First, **count on** in **1,000s**, **7,021cm** on to **8,021cm**, equal to **1,000cm**.

Then, **count on** in **100s**, **8,021cm** up to **8,321cm**, equal to **300cm**.

Finally, add the amounts counted on **1,000cm** and **300cm**, equals **1,300cm**.

## Number Line



## Test Questions

- 1)  $7,942\text{cm} + 379\text{cm} = \underline{\quad}\text{cm} + 7,021\text{cm}$
- 2)  $379 + 2742 = 479 + \underline{\quad}$
- 3)  $\pounds 2.45 + \pounds 1.75 = \underline{\quad}$
- 4)  $\pounds 8.56 + 208 \text{ pence} + 75 \text{ pence} = \underline{\quad}$
- 5)  $1 \text{ hour } 23 \text{ mins} + \underline{\quad} = 3 \text{ hours}$
- 6)  $1 \text{ metre} + 350 \text{ centimetres} = \underline{\quad}$
- 7)  $3 \text{ litres} = \underline{\quad} \text{ ml} + 1257 \text{ ml}$
- 8)  $4,500 + 776 + 95 = \underline{\quad}$
- 9)  $0.36 + \underline{\quad} = 1$
- 10)  $18 + 6 + 6 = \underline{\quad}$
- 11)  $28 + 7 + 7 = \underline{\quad}$
- 12)  $63 + 9 + 9 = \underline{\quad}$
- 13)  $250 + 25 + 25 = \underline{\quad}$
- 14)  $375 + 25 + 25 = \underline{\quad}$

## 1,000 Less

$$1) \quad 1,280 - 1,000 = \underline{\quad ? \quad}$$

### Word Problem

A road is **one thousand, two hundred and eighty** metres long.

Diane cycles **one thousand** metres along the road.

How much **further** to the end of the road?

### Partitioning

$$\begin{array}{r} 1,000 - 1,000 = 0 \\ 200 - 0 = 200 \\ 80 - 0 = 80 \\ 0 - 0 = 0 \\ \hline 280 \end{array} +$$

### Column Subtraction

$$\begin{array}{r} 1280 \\ - 1000 \\ \hline 0280 \end{array}$$

### Strategy Applied

**Partition** both numbers into **1,000s**, **100s**, **10s**, **1s** and subtract their relative **digit values**.

$$1,280 = 1,000 + 200 + 80 + 0 \text{ and } 1,000 = 1,000 + 0 + 0 + 0.$$

First, subtract the **1,000s** digit values of **one thousand** and **one thousand**, which is equal to **zero**.

Then, subtract the **100s** digit values of **two hundred** and **zero**, which is equal to **two hundred**.

Next, subtract the **10s** digit values of **eighty** and **zero**, which is equal to **eighty**.

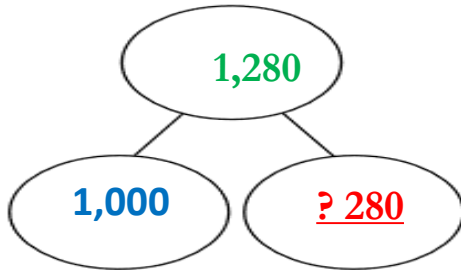
Then, subtract the **1s** digit values of **zero** and **zero**, which is equal to **zero**.

Then, use column addition to add the values of  $200 + 80 + 0 + 0 = 280$ .

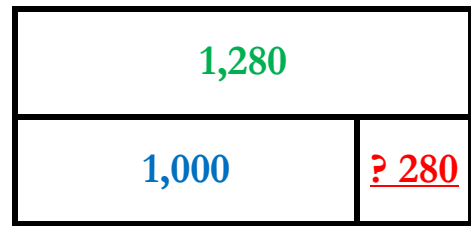
Finally, **1,280** minus **1,000** is equal to **280**.



### Part Whole Model



### Bar Model



### Test Questions

1)  $1,280 - 1,000 = \underline{\quad}$

2)  $2,520 - 1,000 = \underline{\quad}$

3)  $3,489 - 1,000 = \underline{\quad}$

4)  $4,345 - 1,000 = \underline{\quad}$

5)  $5,250 - 1,000 = \underline{\quad}$

6)  $6,222 - 1,000 = \underline{\quad}$

7)  $7,340 - 1,000 = \underline{\quad}$

8)  $8,400 - 1,000 = \underline{\quad}$

9)  $9,690 - 1,000 = \underline{\quad}$

10)  $9,710 - 1,000 = \underline{\quad}$

11)  $\underline{\quad} = 1,210 - 1,000$

12)  $\underline{\quad} = 4,784 - 1,000$

13)  $\underline{\quad} = 7,969 - 1,000$

14)  $\underline{\quad} = 9,907 - 1,000$

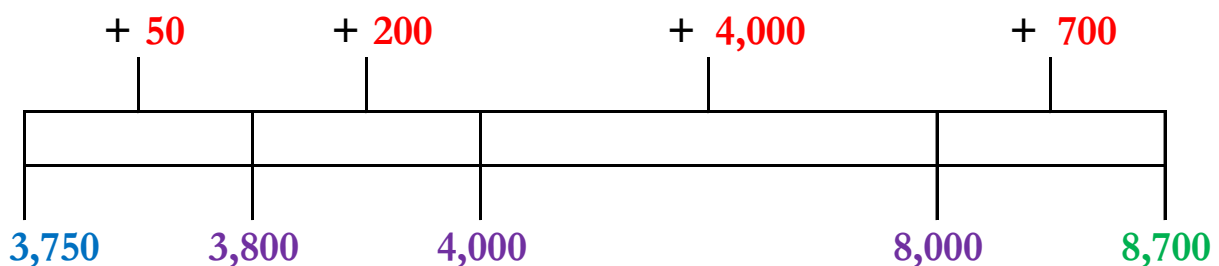
## More Than 1,000

1)  $8,700 - 3,750 = \underline{\quad ? \quad}$

### Word Problem

My parents are thinking of buying a new car costing **eight thousand, seven hundred** pounds. They decide to buy a car that is **three thousand, seven hundred and fifty** pounds **cheaper**. What is the cost of the car?

### Number Line



### Strategy Applied

Use the **inverse** of subtraction, which is addition and **count on** from the **smallest** number to the **largest** number.

Use a ruler or number grid to help when counting on.

First, draw a number line and write **three thousand, seven hundred and fifty** at the start and **eight thousand, seven hundred** at the end.

Then, from **3,750** count on in **10s** to the next **multiple of 100s**, 3,760, 3,770, 3,780, 3,790, **3,800** equal to **fifty**.

Next, from **3,800** count on in **100s** to the next **multiple of 1,000s**, 3,900, **4,000** equal to **two hundred**.

Then, from **4,000** count on in **1,000s** to the **multiple of 1,000s** before **8,700**, 5,000, 6,000, 7,000, **8,000** equal to **four thousand**.

Next, from **8,000** count on in **100s** to **8,700**, 8,100, 8,200, 8,300, 8,400, 8,500, 8,600, **8,700** equal to **seven hundred**.

Next, add the amounts counted on from **largest** to **smallest**, **4,000** and **700** and **200** and **50**.

Finally, the missing number is **4,950**.

## Column Addition

	<u>1,000s</u>	<u>100s</u>	<u>10s</u>	<u>1s</u>
	4	0	0	0
		7	0	0
		2	0	0
+			5	0
	<u>4</u> ,	<u>9</u>	<u>5</u>	<u>0</u>

## Test Questions

1)  $8,700 - 3,750 = \underline{\quad}$

2)  $5,050 - 1,250 = \underline{\quad}$

3)  $7,220 - 2,100 = \underline{\quad}$

4)  $4,440 - 3,100 = \underline{\quad}$

5)  $2,700 - \underline{\quad} = 280$

6)  $3,550 - \underline{\quad} = 130$

7)  $6,400 - \underline{\quad} = 270$

8)  $5,850 - \underline{\quad} = 250$

9)  $9,740 - \underline{\quad} = 320$

10)  $5,200 - \underline{\quad} = 240$

11)  $2,050 - \underline{\quad} = 500$

12)  $6,850 - \underline{\quad} = 990$

13)  $2,040 - \underline{\quad} = 500$

14)  $4,090 - \underline{\quad} = 790$

## Bonds to 1,000

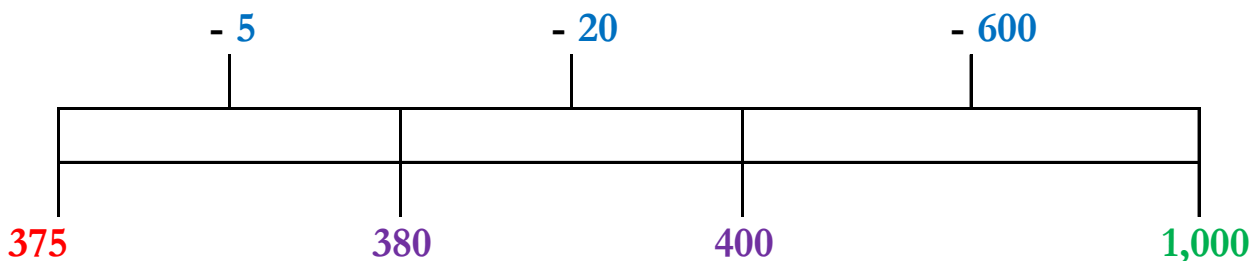
$$1) \quad 1,000 - \underline{\quad ? \quad} = 375$$

### Word Problem

Rafique's missing number is the **difference** between **one thousand** and **three hundred and seventy five**.

What is his missing number?

### Number Line



### Strategy Applied

**Number bonds to 1,000**, means two or more numbers added together that make the number **1,000**.

Use a ruler or number grid to help when counting on.

First, draw a number line and write **three hundred and seventy five** at the start and **one thousand** at the end.

Then, from **1,000** count back in **100s** to the **multiple of 100s** before **375**, 900, 800, 700, 600, 500, **400** equal to **six hundred**.

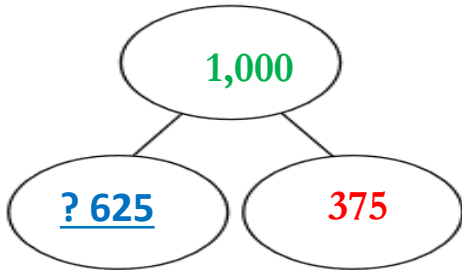
Next, from **400** count back in **10s** to the **multiple of 10s** before **375**, 390, **380** equal to **twenty**.

Then, from **380** count back in **1s** back to **375**, 379, 378, 377, 376, **375** equal to **five**.

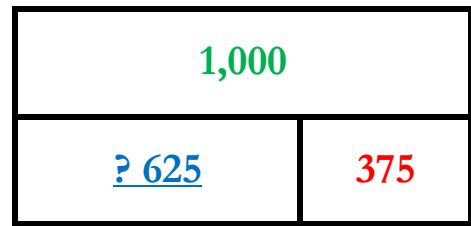
Next, add the amounts counted on from **largest** to **smallest**, **600** and **20** and **5** equal to **625**.

Finally, the missing number is **625**.

### Part Whole Model



### Bar Model



### Test Questions

- 1)  $1,000 - \underline{\quad} = 375$
- 2)  $1,000 - \underline{\quad} = 135$
- 3)  $1,000 - \underline{\quad} = 453$
- 4)  $1,000 - \underline{\quad} = 500$
- 5)  $1,000 - \underline{\quad} = 520$
- 6)  $1,000 - \underline{\quad} = 135$
- 7)  $1,000 - \underline{\quad} = 458$
- 8)  $1,000 - \underline{\quad} = 600$
- 9)  $1,000 - \underline{\quad} = 720$
- 10)  $1,000 - \underline{\quad} = 457$
- 11)  $1,000 - \underline{\quad} = 235$
- 12)  $1,000 - \underline{\quad} = 184$
- 13)  $1,000 - \underline{\quad} = 506$
- 14)  $1,000 - \underline{\quad} = 368$

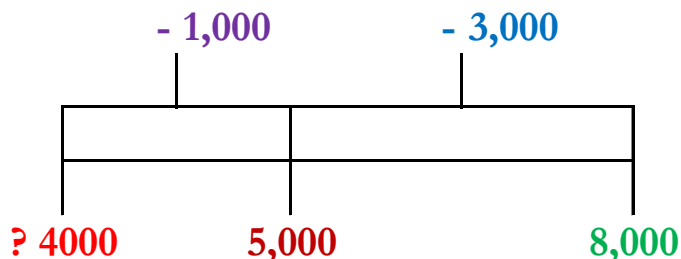
## Multiple Numbers

$$1) \quad 8,000 - 3,000 - 1,000 = \underline{\quad ? \quad}$$

### Word Problem

**Eight thousand** fans are seated at the Olympic Stadium. At **6pm** **three thousand** fans leave the stadium. It's **7.30pm** and **one thousand** more fans leave. How many fans are **left** in the stadium?

### Number Line



### Strategy Applied

First, draw a number line and write a ? at the start and eight thousand at the end.

First, find and touch the number **eight thousand** on the number line.

Then, **count backwards 3,000** less in **multiples of 1,000s**, 7,000, 6,000, **5,000** equal to **5,000**.

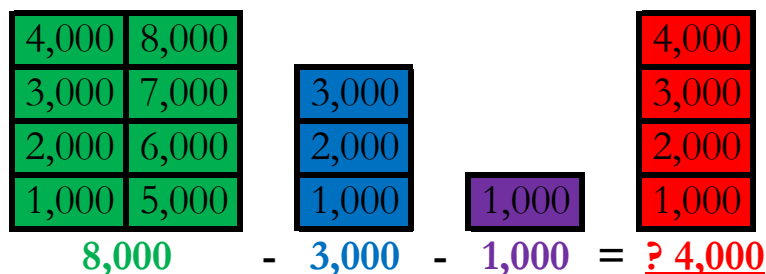
Next, the number counted back to should be **five thousand**.

