

Four Operations Workbook

by Richard Brown

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Number Grid

0	1	2	3	4	5	6	7	8	9
10	11	12	13	14	15	16	17	18	19
20	21	22	23	24	25	26	27	28	29
30	31	32	33	34	35	36	37	38	39
40	41	42	43	44	45	46	47	48	49
50	51	52	53	54	55	56	57	58	59
60	61	62	63	64	65	66	67	68	69
70	71	72	73	74	75	76	77	78	79
80	81	82	83	84	85	86	87	88	89
90	91	92	93	94	95	96	97	98	99
100	101	102	103	104	105	106	107	108	109
110	111	112	113	114	115	116	117	118	119
120	121	122	123	124	125	126	127	128	129
130	131	132	133	134	135	136	137	138	139
140	141	142	143	144	145	146	147	148	149
150	151	152	153	154	155	156	157	158	159
160	161	162	163	164	165	166	167	168	169
170	171	172	173	174	175	176	177	178	179
180	181	182	183	184	185	186	187	188	189
190	191	192	193	194	195	196	197	198	199
200	201	202	203	204	205	206	207	208	209
210	211	212	213	214	215	216	217	218	219
220	221	222	223	224	225	226	227	228	229
230	231	232	233	234	235	236	237	238	239
240	241	242	243	244	245	246	247	248	249
250	251	252	253	254	255	256	257	258	259
260	261	263	264	265	266	267	268	269	270
270	271	272	273	274	275	276	277	278	279
280	281	282	283	284	285	286	287	288	289
290	291	292	293	294	295	296	297	298	299
300	301	302	303	304	305	306	307	308	309

Multiplication Square

x	1	2	3	4	5	6	7	8	9	10	11	12
0	0	0	0	0	0	0	0	0	0	0	0	0
1	1	2	3	4	5	6	7	8	9	10	11	12
2	2	4	6	8	10	12	14	16	18	20	22	24
3	3	6	9	12	15	18	21	24	27	30	33	36
4	4	8	12	16	20	24	28	32	36	40	44	48
5	5	10	15	20	25	30	35	40	45	50	55	60
6	6	12	18	24	30	36	42	48	54	60	66	72
7	7	14	21	28	35	42	49	56	63	70	77	84
8	8	16	24	32	40	48	56	64	72	80	88	96
9	9	18	27	36	45	54	63	72	81	90	99	108
10	10	20	30	40	50	60	70	80	90	100	110	120
11	11	22	33	44	55	66	77	88	99	110	121	132
12	12	24	36	48	60	72	84	96	108	120	132	144

Decimal Number Grids

0	0.1	0.2	0.3	0.4	0.5	0.6	0.7	0.8	0.9
1	1.1	1.2	1.3	1.4