Then, **count backwards 1,000** less in **multiples of 1,000s**, 4,000 equal to **4,000**.

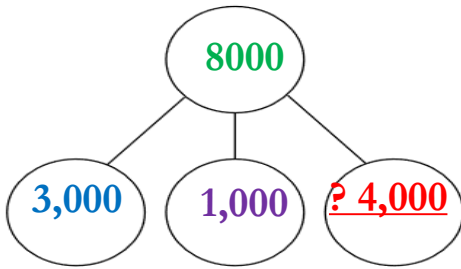
Next, the number counted back to should be **four thousand**.

Finally, **8,000** subtract **3,000** subtract **1,000** equals **4,000**.

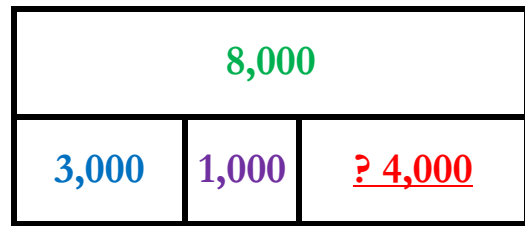
### Concrete Object



### Part Whole Model



### Bar Model



### Test Questions

1)  $8,000 - 3,000 - 1,000 = \underline{\quad}$

2)  $6,000 - 1,000 - 4,000 = \underline{\quad}$

3)  $4,000 - 3,000 - 300 = \underline{\quad}$

4)  $3,000 - 2,000 - 300 = \underline{\quad}$

5)  $7,000 - 5,000 - 100 = \underline{\quad}$

6)  $5,000 - 3,000 - 200 = \underline{\quad}$

7)  $5,000 - 1,000 - 200 = \underline{\quad}$

8)  $9,000 - 500 - 4,000 = \underline{\quad}$

9)  $4,000 - 2,100 - 300 = \underline{\quad}$

10)  $5,000 - 2,400 - 600 = \underline{\quad}$

11)  $\underline{\quad} = 1,700 - 900 - 60$

12)  $\underline{\quad} = 4,500 - 1,500 - 150$

13)  $\underline{\quad} = 3,900 - 900 - 70$

14)  $\underline{\quad} = 6,000 - 200 - 100$

## Multiples of 6, 7, 9, 25, 100

In the **number pattern** below, find the next two missing **terms**.

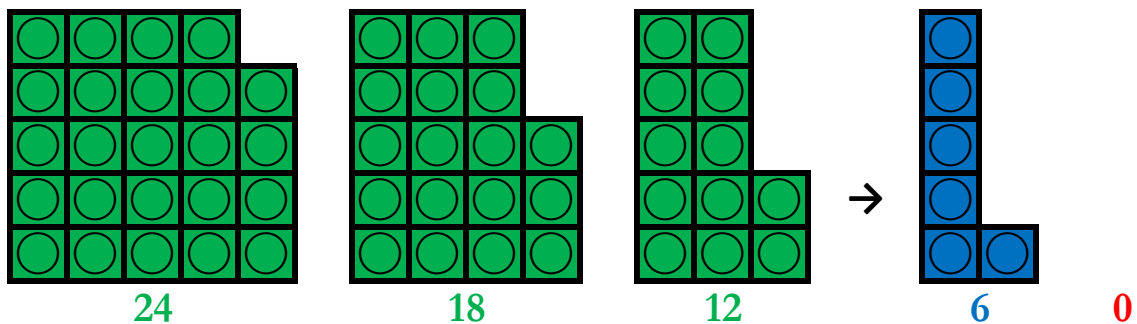
1) 24, 18, 12, ? ?

### Word Problem

David uses cubes to make the **number pattern** of **twenty four**, **eighteen** and **twelve**.

What are the next two missing **terms**?

### Concrete Object



### Strategy Applied

Work out the **number pattern**, by finding out the **difference** between the **three** numbers.

The difference between each of the **three** numbers is known as the **rule**.

First, **count backwards** from **twenty four** to **eighteen** equalling **six**, the rule is **-6**.

Then, count backwards from **eighteen** to **twelve** equalling **six**, the rule is **-6**.

The rule is **-6** (**count back six**) each number in the number pattern.

Continue this number pattern to find the next two missing numbers.

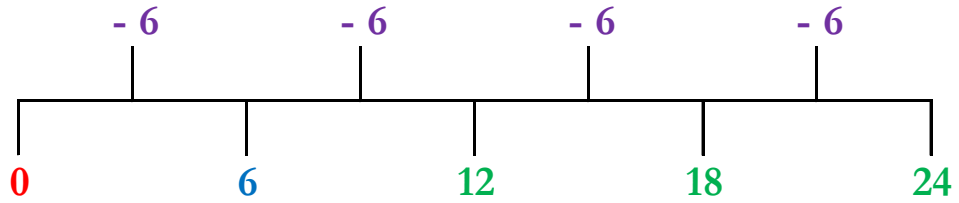
Next, find **twelve** on the number line and count back **six less**, equal to **six**.

Then, find **six** on the number line and count back **six less**, equal to **zero**.

Finally, the next two missing terms in the number pattern are **six** and **zero**.



## Metric Ruler



## Test Questions

- 1) 24, 18, 12,         ,
- 2) 39, 33, 27,         ,
- 3) 51, 45, 39,         ,
- 4) 52, 45, 38,         ,
- 5) 64, 57, 50,         ,
- 6) 76, 69, 62,         ,
- 7) 101, 92, 83,         ,
- 8) 210, 201, 192,         ,
- 9) 305, 296, 287,         ,
- 10) 420, 411, 402,         ,
- 11) 725, 700, 675,         ,
- 12) 950, 925, 900,         ,
- 13) 1,200, 1,100, 1,000         ,
- 14) 2,700, 2,600, 2,500         ,

# Decimals

1)  $2.1 - 1.8 = \underline{\quad ? \quad}$

## Word Problem

In the Arctic, the temperature was **two point one** degrees above freezing on Saturday and **one point eight** degrees above freezing on Sunday.

What was the **difference** in temperatures?

## Number Grid

0.0	0.1	0.2	<b>0.3</b> ← 0.4	0.5	0.6	0.7	0.8 ← 0.9		
<b>1.0</b> ←	<b>1.1</b>	1.2	1.3	1.4	1.5	1.6	1.7	1.8	1.9
2.0	<b>2.1</b>	2.2	2.3	2.4	2.5	2.6	2.7	2.8	2.9

## Strategy Applied

**Partition 1.8** into **1.0** + **0.8** and subtract each partitioned value from **2.1**.

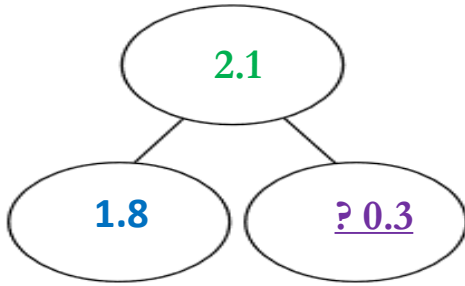
First, find and touch the number **two point one** on a decimal number grid.

Then, **count upwards one square** which is **1.0** less aloud in number order, whilst touching the numbers on the number grid, equal to **one point one**.

Next, **count backwards 0.8** less aloud in number order, whilst touching the numbers on the number grid, 1.0, 0.9, 0.8, 0.7, 0.6, 0.5, 0.4, **0.3** equal to **zero point three**.

Finally, the **value** of the missing number is **zero point three**.

### Part Whole Model



### Bar Model



### Test Questions

1)  $2.1 - 1.8 = \underline{\quad}$

2)  $2.5 - 1.3 = \underline{\quad}$

3)  $6.3 - 2.6 = \underline{\quad}$

4)  $7.5 - 1.4 = \underline{\quad}$

5)  $6.2 - 1.7 = \underline{\quad}$

6)  $4.7 - 2.1 = \underline{\quad}$

7)  $4.4 - 3.7 = \underline{\quad}$

8)  $6.1 - 3.9 = \underline{\quad}$

9)  $8.1 - 1.9 = \underline{\quad}$

10)  $3.6 - 3.2 = \underline{\quad}$

11)  $\underline{\quad} = 5.4 - 2.2$

12)  $\underline{\quad} = 6.7 - 3.3$

13)  $\underline{\quad} = 5.5 - 1.7$

14)  $\underline{\quad} = 7.2 - 1.9$

## Column Subtraction

$$1) 3,657 - 2,465 = \underline{\quad ? \quad}$$

### Step 1

$$\begin{array}{r} 3\ 6\ 5\ 7 \\ -2\ 4\ 6\ 5 \\ \hline \phantom{3\ 6\ 5}\ 2 \\ \hline \end{array}$$

### Step 2

$$\begin{array}{r} \phantom{3\ 6}\ 5 \\ 3\ 6\ 15\ 7 \\ -2\ 4\ 6\ 5 \\ \hline \phantom{3\ 6}\ 9\ 2 \\ \hline \end{array}$$

### Step 3

$$\begin{array}{r} \phantom{3\ 6}\ 5 \\ 3\ 6\ 15\ 7 \\ -2\ 4\ 6\ 5 \\ \hline \phantom{3\ 6}\ 1\ 9\ 2 \\ \hline \end{array}$$

### Step 4

$$\begin{array}{r} \phantom{3\ 6}\ 5 \\ 3\ 6\ 15\ 7 \\ -2\ 4\ 6\ 5 \\ \hline \phantom{3\ 6}\ 1,\ 1\ 9\ 2 \\ \hline \end{array}$$

### Strategy Applied

#### Step 1

In the **1s** column, 7 subtract 6, equals 2 **ones** (2).

Write **2** in the **total value** of the **1s** column.

#### Step 2

In the **10s** column, 5 subtract 6, you cannot do as 5 is a **lower value** than 6. **Exchange/Regroup 1 hundred** into **10 tens** from the **100s** column to the **10s** column.

Cross out the 6 **tens** and write **5 tens** above, then write the **exchanged/regrouped 1 ten** next to the 5 **ones** to make **15 ones**.

In the **10s** column, **15** subtract 6, equals 9 **tens** (**90**).

Write **9** in the **total value** of the **10s** column.

#### Step 3

In the **100s** column, **5** subtract 4, equals 1 **hundred** (**100**).

Write **1** in the **total value** of the **100s** column.

#### Step 4

In the **1,000s** column, 3 subtract 2, equals 1 **thousand** (**1,000**).

Write **1** in the **total value** of the **1,000s** column.

**Total value** is **1,192**.

## Column Subtraction

$$1) 3,635 - 2,446 = \underline{\quad ? \quad}$$

Step 1

$$\begin{array}{r} \phantom{3} \phantom{6} \phantom{3} \mathbf{2} \\ 3 \ 6 \ 3 \ 15 \\ -2 \ 4 \ 4 \ 6 \\ \hline \phantom{3} \phantom{6} \phantom{3} \mathbf{9} \\ \hline \end{array}$$

Step 2

$$\begin{array}{r} \phantom{3} \phantom{6} \mathbf{5} \ \mathbf{2} \\ 3 \ 6 \ 13 \ 15 \\ -2 \ 4 \ 4 \ 6 \\ \hline \phantom{3} \phantom{6} \mathbf{8} \ \mathbf{9} \\ \hline \end{array}$$

Step 3

$$\begin{array}{r} \phantom{3} \phantom{6} \mathbf{5} \ \mathbf{2} \\ 3 \ 6 \ 13 \ 15 \\ -2 \ 4 \ 4 \ 6 \\ \hline \phantom{3} \phantom{6} \mathbf{1} \ \mathbf{8} \ \mathbf{9} \\ \hline \end{array}$$

Step 3

$$\begin{array}{r} \phantom{3} \phantom{6} \mathbf{5} \ \mathbf{2} \\ 3 \ 6 \ 13 \ 15 \\ -2 \ 4 \ 4 \ 6 \\ \hline \mathbf{1,} \ \mathbf{1} \ \mathbf{8} \ \mathbf{9} \\ \hline \end{array}$$

### Strategy Applied

#### Step 1

In the **1s** column, 5 subtract 6, you cannot do as 5 is a **lower value** than 6. **Exchange/Regroup 1 ten** into **10 ones** from the **10s** column to the **1s** column.

Cross out the 3 **tens** and write **2 tens** above, then write the **exchanged/regrouped 1 ten** next to the 5 **ones** to make **15 ones**.

In the **1s** column, **15** subtract 6, equals 9 **ones** (**9**).

Write **9** in the **total value** of the **1s** column.

#### Step 2

In the **10s** column, **2** subtract 4, you cannot do as **2** is a **lower value** than 4. **Exchange/Regroup 1 hundred** into **10 tens** from the **100s** column to the **10s** column.

Cross out the 6 **hundreds** and write **5 tens** above, then write the **exchanged/regrouped 1 hundred** next to the **2 tens** to make **12 tens**.

In the **10s** column, **12** subtract 4, equals 8 **tens** (**80**).

Write **8** in the **total value** of the **10s** column.

#### Step 3

In the **100s** column, **5** subtract 4, equals 1 **hundred** (**100**).

Write **1** in the **total value** of the **100s** column.

#### Step 4

In the **1,000s** column, 3 subtract 2, equals 1 **thousand** (**1,000**).

Write **1** in the **total value** of the **1,000s** column.

**Total value** is **1,549**.

## Column Subtraction

1)  $3,000 - 2,448 = \underline{\quad ? \quad}$

Step 1

$$\begin{array}{r} 2 \\ 3\cancel{1}0 \ 0 \ 0 \\ -2 \ 4 \ 4 \ 8 \\ \hline \hline \end{array}$$

Step 2

$$\begin{array}{r} 2 \ 9 \\ 3 \ \cancel{1}0 \ \cancel{1}0 \ 0 \\ -2 \ 4 \ 4 \ 8 \\ \hline \hline \end{array}$$

Step 3

$$\begin{array}{r} 2 \ 9 \ 9 \\ 3 \ \cancel{1}0 \ \cancel{1}0 \ \cancel{1}0 \\ -2 \ 4 \ 4 \ 8 \\ \hline \hline \end{array}$$

Step 4

$$\begin{array}{r} 2 \ 9 \ 9 \\ 3 \ \cancel{1}0 \ \cancel{1}0 \ \cancel{1}0 \\ -2 \ 4 \ 4 \ 8 \\ \hline 0 \ 5 \ 5 \ 2 \\ \hline \hline \end{array}$$

### Strategy Applied

#### Step 1

In the **1s** column, 0 subtract 8, you cannot do as 0 is a **lower value** than 8. From the **10s** column, **regroup 1 ten** from the 0 **tens**, you cannot do this as the value of the **tens** is zero.

From the **100s** column, **regroup 1 hundred** from the 0 **tens**, you cannot do this as the value of the **hundreds** is zero.

Instead, **exchange/regroup 1 thousand** into **10 hundreds** from the **1,000** column to the **10s** column.

Cross out the 3 **thousands** and write **2 thousands** above, then write the **exchanged/regrouped 1 thousand** next to the 0 **hundreds** to make **10 hundreds**.

#### Step 2

**Exchange/Regroup 1 hundred** into **10 tens** from the **100s** column to the **10s** column.

Cross out the **10 hundreds** and write **9 hundreds** above, then write the **exchanged/regrouped 1 hundred** next to the 0 **tens** to make **10 tens**.

#### Step 3

**Exchange/Regroup 1 ten** into **10 ones** from the **10s** column to the **1s** column.

Cross out the **10 tens** and write **9 tens** above, then write the **exchanged/regrouped 1 ten** next to the 0 **ones** to make **10 ones**.

### Step 4

In the **1s** column, **10** subtract 8, equals 2 **ones** (**2**).

Write **2** in the **total value** of the **1s** column.

In the **10s** column, **9** subtract 4, equals 5 **tens** (**50**).

Write **5** in the **total value** of the **10s** column.

In the **100s** column, **9** subtract 4, equals 5 **hundreds** (**500**).

Write **5** in the **total value** of the **100s** column.

In the **1,000s** column, **2** subtract 2, equals 0 **thousands** (**0**).

Write **0** in the **total value** of the **1,000s** column.

**Total value** is **552**.

### Test Questions

$$\begin{array}{r} 1) \quad 8 \quad 2 \quad 5 \quad 7 \\ - \quad 1 \quad 4 \quad 6 \quad 5 \\ \hline \\ \hline \end{array}$$

$$\begin{array}{r} 2) \quad 8 \quad 9 \quad 7 \quad 5 \\ - \quad 5 \quad 4 \quad 8 \quad 3 \\ \hline \\ \hline \end{array}$$

$$\begin{array}{r} 3) \quad 6 \quad 2 \quad 6 \quad 8 \\ - \quad 3 \quad 3 \quad 9 \quad 4 \\ \hline \\ \hline \end{array}$$

$$\begin{array}{r} 4) \quad 3 \quad 4 \quad 3 \quad 5 \\ - \quad 2 \quad 2 \quad 4 \quad 6 \\ \hline \\ \hline \end{array}$$

$$\begin{array}{r} 5) \quad 4 \quad 8 \quad 3 \quad 7 \\ - \quad 1 \quad 2 \quad 4 \quad 8 \\ \hline \\ \hline \end{array}$$

$$\begin{array}{r} 6) \quad 5 \quad 7 \quad 1 \quad 3 \\ - \quad 2 \quad 2 \quad 4 \quad 4 \\ \hline \\ \hline \end{array}$$

$$\begin{array}{r} 7) \quad 7 \quad 3 \quad 4 \quad 0 \\ - \quad \quad 5 \quad 6 \quad 9 \\ \hline \\ \hline \end{array}$$

$$\begin{array}{r} 8) \quad 3 \quad 2 \quad 5 \quad 0 \\ - \quad \quad 4 \quad 4 \quad 8 \\ \hline \\ \hline \end{array}$$

$$\begin{array}{r} 9) \quad 8 \quad 4 \quad 5 \quad 0 \\ - \quad \quad 6 \quad 5 \quad 3 \\ \hline \\ \hline \end{array}$$

$$\begin{array}{r} 10) \quad 3 \quad 0 \quad 0 \quad 0 \\ - \quad 2 \quad 4 \quad 4 \quad 8 \\ \hline \\ \hline \end{array}$$

$$\begin{array}{r} 11) \quad 4 \quad 0 \quad 0 \quad 0 \\ - \quad 2 \quad 9 \quad 3 \quad 8 \\ \hline \\ \hline \end{array}$$

$$\begin{array}{r} 12) \quad 7 \quad 0 \quad 0 \quad 0 \\ - \quad 4 \quad 8 \quad 3 \quad 7 \\ \hline \\ \hline \end{array}$$

## Column Subtraction with Decimals

$$1) \quad 79.5 + 24.6 = \underline{\quad ? \quad}$$

### Word Problem

The **perimeter** of a farm is **twenty four point six kilometres fewer** than **seventy nine point five kilometres**.

What is the perimeter of the farm?

### Step 1

$$\begin{array}{r} 8 \\ 79.15 \\ - 24.6 \\ \hline \\ \hline \end{array}$$

### Step 2

$$\begin{array}{r} 8 \\ 79.15 \\ - 24.6 \\ \hline \phantom{00}9 \\ \hline \end{array}$$

### Step 3

$$\begin{array}{r} 8 \\ 79.15 \\ - 24.6 \\ \hline 54.9 \\ \hline \end{array}$$

### Strategy Applied

#### Step 1

In the **10ths** column, 5 subtract 6, you cannot do as 5 is a **lower value** than 6.

**Exchange/Regroup 1 one** into **10 tenths** from the **1s** column to the **10ths** column.

Cross out the 9 **ones** and write **8 ones** above, then write the **exchanged/regrouped 1 one** next to the 5 **tenths** to make **15 tenths**.

#### Step 2

In the **10ths** column, **15** subtract 6, equals 9 **tenths** (**0.9**).

Write **9** in the **total value** of the **10ths** column.

#### Step 3

In the **1s** column, **8** subtract 4, equals 4 **ones** (**4**).

Write **4** in the **total value** of the **1s** column.

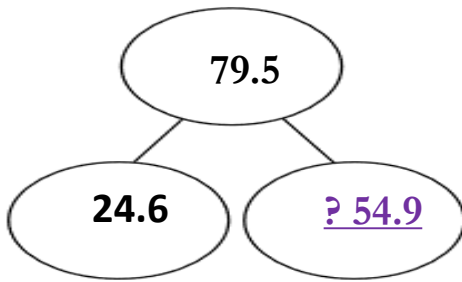
In the **10s** column, 7 subtract 2, equals 5 **tens** (**50**).

Write **5** in the **total value** of the **10s** column.

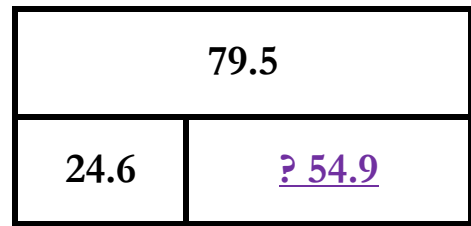
**Total value** is **54.9**.



### Part Whole Model



### Bar Model



### Test Questions

$$\begin{array}{r} 1) \quad 79.5 \\ - 24.6 \\ \hline \\ \hline \end{array}$$

$$\begin{array}{r} 2) \quad 45.7 \\ - 24.8 \\ \hline \\ \hline \end{array}$$

$$\begin{array}{r} 3) \quad 69.3 \\ - 24.4 \\ \hline \\ \hline \end{array}$$

$$\begin{array}{r} 4) \quad 95.7 \\ - 46.5 \\ \hline \\ \hline \end{array}$$

$$\begin{array}{r} 5) \quad 67.9 \\ - 48.3 \\ \hline \\ \hline \end{array}$$

$$\begin{array}{r} 6) \quad 56.8 \\ - 39.4 \\ \hline \\ \hline \end{array}$$

$$\begin{array}{r} 7) \quad 84.0 \\ - 56.9 \\ \hline \\ \hline \end{array}$$

$$\begin{array}{r} 8) \quad 73.0 \\ - 44.8 \\ \hline \\ \hline \end{array}$$

$$\begin{array}{r} 9) \quad 75.0 \\ - 65.3 \\ \hline \\ \hline \end{array}$$

$$\begin{array}{r} 10) \quad 80.4 \\ - 56.8 \\ \hline \\ \hline \end{array}$$

$$\begin{array}{r} 11) \quad 60.6 \\ - 48.7 \\ \hline \\ \hline \end{array}$$

$$\begin{array}{r} 12) \quad 90.5 \\ - 63.5 \\ \hline \\ \hline \end{array}$$

$$\begin{array}{r} 13) \quad 30.0 \\ - 9.4 \\ \hline \\ \hline \end{array}$$

$$\begin{array}{r} 14) \quad 40.0 \\ - 9.3 \\ \hline \\ \hline \end{array}$$

$$\begin{array}{r} 15) \quad 20.0 \\ - 8.3 \\ \hline \\ \hline \end{array}$$

## Find the Missing Number

$$1) \quad 8,700 - 1,000 = \underline{\quad} - 2,000$$

### Word Problem

Two thousand fewer than the missing number is equal to the total value of the first number sentence.

#### Step 1

$$\begin{array}{r} 8,700 \\ - 1,000 \\ \hline 7,700 \end{array}$$

#### Step 2

$$\begin{array}{r} 7,700 \\ + 2,000 \\ \hline 9,700 \end{array}$$

### Strategy Applied

#### Step 1

First, subtract the known number sentence, which is  $8,700 - 1,000$ .

Then, partition eight thousand, seven hundred into its digit values.

$$8,000 + 700 + 0 + 0.$$

From the digit value of the 1,000s place value, eight thousand, subtract the one thousand.  $8,000 - 1,000 = 7,000$

The digit value of the 100s, 10s and 1s in 8,700 will remain the same as

$$700 + 0 + 0.$$

Next, the new partitioned values are  $7,000 + 700 + 0 + 0$  equal to 7,700.

Finally, 8,700 subtract 1,000 is equal to 7,700.

#### Step 2

Now we know  $7,700 = \underline{\quad} - 2,000$

Use the inverse to calculate the missing number  $7,700 + 2,000 = \underline{\quad}$

Then, partition seven thousand, seven hundred into its digit values.

$$7,000 + 700 + 0 + 0.$$

From the digit value of the **1,000s place value**, **seven thousand** add the **two thousand**.  $7,000 + 2,000 = 9,000$

The digit value of the **100s**, **10s** and **1s** in **7,700** will remain the same as  $700 + 0 + 0$ .

Next, the new partitioned values are  $9,000 + 700 + 0 + 0$ , equal to **9,700**.

Finally, the **value** of the missing number is equal to **9,700**.

### Test Questions

1)  $8,700 - 1,000 = \underline{\quad} - 2,000$

2)  $1,457 + 1,732 - 357 = \underline{\quad}$

3)  $5,950 - \underline{\quad} - 450 = 2,500$

4)  $\pounds 3.42 - \pounds 1.72 = \underline{\quad}$

5)  $450 + \underline{\quad} - 226 = 1,000$

6) 10 less than 729 =  $\underline{\quad}$

7)  $5,623 + 1,000 - 100 = \underline{\quad}$

8)  $\pounds 54.84 - \pounds 27.63 = \underline{\quad}$

9)  $235 - 142 = \underline{\quad} + 50$

10)  $36 - 6 - 6 = \underline{\quad}$

11)  $63 - 9 - 9 = \underline{\quad}$

12)  $70 - 7 - 7 = \underline{\quad}$

13)  $90 - 9 - 9 = \underline{\quad}$

14)  $84 - 7 - 7 = \underline{\quad}$

## Step Counting

$$1) \quad \underline{\quad ? \quad} = 4 \times 12$$

### Word Problem

There are **four** fish in one jar.

How many fish are there in **twelve** jars?

### Number Line

0	1	2	3	4	5	6	7	8	9	10	11	12	13	14	15	16	17	18	19	20
21	22	23	24	25	26	27	28	29	30	31	32	33	34	35	36	37	38	39	40	41
42	43	44	45	46	47	48	49	50	51	52	53	54	55	56	57	58	59	60	61	62

### Strategy Applied

The **twelve** represents the **value** in each **group**, the **multiplicand**.

The **four** represents how many **groups** there are, the **multiplier**.

The **?** represents the **total value** of **four** groups of **twelve**, the **product**.

For **step counting** each lot of **twelve** is added on **four** times up to **?**, expressing the **number value** as it is **counted on**.

First, find and touch the number **zero** on a number line.

Then, **count forwards twelve** more aloud in number order, whilst touching the numbers on the number line, on to the number **twelve**.

Next, **count forwards twelve** more aloud in number order, whilst touching the numbers on the number line, on to the number **twenty four**.

Then, **count forwards twelve** more aloud in number order, whilst touching the numbers on the number line, on to the number **thirty six**.

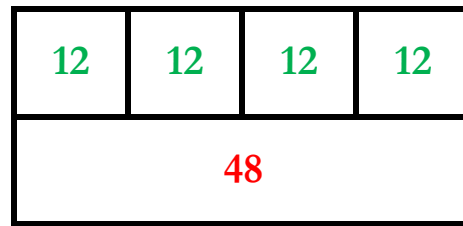
Next, **count forwards twelve** more aloud in number order, whilst touching the numbers on the number line, on to the number **forty eight**.

Finally, **twelve** lots of **four** equals **forty eight**.

## Step Counting

12 → 24 → 36 → 48  
•        •        •        •

## Bar Model



## Test Questions

- 1) \_\_\_ = 4 x 12
- 2) \_\_\_ = 12 x 3
- 3) \_\_\_ = 4 x 9
- 4) \_\_\_ = 5 x 5
- 5) \_\_\_ = 7 x 11
- 6) \_\_\_ = 4 x 4
- 7) \_\_\_ = 12 x 8
- 8) \_\_\_ = 6 x 6
- 9) \_\_\_ = 9 x 3
- 10) \_\_\_ = 8 x 6
- 11) \_\_\_ = 9 x 9
- 12) \_\_\_ = 4 x 11
- 13) \_\_\_ = 8 x 3
- 14) \_\_\_ = 7 x 6

## Multiple Numbers

1)  $2 \times 5 \times 4 = \underline{\quad ? \quad}$

### Word Problem

Two pencils are placed in each pot.

There are five pots in one row.

What is the total number of pencils in four rows?

### Step 1

2 → 4 → 6 → 8 → 10  
•     •     •     •     •

2	4	6	8	10
1	3	5	7	9

### Step 2

10 → 20 → 30 → 40  
•     •     •     •

5	10	15	20	25	30	35	40
4	9	14	19	24	29	34	39
3	8	13	18	23	28	33	38
2	7	12	17	22	27	32	37
1	6	11	16	21	26	31	36

### Strategy Applied

The three numbers can be multiplied in any order.

Out of the three numbers, multiply two of them together first and the product (answer) will then be multiplied by the remaining number.

### Step 1

Use step counting to multiply two by five, equal to ten.

### Step 2

Use step counting to multiply ten by four, equal to forty.

The total value of the product is forty.

## Test Questions

1)  $2 \times 5 \times 4 = \underline{\quad}$

2)  $5 \times 3 \times 5 = \underline{\quad}$

3)  $2 \times 3 \times 5 = \underline{\quad}$

4)  $5 \times 6 \times 4 = \underline{\quad}$

5)  $2 \times 3 \times 8 = \underline{\quad}$

6)  $7 \times 7 \times 3 = \underline{\quad}$

7)  $2 \times 3 \times 7 = \underline{\quad}$

8)  $8 \times 3 \times 4 = \underline{\quad}$

9)  $3 \times 4 \times 6 = \underline{\quad}$

10)  $3 \times 4 \times 7 = \underline{\quad}$

11)  $\underline{\quad} = 20 \times 3 \times 7$

12)  $\underline{\quad} = 80 \times 3 \times 4$

13)  $\underline{\quad} = 30 \times 4 \times 60$

14)  $\underline{\quad} = 30 \times 40 \times 70$

## x10 and x100

1)  $26 \times 100 = \underline{\quad ? \quad}$

### Word Problem

A race from London to Brighton is **one hundred** miles long.

Only **twenty six** of the participants complete the race.

The collective number of miles ridden by them all is **how much?**

### Place Value Grid

<u>Thousands</u> 1,000s	<u>Hundreds</u> 100s	<u>Tens</u> 10s	<u>Ones</u> 1s
		2	6
2	6	0	0

### Strategy Applied

Multiplying any number by **one hundred**, means that number will become **one hundred times as big**.

Each **digit** in the number will move **two column place values** to the **left**.

First, write the number **twenty six** on a **place value grid**, in the **1s** and **10s** column.

Then, in the **10s** column multiply the digit **two** by **one hundred** by moving it **two column place values** to the **left** and write **two** in the **1,000s** column.

Next, in the **1s** column multiply the digit **six** by **one hundred** by moving it **two column place values** to the **left** and write **six** in the **100s** column.

Then, the **10s** and **1s** column cannot be left blank as they still have a **value**, write **zero**, a **place holder** in both columns.

Finally, **26** multiplied by **100** is equal to **2,600**.



## Test Questions

1)  $26 \times 100 = \underline{\quad}$

2)  $39 \times 10 = \underline{\quad}$

3)  $41 \times 100 = \underline{\quad}$

4)  $58 \times 10 = \underline{\quad}$

5)  $63 \times 100 = \underline{\quad}$

6)  $72 \times 10 = \underline{\quad}$

7)  $80 \times 100 = \underline{\quad}$

8)  $94 \times 10 = \underline{\quad}$

9)  $75 \times 100 = \underline{\quad}$

10)  $53 \times 10 = \underline{\quad}$

11)  $91 \times 100 = \underline{\quad}$

12)  $82 \times 10 = \underline{\quad}$

13)  $64 \times 100 = \underline{\quad}$

14)  $55 \times 10 = \underline{\quad}$

## Short Multiplication

1)  $2, 1 3 5 \times 4 = \underline{\quad}$

### Word Problem

Over **four** years, **two thousand, one hundred and thirty five** pounds is saved each year.

How much is saved in **total**?

#### Step 1

$$\begin{array}{r} 2\ 1\ 3\ 5 \\ \times \quad \quad \quad 4 \\ \hline \quad \quad \quad 0 \\ \hline \quad \quad \quad 2 \end{array}$$

#### Step 2

$$\begin{array}{r} 2\ 1\ 3\ 5 \\ \times \quad \quad \quad 4 \\ \hline \quad \quad 4\ 0 \\ \hline \quad 1\ 2 \end{array}$$

#### Step 3

$$\begin{array}{r} 2\ 1\ 3\ 5 \\ \times \quad \quad \quad 4 \\ \hline \quad 5\ 4\ 0 \\ \hline \quad 1\ 2 \end{array}$$

#### Step 4

$$\begin{array}{r} 2\ 1\ 3\ 5 \\ \times \quad \quad \quad 4 \\ \hline 8, 5\ 4\ 0 \\ \hline \quad 1\ 2 \end{array}$$

### Strategy Applied

#### Step 1

In the **1s** column, multiply **5** by **4**, equals 20 **ones** (**20** + **0**).

Write **0** in the **total value** of the **1s** column.

**Exchange/Regroup** the **20 ones** into **2 tens** from the **1s** column to the **10s** column and write **2 tens** below the **total value line** of the **10s** column.

#### Step 2

In the **10s** column, multiply (30) **3** by **4**, equals 12 **tens** (**100** + **20**).

Add the **exchanged/regrouped 2 tens** (20) below, equals 14 **tens** (**100** + **40**).

Write **4** in the **total value** of the **10s** column.

**Exchange/Regroup** the **10 tens** into **1 hundred** from the **10s** column to the **100s** column and write **1** below the **total value line** of the **100s** column.

### Step 3

In the **100s** column, multiply (100) **1** by **4**, equals 4 **hundreds** (**400**).

Add the **exchanged/regrouped 1 hundred** (100) below, equals 5 **hundreds** (**500**).

Write **5** in the **total value** of the **100s** column.

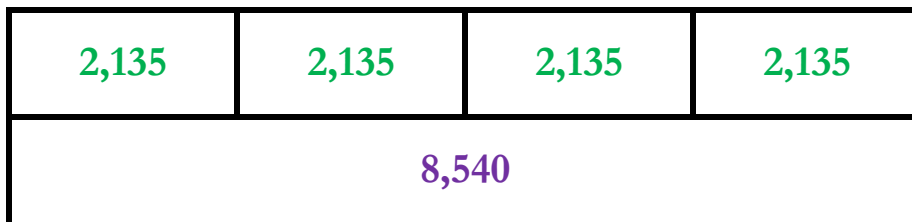
### Step 4

In the **1,000s** column, multiply (2,000) **2** by **4**, equals **8 hundreds** (**800**).

Write **8** in the **total value** of the **1,000s** column.

**Total value** is **8,540**.

### Bar Model



### Test Questions

$$\begin{array}{r} 1) \ 2 \ 8 \\ \times \ 4 \\ \hline \end{array}$$

$$\begin{array}{r} 2) \ 6 \ 4 \\ \times \ 8 \\ \hline \end{array}$$

$$\begin{array}{r} 3) \ 2 \ 1 \ 4 \\ \times \ 5 \\ \hline \end{array}$$

$$\begin{array}{r} 4) \ 2 \ 1 \ 3 \ 5 \\ \times \ 4 \\ \hline \end{array}$$

$$\begin{array}{r} 5) \ 4 \ 7 \\ \times \ 9 \\ \hline \end{array}$$

$$\begin{array}{r} 6) \ 5 \ 2 \\ \times \ 6 \\ \hline \end{array}$$

$$\begin{array}{r} 7) \ 3 \ 7 \ 5 \\ \times \ 3 \\ \hline \end{array}$$

$$\begin{array}{r} 8) \ 8 \ 2 \ 5 \ 7 \\ \times \ 5 \\ \hline \end{array}$$

$$\begin{array}{r} 9) \ 4 \ 3 \\ \times \ 9 \\ \hline \end{array}$$

$$\begin{array}{r} 10) \ 6 \ 3 \\ \times \ 3 \\ \hline \end{array}$$

$$\begin{array}{r} 11) \ 1 \ 7 \ 6 \\ \times \ 4 \\ \hline \end{array}$$

$$\begin{array}{r} 12) \ 7 \ 3 \ 4 \ 0 \\ \times \ 9 \\ \hline \end{array}$$

## Short Multiplication with Decimals

1)  $21.35 \times 3 = \underline{\quad}$

### Word Problem

One bag of cement weighs **twenty one point three five** kilograms.

What is the weight of **three** bags?

#### Step 1

$$\begin{array}{r} 21.35 \\ \times \quad 3 \\ \hline \phantom{21.}5 \\ \hline \phantom{21.}1 \end{array}$$

#### Step 2

$$\begin{array}{r} 21.35 \\ \times \quad 3 \\ \hline \phantom{21.}05 \\ \hline 1 \phantom{1} \end{array}$$

#### Step 3

$$\begin{array}{r} 21.35 \\ \times \quad 3 \\ \hline 64.05 \\ \hline 1 \phantom{1} \end{array}$$

### Strategy Applied

#### Step 1

In the **100ths** column, multiply **5** by **3**, equals 15 **hundredths** (**0.10** + **0.05**).

Write **5** in the **total value** of the **100ths** column.

**Exchange/Regroup** the **10 hundredths** into **1 tenth** from the **10ths** column to the **10ths** column and write **1 tenth** below the **total value line** of the **10ths** column.

#### Step 2

In the **10ths** column, multiply **3** by **3**, equals **9 ones** (**0.09**).

Add the **exchanged/regrouped 1 tenth** below, equals 10 **tenths** (**1.0** + **0.0**).

Write **0** in the **total value** of the **10ths** column.

**Exchange/Regroup** the **10 tenths** into **1 one** from the **10ths** column to the **1s** column and write **1 one** below the **total value line** of the **1s** column



## Find the Missing Number

$$1) \quad 34 \times 5 = \underline{\quad} - 30$$

### Word Problem

**Five** packets of **thirty four** sunflower seeds are planted in **Garden A**.  
**Garden B** plants the same amount of seeds.

### Step 1

$$\begin{array}{r} 30 \times 5 = 150 \\ 4 \times 5 = 20 \\ \hline 170 \end{array} +$$

### Strategy Applied

#### Step 1

Calculate the **known number sentence**  $34 \times 5$ , using **partitioning**.

There are **five** lots of **thirty fours**,

**Partition** the number **thirty four** into its digit values  $30 + 4$ , multiplicand.

Multiply each digit value by **five**, the multiplier.

First, multiply **thirty** by **five**, equal to **one hundred and fifty**.

Then, multiply **four** by **five**, equal to **twenty**.

Finally, add **together** **one hundred and fifty** and **twenty**, equal to **one hundred and seventy**.

#### Step 2

$$\begin{array}{r} 100 + 0 = 100 \\ 70 + 30 = 100 + \\ 0 + 0 = \underline{\underline{200}} \end{array}$$

## Step 2

New **known fact**  $170 = \underline{\quad} - 30$  or  $\underline{\quad} - 30 = 170$

Use the **inverse** of subtraction, which is addition and add together,

$$170 + 30 = \underline{\quad}$$

Partition **one hundred and seventy** into its digit values  $100 + 70 + 0$ .

As only **thirty** is to be added, the digit value of the **10s** column will change in the number **170**, which is **70**.

**70** add **30** is equal to **100**.

The digit value of the **100s** and **10s** in **170** will remain the same as **100 + 0**.

Next, the new partitioned values are **100 + 100 + 0**.

Finally, **100 + 70 + 0** add **30** is equal to **200**.

## Test Questions

1)  $34 \times 5 = \underline{\quad} - 30$

8)  $9 \times 4 \times 2 = \underline{\quad}$

2)  $3 \times 8 = \underline{\quad} \times 4$

9)  $3 \times 8 = \underline{\quad} \times 4$

3)  $7 \times 3 \times 0 = \underline{\quad}$

10)  $4 \times 8 \times 8 = \underline{\quad}$

4)  $4 \times 6 \times 10 = \underline{\quad}$

11)  $25 \times 3 = \underline{\quad} \times 5$

5)  $4 \times 3 \times 6 = \underline{\quad}$

12)  $8 \times 3 \times 0 = \underline{\quad}$

6)  $3 \times 7 \times 7 = \underline{\quad}$

13)  $6 \times 8 = \underline{\quad} \times 4$

7)  $24 \times 5 = \underline{\quad} \times 10$

14)  $345 \times 8 = 3450 - \underline{\quad}$

## Inverse of Division

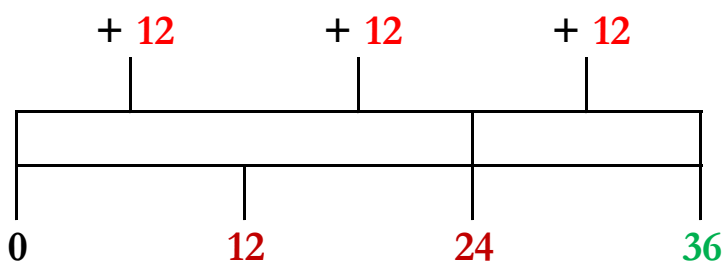
1)  $36 \div \underline{\quad} = 12$

### Word Problem

A number of children share **thirty six** pounds equally between them, they each receive **twelve** pounds.

How many children are there?

### Metric Ruler



### Step Counting



### Strategy Applied

The **thirty six** represents the **total value**, the **dividend**.

The **missing number** represents how many **groups of thirty six**, the **divisor**.

The **twelve** represents the **value** in each **equal group**, the **quotient**.

Use the **inverse** of **division** is **multiplication**,  $12 \times \underline{\quad} = 36$

Apply **step counting** to calculate the **missing number**, the **divisor**, by counting on **lots of twelves** on to **thirty six**.

First, find and touch the number **zero** on a number line.

Then, **count forwards twelve** more aloud in number order, whilst touching the numbers on the number line, on to the number **twelve**.

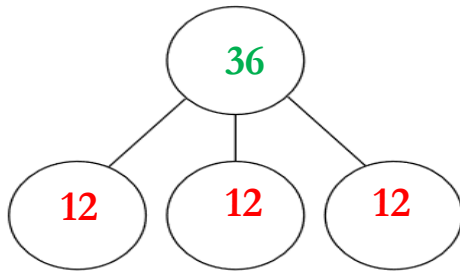
Then, **count forwards twelve** more aloud in number order, whilst touching the numbers on the number line, on to the number **twenty four**.

Then, **count forwards twelve** more aloud in number order, whilst touching the numbers on the number line, on to the number **thirty six**.

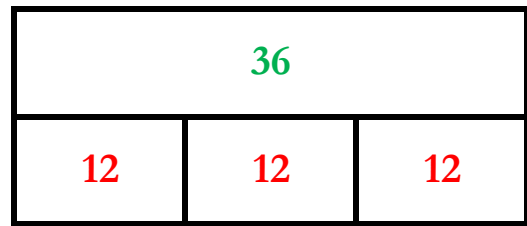
Finally, **three** groups of **twelve** equals **thirty six**.



### Part Whole Model



### Bar Model



### Test Questions

- 1)  $36 \div \underline{\quad} = 12$
- 2)  $27 \div \underline{\quad} = 3$
- 3)  $54 \div \underline{\quad} = 6$
- 4)  $46 \div \underline{\quad} = 1$
- 5)  $28 \div \underline{\quad} = 7$
- 6)  $\underline{\quad} \div 98 = 1$
- 7)  $\underline{\quad} \div 6 = 5$
- 8)  $\underline{\quad} \div 12 = 8$
- 9)  $\underline{\quad} \div 11 = 10$
- 10)  $\underline{\quad} \div 56 = 1$
- 11)  $24 \div 12 = \underline{\quad}$
- 12)  $63 \div 9 = \underline{\quad}$
- 13)  $72 \div 6 = \underline{\quad}$
- 14)  $44 \div 4 = \underline{\quad}$

## ÷10 and ÷100

1)  $361 \div 100 = \underline{\quad ? \quad}$

### Word Problem

A landmark building is **three hundred and sixty one** metres tall.

Miniature replicas sold in the shops are **one hundred times as small**.

How tall is a replica?

### Place Value Grid

<u>1000s</u>	<u>100s</u>	<u>10s</u>	<u>1s</u>	.	<u>10ths</u>	<u>100ths</u>
	3	6	1	.		
			3	.	6	1

### Strategy Applied

Dividing any number by **one hundred**, means that number will become **one hundred times as small**.

Each **digit** in the number moves **two column place values** to the **right**.

First, write the number **three hundred and sixty one** on a **Place Value Grid**, in the **100s**, **10s** and **1s** columns.

Then, in the **100s** column divide the digit **three** by **one hundred**, moving it **two column place values** to the **right** and write **three** in the **1s** column.

Next, in the **10s** column divide the digit **six** by **one hundred**, moving it **two column place values** to the **right** and write **six** in the **10ths** column.

Then, in the **1s** column divide the digit **one** by **one hundred**, moving it **two column place values** to the **right** and write **one** in the **100ths** column.

Finally, **three hundred and sixty one** divided by **one hundred** is equal to **three point six one**.

## Test Questions

1)  $361 \div 100 = \underline{\quad}$

2)  $329 \div 10 = \underline{\quad}$

3)  $338 \div 100 = \underline{\quad}$

4)  $482 \div 10 = \underline{\quad}$

5)  $123 \div 100 = \underline{\quad}$

6)  $724 \div 10 = \underline{\quad}$

7)  $135 \div 100 = \underline{\quad}$

8)  $166 \div 10 = \underline{\quad}$

9)  $247 \div 100 = \underline{\quad}$

10)  $9,208 \div 10 = \underline{\quad}$

11)  $4,159 \div 100 = \underline{\quad}$

12)  $6,107 \div 10 = \underline{\quad}$

13)  $5,203 \div 100 = \underline{\quad}$

14)  $3,109 \div 10 = \underline{\quad}$

## Short Division

1)  $7,135 \div 2 = \underline{\quad ? \quad}$

### Word Problem

**Two** cargo ships should have an **identical** number of crates of apple juice. Altogether they both hold **seven thousand, one hundred and thirty five** crates. How many crates does each ship hold?

#### Step 1

$$\begin{array}{r} 3 \\ 2 \overline{) 7 \ 11 \ 3 \ 5} \end{array}$$

#### Step 2

$$\begin{array}{r} 3 \ 5 \\ 2 \overline{) 7 \ 11 \ 13 \ 5} \end{array}$$

#### Step 3

$$\begin{array}{r} 3 \ 5 \ 6 \\ 2 \overline{) 7 \ 11 \ 13 \ 15} \end{array}$$

#### Step 4

$$\begin{array}{r} 3 \ 5 \ 6 \ 7 \\ 2 \overline{) 7 \ 11 \ 13 \ 15} \end{array}$$

#### Step 5

$$\begin{array}{r} 3 \ 5 \ 6 \ 7 \ r1 \\ 2 \overline{) 7 \ 11 \ 13 \ 15} \end{array}$$

### Strategy Applied

#### Step 1

How many **lots of 2** divide **exactly** in to **7**? The answer is **3** ( $2 \times 3 = 6$ ), with a **remainder** of **1**.

Write **3** on the line above the **7**.

Cross out the **7** and **regroup** the **remainder 1** to the next **digit place value**.

#### Step 2

How many **lots of 2** divide **exactly** in to **11**? The answer is **5** ( $2 \times 5 = 10$ ), with a **remainder** of **1**.

Write **5** on the line above the **11**.

**Regroup** the **remainder 1** to the next **digit place value**, **3**, to become **13**.

### Step 3

How many **lots of 2** divide **exactly** in to **13**? The answer is **6** ( $2 \times 6 = 12$ ), with a **remainder** of **1**.

Write **6** on the line above the **13**.

**Regroup** the **remainder 1** to the next **digit place value, 5**, to become **15**.

### Step 4

How many **lots of 2** divide **exactly** in to **15**? The answer is **7** ( $2 \times 7 = 14$ ), with a **remainder** of **1**.

Write **7** on the line above the **15**.

### Step 5

There are no more **digits** in the number to be divided by **2**.

The **remainder** of **1**, is written as **r1** on the line above.

**Total value** is **3,567 r1**.

## Test Questions

1) 
$$4 \overline{) 913}$$

2) 
$$2 \overline{) 7135}$$

3) 
$$3 \overline{) 8137}$$

4) 
$$5 \overline{) 626}$$

5) 
$$4 \overline{) 4279}$$

6) 
$$3 \overline{) 8257}$$

7) 
$$6 \overline{) 845}$$

8) 
$$5 \overline{) 9260}$$

9) 
$$4 \overline{) 7340}$$

10) 
$$7 \overline{) 640}$$

11) 
$$6 \overline{) 4206}$$

12) 
$$5 \overline{) 2304}$$

13) 
$$8 \overline{) 268}$$

14) 
$$7 \overline{) 4527}$$

15) 
$$6 \overline{) 3938}$$

## Short Division with Decimals

1)  $11.39 \div 2 = \underline{\quad ?}$

### Word Problem

**Eleven point three nine** pounds is to be shared equally between **two** kids.  
Can the amount of money be shared equally?

#### Step 1

$$\begin{array}{r} 0 \quad . \\ 2 \overline{) 11.39} \end{array}$$

#### Step 2

$$\begin{array}{r} 0 \ 5 \ . \\ 2 \overline{) 11.139} \end{array}$$

#### Step 3

$$\begin{array}{r} 0 \ 5 \ . \ 6 \\ 2 \overline{) 11.139} \end{array}$$

#### Step 4

$$\begin{array}{r} 0 \ 5 \ . \ 6 \ 9 \\ 2 \overline{) 11.139} \end{array}$$

#### Step 5

$$\begin{array}{r} 0 \ 5 \ . \ 6 \ 9 \ r1 \\ 2 \overline{) 11.139} \end{array}$$

### Strategy Applied

#### Step 1

How many **lots of 2** divide **exactly** in to **1**? The answer is **0** ( $2 \times 0 = 0$ ), with **remainder 1**.

Write **0** on the line above the **1**.

Cross out the **1** and **regroup** the **remainder 1** to the next **digit place value, 1**, to become **11**.

#### Step 2

How many **lots of 2** divide **exactly** in to **11**? The answer is **5** ( $2 \times 5 = 10$ ), with **remainder 1**.

Write **5** on the line above the **11** and write a **decimal point** next to it.

**Regroup** the **remainder 1** to the next **digit place value, 3**, to become **13**.

### Step 3

How many **lots of 2** divide **exactly** in to **13**? The answer is **6** ( $2 \times 6 = 12$ ), with **remainder 1**.

Write **6** on the line above the **13**.

**Regroup** the **remainder 1** to the next **digit place value, 9**, to become **19**.

### Step 4

How many **lots of 2** divide **exactly** in to **19**? The answer is **9** ( $2 \times 9 = 18$ ), with **remainder 1**.

Write **9** on the line above the **19**.

### Step 5

There are no more **digits** in the number to be divided by **2**.

The **remainder 1**, is written as **r1** on the line above.

**Total value** is **5.68 r1**.

## Test Questions

1) 
$$2 \overline{) 11.38}$$

2) 
$$3 \overline{) 12.37}$$

3) 
$$3 \overline{) 26.57}$$

4) 
$$4 \overline{) 28.79}$$

5) 
$$4 \overline{) 35.40}$$

6) 
$$5 \overline{) 20.60}$$

7) 
$$5 \overline{) 30.04}$$

8) 
$$6 \overline{) 25.06}$$

9) 
$$7 \overline{) 41.56}$$

10) 
$$8 \overline{) 16.97}$$

## Find the Missing Number

1)  $40 \div 5 = \underline{\quad ? \quad} \times 2$

### Word Problem

A basket contains **forty** strawberries. Noel has **five times as less**. Kavalli has the **same** amount as him, split into **two** tubs. How many strawberries in one tub?

Step 1      5 → 10 → 15 → 20 → 25 → 30 → 35 → 40  
●            ●            ●            ●            ●            ●            ●            ●

### Strategy Applied

#### Step 1

Out of the two number sentences, calculate the number sentence with all the **known** numbers first,  $40 \div 5$ .

Apply **step counting**, the **inverse** of division, to calculate how many **lots of five** is equal to **forty**.

**Count forwards** saying the number names that are after the number.

First, find and touch the number **five** on a number line.

Then, count forwards aloud in number order, whilst touching the numbers on the number line, **five** more equal to **six**.

Next, keep repeating the action of counting on in **lots of fives** up to the number **forty** on a number line.

Finally, **eight lots of five** is equal to **forty**.

Step 2      2 → 4 → 6 → 8  
●            ●            ●            ●



## Step 2

If  $40 \div 5 = 8$ , then  $8 = \underline{\quad} \times 2$ , as they are the **same value**.

Use step counting to calculate the missing number,  $2 \times \underline{\quad} = 8$ , by counting on in **lots of twos** up to **eight**.

**Count forwards** saying the number names that are after the number.

First, find and touch the number **two** on a number line.

Then, count forwards aloud in number order, whilst touching the numbers on the number line, **two** more equal to **four**.

Next, keep repeating the action of counting on in **lots of twos** up to the number **eight** on a number line.

Finally, **four lots of twos** is equal to **eight**, the missing number is **four**.

## Test Questions

1)  $40 \div 5 = \underline{\quad} \times 2$

8)  $6 \div 10 = \underline{\quad}$

2)  $60 \div 5 = \underline{\quad} \times 6$

9)  $56 \div \underline{\quad} = 8$

3)  $7 \div 100 = \underline{\quad}$

10)  $72 \div \underline{\quad} = 9$

4)  $26 \div 100 = \underline{\quad}$

11)  $78 \div 3 = \underline{\quad}$

5)  $20 \div 5 \div 1 = \underline{\quad}$

12)  $84 \div 6 = \underline{\quad}$

6)  $33 \div 3 \div 1 = \underline{\quad}$

13)  $96 \div 12 = \underline{\quad}$

7)  $3 \div 10 = \underline{\quad}$

14)  $99 \div 11 = \underline{\quad}$

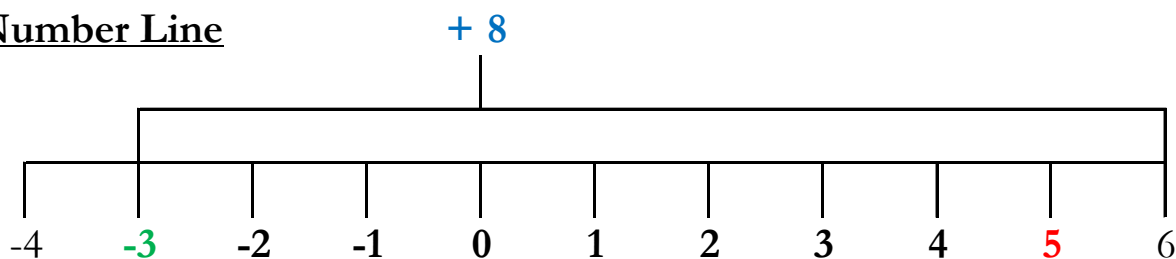
## Add and Subtract Integers

1)  $- 3 + 8 = \underline{\quad ? \quad}$

### Word Problem

The temperature on the last day of September in Scotland was **minus three** degrees. Yet England was **eight** degrees **warmer** on the same day. What was the temperature in England?

### Number Line



### Strategy Applied

**Positive numbers** are counted on **forwards** on a **horizontal** number line and **upwards** on a **vertical** number line.

**Negative numbers** are counted on **backwards** on a **horizontal** number line and **downwards** on a **vertical** number line.

To **represent** positive and negative numbers on a number line, then mark **zero** half way (**mid-point**) on the line.

On a **horizontal** number line, all the numbers (**integers**) to the **right** of the **zero** will be **positive**.

On a **horizontal** number line, all the numbers (**integers**) to the **left** of the **zero** will be **negative**.

#### Step 1

Draw a **horizontal** number line and **half way** mark it with a **zero**.

From the **zero**, count backwards in **multiples of 1s** to **minus three**.

Mark the **minus three** on the number line.

#### Step 2

First, find and touch the number **minus three** on the number line.

Then, count forwards **eight** more in **multiples of 1s** aloud in number order whilst touching the numbers on the number line, -2, -1, 0, 1, 2, 3, 4, **5** equal to **five**.

## Test Questions

$$1) - 3 + 8 = \underline{\quad}$$

$$2) - 5 + 6 = \underline{\quad}$$

$$3) - 7 + 10 = \underline{\quad}$$

$$4) - 2 + 14 = \underline{\quad}$$

$$5) - 15 + 7 = \underline{\quad}$$

$$6) - 23 + 9 = \underline{\quad}$$

$$7) - 11 + 4 = \underline{\quad}$$

$$8) + 1 - 13 = \underline{\quad}$$

$$9) + 5 - 18 = \underline{\quad}$$

$$10) + 10 - 25 = \underline{\quad}$$

$$11) + 15 - 8 = \underline{\quad}$$

$$12) + 20 - 12 = \underline{\quad}$$

$$13) + 25 - 16 = \underline{\quad}$$

$$14) + 30 - 19 = \underline{\quad}$$

## To Nearest 10

1) 3, 2 5 7 =     

### Place Value Grid

<u>1000s</u>	<u>100s</u>	<u>10s</u>	<u>1s</u>	.	<u>10ths</u>	<u>100ths</u>
3	2	5	7	.		
3	2	6	0	.		

### Strategy Applied

When rounding to the nearest **10s** place value, the following will occur.

1. The **10s digit value** will remain the **same** (round down), if the digit in the **1s** column is a 0, 1, 2, 3, 4 (**4 or less**).
2. The **10s digit value** will increase by **ten** (round up), if the digit in the **1s** column is a 5, 6, 7, 8, 9 (**5 or more**).
3. The **value** of any digits in the **column place values** to the **right** of the **10s** column change to a **place holder, 0**.
4. The **value** of any digits in the **column place values** to the **left** of the **10s** column usually remain the **same**. ( If the **10s** digit value increases to 100 then the **10s** digit becomes a **place holder, 0** and the **100s** digit increases by 100 more)

### Step 1

First, write the number **3,257** on a **Place Value Grid** in the correct column place values of the **1s, 10s, 100s** and **1,000s**.

### Step 2

Then, say the digit in the **1s** column which is **7** and as it is **5 or more** the **10s** digit value will increase by **ten** (round up).

### Step 3

Next, the digit value of the **5 tens** (50), add **10** to make **6 tens** (60).  
In the **10s** column write the digit **6** underneath the digit **5**.

### Step 4

Then, the **1s** column digit value changes to a **place holder, 0**.  
In the **1s** column write the digit **0** underneath the digit **7**.

### Step 5

Next, the **1,000s** and **100s** column digit values remain the **same** as **3** and **2**.  
In the **1,000s** and **100s** columns write the same digits **3** and **2** underneath.

### Step 6

Finally, **3,257** rounded to the **nearest 10** is **3,260**.

### Test Questions

1) 3,257 = \_\_\_

8) 10.27 = \_\_\_

2) 2,138 = \_\_\_

9) 87.67 = \_\_\_

3) 7,656 = \_\_\_

10) 61.11 = \_\_\_

4) 7,222 = \_\_\_

11) 32.84 = \_\_\_

5) 4,395 = \_\_\_

12) 21.92 = \_\_\_

6) 3,203 = \_\_\_

13) 874.51 = \_\_\_

7) 43.68 = \_\_\_

14) 1,254.56 = \_\_\_

## To Nearest 100

1) 5, 4 7 9 =     

### Place Value Grid

<u>1000s</u>	<u>100s</u>	<u>10s</u>	<u>1s</u>	.	<u>10ths</u>	<u>100ths</u>
5	4	7	9	.		
5	5	0	0	.		

### Strategy Applied

When rounding to the nearest **100s** place value, the following will occur.

1. The **100s digit value** will remain the **same** (round down), if the digit in the **10s** column is a 0, 1, 2, 3, 4 (**4 or less**).
2. The **100s digit value** will increase by **one hundred** (round up), if the digit in the **10s** column is a 5, 6, 7, 8, 9 (**5 or more**).
3. The **value** of any digits in the **column place values** to the **right** of the **100s** column change to a **place holder, 0**.
4. The **value** of any digits in the **column place values** to the **left** of the **100s** column usually remain the **same**. ( If the **100s** digit value increases to 1,000 then the **100s** digit becomes a **place holder, 0** and the **1,000s** digit increases by 1,000 more)

### Step 1

First, write the number **5,479** on a **Place Value Grid** in the correct column place values of the **1s, 10s, 100s** and **1,000s**.

### Step 2

Then, say the digit in the **10s** column which is **7** and as it is **5 or more** the **100s** digit value will increase by **one hundred** (round up).

### Step 3

Next, the digit value of the **4 hundreds** (400), add **100** to make **5 hundreds** (500).

In the **100s** column write the digit **5** underneath the digit **4**.

### Step 4

Then, the **10s** and **1s** column digit values change to a **place holder, 0**.

In the **10s** and **1s** columns write the digit **0** underneath the digit **7** and **9**.

### Step 5

Next, the **1,000s** column digit value remains the **same** as **5**.

In the **1,000s** column write the same digit **3** underneath.

### Step 6

Finally, **5,479** rounded to the **nearest 100** is **5,500**.

### Test Questions

1) 5,479 = \_\_\_

8) 210.27 = \_\_\_

2) 927 = \_\_\_

9) 387.67 = \_\_\_

3) 9,878 = \_\_\_

10) 561.11 = \_\_\_

4) 5,888 = \_\_\_

11) 632.84 = \_\_\_

5) 2,173 = \_\_\_

12) 721.92 = \_\_\_

6) 1,081 = \_\_\_

13) 9,874.51 = \_\_\_

7) 143.68 = \_\_\_

14) 9,362.04 = \_\_\_

## To Nearest 1,000

1) 4, 3 6 8 . 7 9 = ?

### Place Value Grid

<u>1000s</u>	<u>100s</u>	<u>10s</u>	<u>1s</u>	.	<u>10ths</u>	<u>100ths</u>
4	3	6	8	.	7	9
4	0	0	0	.	0	0

### Strategy Applied

When rounding to the nearest **1,000s** place value, the following will occur.

1. The **1,000s digit value** will remain the **same** (round down), if the digit in the **100s** column is a 0, 1, 2, 3, 4 (**4 or less**).
2. The **1,000s digit value** will increase by **one thousand** (round up), if the digit in the **100s** column is a 5, 6, 7, 8, 9 (**5 or more**).
3. The **value** of any digits in the **column place values** to the **right** of the **1,000s** column change to a **place holder, 0**.
4. The **value** of any digits in the **column place values** to the **left** of the **1,000s** column usually remain the **same**. ( If the **1,000s** digit value increases to 10,000 then the **1,000s** digit becomes a **place holder, 0** and the **10,000s** digit increases by 10,000 more)

### Step 1

First, write the number **4368.79** on a **Place Value Grid** in the correct column place values of the **100ths, 10ths, 1s, 10s, 100s** and **1,000s**.

### Step 2

Then, say the digit in the **100s** column which is **4** and as it is **4 or less** the **1,000s** digit value will remain the **same** (round down).



### Step 3

Next, the digit value of the **4 thousands** (4,000) remains the same.  
In the **1,000s** column write the digit **4** underneath the digit **4**.

### Step 4

Then, the **100s, 10s, 1s, 10ths** and **100ths** column digit values change to a **place holder, 0**.

In the **100s, 10s, 1s, 10ths** and **100ths** columns write the digit **0** underneath the digits **3, 6, 8, 7** and **9**.

### Step 5

Next, the **1,000s** column digit value remains the **same** as **4**.  
In the **1,000s** column write the same digits **4** underneath.

### Step 6

Finally, **4368.79** rounded to the **nearest 1,000** is **4,000**.

### Test Questions

1)  $4,368.79 = \underline{\quad}$

8)  $7,210.27 = \underline{\quad}$

2)  $1,029.27 = \underline{\quad}$

9)  $4,387.67 = \underline{\quad}$

3)  $8,798.78 = \underline{\quad}$

10)  $9,561.11 = \underline{\quad}$

4)  $6,158.88 = \underline{\quad}$

11)  $1,632.84 = \underline{\quad}$

5)  $3,221.73 = \underline{\quad}$

12)  $5,721.92 = \underline{\quad}$

6)  $2,110.81 = \underline{\quad}$

13)  $1,254.56 = \underline{\quad}$

7)  $8,143.68 = \underline{\quad}$

14)  $9,999.99 = \underline{\quad}$

## Fraction of a Quantity

1)  $\frac{7}{8}$  of 16 = ?

### Word Problem

A **sixteen** slice extra large pizza was shared between the **eight** Scouts.  
Only **seven** Scouts ate, eating some slices.  
How many slices have been eaten?

### Concrete Object

#### Quantity

1	2	3	4	5	6	7	8
9	10	11	12	13	14	15	16

#### Group 1

1	2
---	---

#### Group 2

1	2
---	---

#### Group 3

1	2
---	---

#### Group 4

1	2
---	---

#### Group 5

1	2
---	---

#### Group 6

1	2
---	---

#### Group 7

1	2
---	---

#### Group 8

1	2
---	---

### Strategy Applied

A fraction is part of a **whole** or part of **1** and an **eighth** is 1 of 8 **equal groups**.

**16** is the **quantity** shared **equally** between the **total** number of **equal groups**.

**8** is the **denominator**, represents the **total** number of **equal groups**.

**7** is the **numerator**, represents **seven** of the **equal groups**.

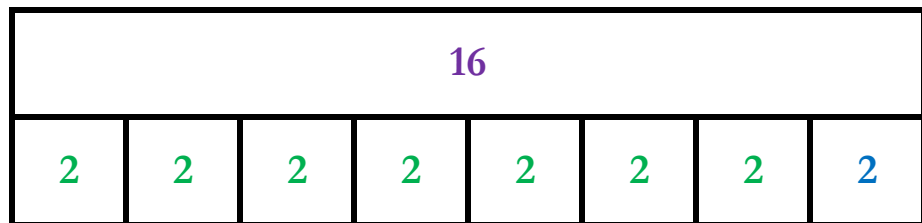
First, pick up **sixteen** objects and place them together. Now count aloud from 1 to 16, to check there are only **sixteen** objects.

Then, **share** the **sixteen** objects one at a time **equally between** the **eight** groups, until exactly the **same quantity** of objects are in **each** of the groups.

Next, count how many objects there are **altogether** in **seven** groups, there should be fourteen objects; **one, two, three, four, five, six, seven, eight, nine, ten, eleven, twelve, thirteen, fourteen.**

Finally, the missing number is **fourteen** objects, which is the **total** amount in **seven** of the groups.

### Bar Model



### Test Questions

1)  $\frac{7}{8}$  of 16 = \_\_\_

6)  $\frac{2}{5}$  of 25 = \_\_\_

2)  $\frac{2}{3}$  of 15 = \_\_\_

7)  $\frac{1}{3}$  of 27 = \_\_\_

3)  $\frac{3}{8}$  of 40 = \_\_\_

8)  $\frac{2}{5}$  of 30 = \_\_\_

4)  $\frac{2}{3}$  of 30 = \_\_\_

9)  $\frac{1}{3}$  of 24 = \_\_\_

5)  $\frac{4}{5}$  of 10 = \_\_\_

10)  $\frac{1}{2}$  of 52 = \_\_\_

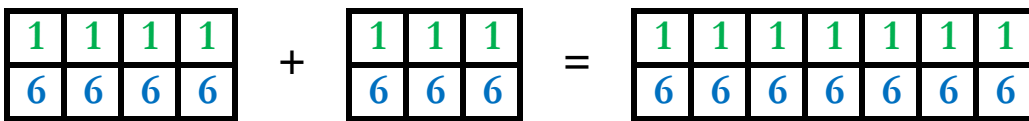
## Add Fractions

$$1) \frac{4}{6} + \frac{3}{6} = \frac{?}{?}$$

### Word Problem

Popsy ate **four sixths** of a tin of cat food, whilst Jiggy ate **three sixths**.  
How many tins of cat food have they eaten?

### Fraction Tiles



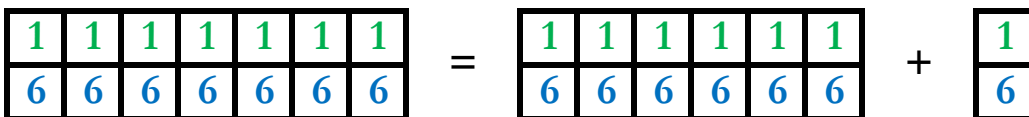
#### Step 1

$$\frac{4}{6} + \frac{3}{6} =$$

#### Step 2

$$\frac{4 + 3}{6} = \frac{7}{6}$$

#### Step 3



$$= \frac{6}{6} \text{ or } 1 + \frac{1}{6}$$

### Strategy Applied

#### Step 1

Add two fractions with the same denominators, **four-sixths** and **three-sixths**.

The **4** represents the **numerator**.  
The **6** represents the **denominator**.

$$\frac{4}{6}$$

The **3** represents the **numerator**.  
The **6** represents the **denominator**.

$$\frac{3}{6}$$

### Step 2

Add the **numerators** **4 + 3** equalling **7**.

The **denominator** remains the **same** as **6**.

The resulting fraction is **seven-sixths**. (an **improper fraction**)

### Step 3

Convert the **improper fraction** of **seven-sixths** into a **mixed fraction**.

A **mixed fraction** consists of a **whole number** and a **proper fraction**.

Out of **seven-sixths** a fraction will show **six-sixths** is equivalent to **one whole** and with a remainder of **one-sixth** .

$$1 \frac{1}{6}$$

### Test Questions

1)  $\frac{4}{6} + \frac{3}{6} = \underline{\quad}$

6)  $\frac{7}{8} + \frac{3}{8} = \underline{\quad}$

2)  $\frac{4}{5} + \frac{2}{5} = \underline{\quad}$

7)  $\frac{8}{9} + \frac{8}{9} = \underline{\quad}$

3)  $\frac{4}{9} + \frac{7}{9} = \underline{\quad}$

8)  $\frac{6}{7} + \frac{6}{7} = \underline{\quad}$

4)  $\frac{4}{7} + \frac{5}{7} = \underline{\quad}$

9)  $\frac{4}{5} + \frac{3}{5} = \underline{\quad}$

5)  $\frac{6}{4} + \frac{2}{4} = \underline{\quad}$

10)  $\frac{2}{3} + \frac{2}{3} = \underline{\quad}$

## Subtract Fractions

$$1) \frac{9}{9} - \frac{6}{9} = \frac{?}{?}$$

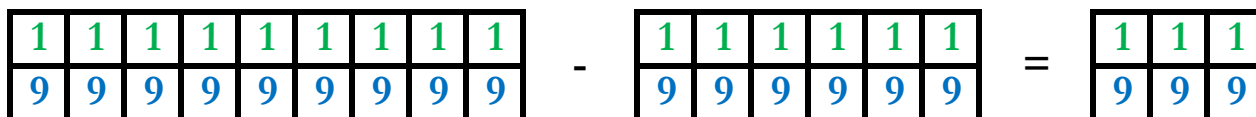
### Word Problem

Mum and dad enter a pie eating competition at the summer fete.

Mum ate **nine-ninths** of a pie and dad ate **six-ninths** less.

How much pie was **eaten** by dad?

### Fraction Tiles



#### Step 1

$$\frac{9}{9} - \frac{6}{9} =$$

#### Step 2

$$\frac{9}{9} - \frac{6}{9} = \frac{3}{9}$$

#### Step 3

Common Factors of  $3 = 1, 3$   
 $9 = 1, 3, 9$

$$\frac{3}{9} \div 3 = \frac{1}{3}$$

### Strategy Applied

#### Step 1

Subtract two fractions with the **same denominators** and **different numerators** of **nine-ninths** and **six-ninths**.

The **9** represents the **numerator**.

The **6** represents the **numerator**.

The **9** represents the **denominator**.

The **9** represents the **denominator**.

$$\frac{9}{9}$$

$$\frac{6}{9}$$

### Step 2

Subtract the **numerators** 9 - 6 equalling 3.

The **denominator** remains the **same** as 9.

The resulting fraction is **three-ninths**. (**Simplify** if possible)

### Step 3

**Simplify** a fraction by reducing the **numerator** and **denominator** to their **lowest terms** by **dividing** them **both** by their **Highest Common Factor**.

The **Highest Common Factor (HCF)** of 3 and 9 is 3.

The value of the simplified fraction of  $\frac{1}{3}$ .

### Test Questions

1)  $\frac{9}{9} - \frac{6}{9} = \underline{\quad}$

6)  $\frac{2}{3} - \frac{1}{3} = \underline{\quad}$

2)  $\frac{3}{8} - \frac{1}{8} = \underline{\quad}$

7)  $\frac{1}{2} - \frac{1}{2} = \underline{\quad}$

3)  $\frac{5}{6} - \frac{3}{6} = \underline{\quad}$

8)  $\frac{8}{8} - \frac{4}{8} = \underline{\quad}$

4)  $\frac{5}{6} - \frac{1}{6} = \underline{\quad}$

9)  $\frac{3}{3} - \frac{1}{3} = \underline{\quad}$

5)  $\frac{3}{4} - \frac{1}{4} = \underline{\quad}$

10)  $\frac{7}{9} - \frac{1}{9} = \underline{\quad}$

## Find the Missing Number

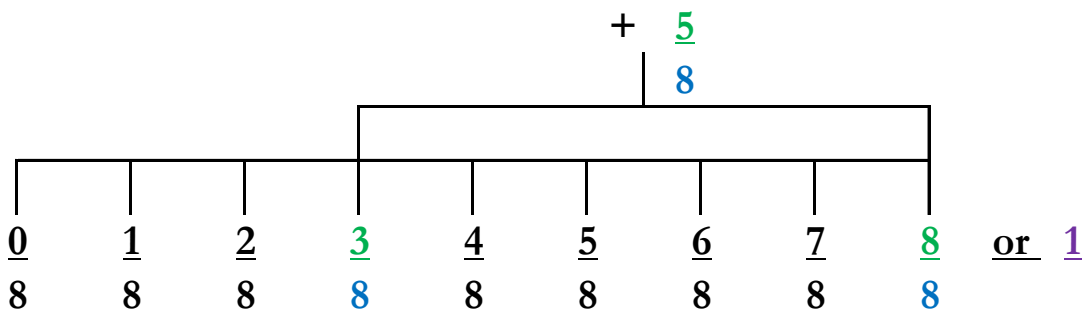
$$1) \frac{3}{8} + \frac{?}{8} = 1$$

### Word Problem

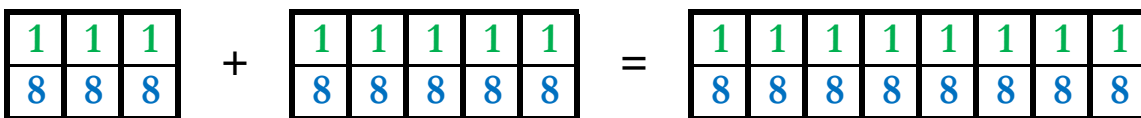
A litre bottle is **three eighths** full of water.

How much water is required to fill the **bottle?**

### Number Line



### Fraction Tiles



### Strategy Applied

#### Step 1

The **3** represents the **numerator**.

The **8** represents the **denominator**.

The **1 whole** is equivalent to  $\frac{8}{8}$



## Step 2

First, draw a number line that represents **eighths**, writing **zero-eighths** at the start and **eight-eighths** or **one** whole at the end.

Then, number the number line by counting on **one-eighth** at a time.

Next, find and touch the number **three-eighths** on a number line.

Then, count forwards **one-eighth** at a time on a number line from the **three-eighths** on to **eight-eighths** or **one whole**.

Finally the number of **eighths** counted on is **five-eighths**, the missing number.

## Test Questions

$$1) \frac{3}{8} + \underline{\quad} = 1$$

$$2) \frac{5}{9} + \underline{\quad} = 1$$

$$3) 1 \div \underline{\quad} = \frac{1}{100}$$

$$4) 7 \div \underline{\quad} = \frac{7}{100}$$

$$5) 2 \frac{1}{2} \text{ m} + 4 \text{ m} = \underline{\quad}$$

$$6) \frac{5}{12} + \frac{11}{12} = \underline{\quad} + \frac{1}{12}$$

$$7) \frac{12}{5} - \frac{4}{5} = \underline{\quad} + 1$$

$$8) \frac{2}{9} + \frac{8}{9} - \frac{4}{9} = \underline{\quad}$$

## Answers

### P. 2

- 1) 1 thousand, 2 hundreds, 3 tens, 4 ones, 5 tenths, 6 hundredths
- 2) 1 thousand, 2 hundreds, 4 tens, 6 ones, 1 tenths, 9 hundredths
- 3) 2 thousand, 1 hundreds, 7 tens, 0 ones, 8 tenths, 3 hundredths
- 4) 3 thousand, 5 hundreds, 3 tens, 7 ones, 7 tenths, 4 hundredths
- 5) 4 thousand, 0 hundreds, 6 tens, 8 ones, 6 tenths, 1 hundredths
- 6) 5 thousand, 3 hundreds, 7 tens, 9 ones, 0 tenths, 2 hundredths
- 7) 6 thousand, 5 hundreds, 1 tens, 3 ones, 9 tenths, 3 hundredths
- 8) 7 thousand, 2 hundreds, 1 tens, 5 ones, 4 tenths, 8 hundredths
- 9) 8 thousand, 3 hundreds, 4 tens, 6 ones, 5 tenths, 7 hundredths
- 10) 9 thousand, 5 hundreds, 3 tens, 7 ones, 2 tenths, 0 hundredths

### P. 4

- 1) 1,000, 200, 30, 4, 0.5, 0.06
- 2) 1,000, 200, 40, 6, 0.1, 0.09
- 3) 2,000, 100, 70, 9, 0.8, 0.03
- 4) 3,000, 500, 30, 7, 0.7, 0.04
- 5) 4,000, 0, 60, 8, 0.6, 0.01
- 6) 5,000, 300, 70, 9, 0.0, 0.02
- 7) 6,000, 500, 10, 3, 0.9, 0.03
- 8) 7,000, 200, 10, 5, 0.4, 0.08
- 9) 8,000, 300, 40, 6, 0.5, 0.07
- 10) 9,000, 500, 30, 7, 0.8, 0.00

### P. 6

- 1) 2,750
- 2) 3,559
- 3) 4,699
- 4) 5,455
- 5) 6,308
- 6) 7,700
- 7) 8,619
- 8) 9,591
- 9) 10,455
- 10) 10,309
- 11) 1,309
- 12) 1,455
- 13) 1,591
- 14) 1,710

### P. 8

- 1) 1,980
- 2) 2,470
- 3) 2,150
- 4) 2,090
- 5) 2,550
- 6) 2,180
- 7) 3,330
- 8) 4,330
- 9) 5,380
- 10) 6,210
- 11) 5,720
- 12) 4,050
- 13) 3,990
- 14) 9,740

## Answers

### P. 10

- 1) 850
- 2) 760
- 3) 640
- 4) 520
- 5) 810p
- 6) 730p
- 7) £700
- 8) £500
- 9) 900
- 10) 380
- 11) 750
- 12) 430
- 13) 520
- 14) 350

### P. 12

- 1) 900
- 2) 2,400
- 3) 1,200
- 4) 3,600
- 5) 7,000
- 6) 10,000
- 7) 8,000
- 8) £1,800
- 9) 900cm
- 10) 1,500m
- 11) 2,200
- 12) 4,500
- 13) 2,500
- 14) 9,000

### P. 14

- 1) 18, 24
- 2) 42, 48
- 3) 58, 64
- 4) 21, 28
- 5) 49, 56
- 6) 71, 78
- 7) 27, 36
- 8) 63, 72
- 9) 37, 46
- 10) 75, 100
- 11) 95, 120
- 12) 175, 200
- 13) 315, 415
- 14) 683, 783

### P. 16

- 1) 3.9
- 2) 3.8
- 3) 8.9
- 4) 8.9
- 5) 7.9
- 6) 6.8
- 7) 8.1
- 8) 10.0
- 9) 10.0
- 10) 6.8
- 11) 7.6
- 12) 10.00
- 13) 7.2
- 14) 9.1

### P. 18

- 1) 6,081
- 2) 5,385
- 3) 7,520
- 4) 9,722
- 5) 9,762
- 6) 9,374
- 7) 7,909
- 8) 3,748
- 9) 17,634
- 10) 7,872
- 11) 7,693
- 12) 6,386
- 13) 7,465
- 14) 18,846

### P. 20

- 1) 74.24
- 2) 62.85
- 3) 91.04
- 4) 86.22
- 5) 74.62
- 6) 95.72
- 7) 153.09
- 8) 91.08
- 9) 186.24
- 10) 108.72
- 11) 86.93
- 12) 183.86
- 13) 22.65
- 14) 198.36

### P. 22

- 1) 1,300
- 2) 2,642
- 3) £4.20
- 4) £11.39
- 5) 1hr 37min
- 6) 1m 350cm
- 7) 1,743ml
- 8) 5,371
- 9) 0.64
- 10) 30
- 11) 42
- 12) 81
- 13) 300
- 14) 425

### P. 24

- 1) 280
- 2) 1,520
- 3) 2,489
- 4) 3,345
- 5) 4,250
- 6) 5,222
- 7) 6,340
- 8) 7,400
- 9) 8,690
- 10) 8,710
- 11) 210
- 12) 3,784
- 13) 6,969
- 14) 8,907

## Answers

### P. 26

- 1) 4,950
- 2) 3,800
- 3) 5,120
- 4) 1,340
- 5) 2,420
- 6) 3,420
- 7) 6,130
- 8) 5,600
- 9) 9,420
- 10) 4,960
- 11) 1,550
- 12) 5,860
- 13) 1,540
- 14) 3,300

### P. 28

- 1) 625
- 2) 865
- 3) 547
- 4) 500
- 5) 480
- 6) 865
- 7) 542
- 8) 400
- 9) 280
- 10) 543
- 11) 765
- 12) 816
- 13) 494
- 14) 632

### P. 30

- 1) 4,000
- 2) 1,000
- 3) 700
- 4) 700
- 5) 1,900
- 6) 1,800
- 7) 3,800
- 8) 4,500
- 9) 1,600
- 10) 2,000
- 11) 740
- 12) 2,850
- 13) 2,930
- 14) 5,700

### P. 32

- 1) 6, 0
- 2) 21, 15
- 3) 33, 27
- 4) 31, 24
- 5) 43, 36
- 6) 55, 48
- 7) 74, 65
- 8) 183, 174
- 9) 278, 269
- 10) 393, 384
- 11) 650, 625
- 12) 875, 850
- 13) 900, 800
- 14) 2,400, 2,300

### P. 34

- 1) 0.3
- 2) 1.2
- 3) 3.7
- 4) 6.1
- 5) 4.5
- 6) 2.6
- 7) 0.7
- 8) 2.2
- 9) 6.2
- 10) 0.4
- 11) 3.2
- 12) 3.4
- 13) 3.8
- 14) 5.3

### P. 38

- 1) 6,792
- 2) 3,492
- 3) 2,874
- 4) 1,189
- 5) 3,589
- 6) 3,469
- 7) 6,771
- 8) 2,802
- 9) 7,797
- 10) 552
- 11) 1,062
- 12) 2,163

### P. 40

- 1) 54.9
- 2) 20.9
- 3) 44.9
- 4) 49.2
- 5) 19.6
- 6) 17.4
- 7) 27.1
- 8) 28.2
- 9) 9.7
- 10) 23.6
- 11) 11.9
- 12) 27.0
- 13) 20.6
- 14) 30.7
- 15) 11.7

### P. 42

- 1) 9,700
- 2) 2,832
- 3) 3,000
- 4) £1.70
- 5) 776
- 6) 719
- 7) 6,523
- 8) £27.21
- 9) 57
- 10) 24
- 11) 45
- 12) 56
- 13) 72
- 14) 70

## Answers

### P. 44

- 1) 48
- 2) 36
- 3) 36
- 4) 25
- 5) 77
- 6) 16
- 7) 96
- 8) 36
- 9) 27
- 10) 48
- 11) 81
- 12) 44
- 13) 24
- 14) 42

### P. 46

- 1) 40
- 2) 75
- 3) 30
- 4) 120
- 5) 48
- 6) 147
- 7) 42
- 8) 96
- 9) 72
- 10) 84
- 11) 420
- 12) 960
- 13) 7,200
- 14) 84,000

### P. 48

- 1) 2,600
- 2) 390
- 3) 4,100
- 4) 580
- 5) 6,300
- 6) 720
- 7) 8,000
- 8) 940
- 9) 7,500
- 10) 530
- 11) 9,100
- 12) 820
- 13) 6,400
- 14) 550

### P. 50

- 1) 112
- 2) 272
- 3) 1,070
- 4) 8,540
- 5) 423
- 6) 312
- 7) 1,125
- 8) 41,285
- 9) 387
- 10) 189
- 11) 704
- 12) 66,060

### P. 52

- 1) 64.05
- 2) 330.96
- 3) 372.33
- 4) 412.85
- 5) 128.37
- 6) 367.00
- 7) 660.60
- 8) 260.80
- 9) 372.36
- 10) 424.32
- 11) 434.42
- 12) 402.16

### P. 54

- 1) 200
- 2) 6
- 3) 0
- 4) 240
- 5) 72
- 6) 147
- 7) 12
- 8) 72
- 9) 6
- 10) 256
- 11) 15
- 12) 0
- 13) 12
- 14) 690

### P. 56

- 1) 3
- 2) 9
- 3) 9
- 4) 46
- 5) 4
- 6) 98
- 7) 30
- 8) 96
- 9) 110
- 10) 56
- 11) 2
- 12) 7
- 13) 12
- 14) 11

### P. 58

- 1) 3.61
- 2) 32.9
- 3) 3.38
- 4) 48.2
- 5) 1.23
- 6) 72.4
- 7) 1,35
- 8) 16.6
- 9) 2.47
- 10) 920.8
- 11) 41.59
- 12) 610.7
- 13) 52.03
- 14) 310.9

## Answers

### P. 60

- 1) 228 r1
- 2) 2,712 r1
- 3) 3,567 r1
- 4) 125 r1
- 5) 1,069 r3
- 6) 2,752 r1
- 7) 14 r5
- 8) 1,852
- 9) 1,835
- 10) 91 r3
- 11) 701
- 12) 460 r4
- 13) 33 r4
- 14) 646 r5
- 15) 656 r2

### P. 62

- 1) 5.69
- 2) 4.12 r1
- 3) 8.85 r2
- 4) 7.19 r3
- 5) 8.85
- 6) 4.12
- 7) 6.00 r4
- 8) 4.17 r4
- 9) 5.93 r5
- 10) 2.12 r1

### P. 64

- 1) 4
- 2) 2
- 3) 0.07
- 4) 0.26
- 5) 4
- 6) 11
- 7) 0.3
- 8) 0.6
- 9) 7
- 10) 8
- 11) 26
- 12) 14
- 13) 8
- 14) 9

### P. 66

- 1) 5
- 2) 1
- 3) 3
- 4) 12
- 5) -8
- 6) -14
- 7) -7
- 8) -12
- 9) -13
- 10) -15
- 11) -7
- 12) 8
- 13) 9
- 14) 11

### P. 68

- 1) 3,260
- 2) 2,140
- 3) 7,660
- 4) 7,220
- 5) 4,400
- 6) 3,200
- 7) 40.00
- 8) 10.00
- 9) 90.00
- 10) 60.00
- 11) 30.00
- 12) 20.00
- 13) 870.00
- 14) 1,250.00

### P. 70

- 1) 5,500
- 2) 900
- 3) 9,900
- 4) 5,900
- 5) 2,200
- 6) 1,100
- 7) 100.00
- 8) 200.00
- 9) 400.00
- 10) 600.00
- 11) 600.00
- 12) 700.00
- 13) 9,900.00
- 14) 9,400.00

### P. 72

- 1) 4,000
- 2) 1,000
- 3) 9,000
- 4) 6,000
- 5) 3,000
- 6) 2,000
- 7) 8,000
- 8) 7,000
- 9) 4,000
- 10) 10,000
- 11) 2,000
- 12) 6,000
- 13) 1,000
- 14) 10,000

### P. 74

- 1) 14
- 2) 10
- 3) 15
- 4) 20
- 5) 8
- 6) 10
- 7) 9
- 8) 12
- 9) 8
- 10) 26

## Answers

### **P. 76**

1)  $\frac{7}{8}$  or  $1 \frac{1}{6}$

6)  $\frac{10}{8}$  or  $1 \frac{2}{8}$

2)  $\frac{6}{5}$  or  $1 \frac{1}{5}$

7)  $\frac{16}{9}$  or  $1 \frac{7}{9}$

3)  $\frac{11}{9}$  or  $1 \frac{2}{9}$

8)  $\frac{12}{7}$  or  $1 \frac{5}{7}$

4)  $\frac{9}{7}$  or  $1 \frac{2}{7}$

9)  $\frac{7}{5}$  or  $1 \frac{2}{5}$

5)  $\frac{8}{4}$  or 2

10)  $\frac{4}{3}$  or  $1 \frac{1}{3}$

### **P. 78**

1)  $\frac{9}{9}$  or  $\frac{1}{3}$

6)  $\frac{1}{3}$

2)  $\frac{2}{8}$  or  $\frac{1}{4}$

7) 0

3)  $\frac{2}{6}$  or  $\frac{1}{3}$

8)  $\frac{4}{8}$  or  $\frac{1}{2}$

4)  $\frac{4}{6}$  or  $\frac{2}{3}$

9)  $\frac{2}{3}$

5)  $\frac{2}{4}$  or  $\frac{1}{2}$

10)  $\frac{6}{9}$  or  $\frac{2}{3}$

### **P. 80**

1)  $\frac{5}{8}$

5)  $6 \frac{1}{2}$  m

2)  $\frac{4}{9}$

6)  $\frac{15}{12}$

3) 100

7)  $\frac{3}{5}$

4) 100

8)  $\frac{6}{9}$  or  $\frac{1}{3}$

## Glossary

**Common Factor** is a number which is a factor of two or more other numbers, e.g. 3 is a common factor of the numbers 9 and 30.

**Common Multiple** is an integer which is a multiple of a given set of integers, e.g. 24 is a common multiple of 2, 3, 4, 6, 8 and 12.

**Decimal Fraction** is tenths, hundredths, thousandths etc. represented by digits following a decimal point. E.g. 0.125 is equivalent to  $\frac{1}{10} + \frac{2}{100} + \frac{5}{1000}$  or  $\frac{1}{8}$ . The decimal fraction representing  $\frac{1}{8}$  is a terminating decimal fraction since it has a finite number of decimal places. Other fractions such as  $\frac{1}{3}$  produce recurring decimal fractions, these have a digit or group of digits that is repeated indefinitely.

**Denominator** is the number written below the line i.e. the divisor. e.g. in the fraction  $\frac{2}{3}$  the denominator is 3.

**Digit Value** is the value of a digit that relates to its position or place in a number. e.g. in 82 the digits represent 8 tens and 2 ones.

**Equivalent Fraction** are fractions with the same value as another. e.g.  $\frac{4}{8}$ ,  $\frac{5}{10}$ ,  $\frac{8}{16}$  are all equivalent fractions and all are equal to  $\frac{1}{2}$ .

**Exchanging** is to exchange a number for another of equal value. The process of regrouping is used in some standard compact methods of calculation. e.g.: ‘carrying figures/exchanging’ in addition, multiplication or division; and ‘decomposition’ in subtraction.

**Factor** is when a number, can be expressed as the product of two numbers, these are factors of the first. E.g. 1, 2, 3, 4, 6 and 12 are all factors of 12 because  $12 = 1 \times 12 = 2 \times 6 = 3 \times 4$ .



## Glossary

**Highest Common Factor (H.C.F.)** is the common factor of two or more numbers which has the highest value.

e.g. 16 has factors 1, 2, 4, 8, 16. 24 has factors 1, 2, 3, 4, 6, 8, 12, 24.

56 has factors 1, 2, 4, 7, 8, 14, 28, 56. The common factors of 16, 24 and 56 are 1, 2, 4 and 8. Their highest common factor is 8.

**Improper Fraction** is an improper fraction has a numerator that is greater than its denominator. Example:  $\frac{9}{4}$  is improper and could be expressed as the mixed number  $2\frac{1}{4}$ .

**Integer** is any of the positive or negative whole numbers and zero.

e.g. ...2, -1, 0, +1, +2 ...

**Lowest Common Multiple (L.C.M.)** is the common multiple of two or more numbers, which has the least value. E.g. 3 has multiples 3, 6, 9, 12....  
4 has multiples 4, 8, 12, 16, 20, 24 ... and 6 has multiples 6, 12, 18, 24, 30 ..  
The common multiples of 3, 4 and 6 include 12, 24 and 36.

The lowest common multiple of 3, 4 and 6 is 12.

**Mixed Fraction** is a whole number and a fractional part expressed as a common fraction. e.g.  $1\frac{1}{3}$  is a mixed fraction or mixed number.

**Mixed Number** is a whole number and a fractional part expressed as a common fraction. Example:  $2\frac{1}{4}$  is a mixed number. Also known as a mixed fraction.

**Multiple** is the result of multiplying a number by an integer,

e.g. 12 is a multiple of 3 because  $3 \times 4 = 12$ .

**Non-Unit Fraction** is a fraction that has a value of 2 or more as the numerator and whose denominator is a non-zero integer. e.g.  $\frac{1}{2}$ ,  $\frac{1}{3}$ .

## Glossary

**Numerator** is the number written on the top– the dividend (the part that is divided). In the fraction  $2/3$ , the numerator is 2.

**Operations** that, when they are combined, leave the entity on which they operate unchanged. Examples: addition and subtraction are inverse operations e.g.  $5 + 6 - 6 = 5$ . Multiplication and division are inverse operations e.g.  $6 \times 10 \div 10 = 6$ .

**Partition** 1) To separate a set into subsets. 2) To split a number into component parts. e.g. the two-digit number 38 can be partitioned into  $30 + 8$  or  $19 + 19$ . 3) A model of division. e.g.  $21 \div 7$  is treated as ‘how many sevens in 21?’

**Percentage** 1) A fraction expressed as the number of parts per hundred and recorded using the notation %. E.g. One half can be expressed as 50%; the whole can be expressed as 100% 2) Percentage can also be interpreted as the operator ‘a number of hundredths of’.

**Place Holder** In decimal notation, the zero numeral is used as a place holder to denote the absence of a power of 10.

**Place Value** is the value of a digit that relates to its position or place in a number. e.g. in 1482 the digits represent 1 thousand, 4 hundred, 8 tens and 2 ones respectively; in 12.34 the digits represent 1 ten, 2 ones, 3 tenths and 4 hundredths respectively.

**Proper Fraction** has a numerator that is less than its denominator, so  $3/4$  is a proper fraction, whereas  $4/3$  is an improper fraction (i.e. not proper).

## Glossary

**Regrouping** is to exchange a number for another of equal value. The process of regrouping is used in some standard compact methods of calculation. e.g.: ‘carrying figures/exchanging’ in addition, multiplication or division; and ‘decomposition’ in subtraction.

**Remainder** in the context of division requiring a whole number answer (quotient), the amount remaining after the operation.

e.g. 29 divided by 7 = 4 remainder 1.

**Simplify Fraction** is to simplify a fraction down to its lowest terms.

The numerator and denominator are divided by the same number

e.g.  $4/8 = 2/4$ , also to 'reduce' a fraction.

When the numerator and denominator are both divided by their highest common factor the fraction is said to have been cancelled down to give the equivalent fraction in its lowest terms. e.g.  $18/30 = 3/5$  (dividing numerator and denominator by 6).

**Unit Fraction** is a fraction that has 1 as the numerator and whose denominator is a non-zero integer. e.g.  $1/2$ ,  $1/3$ .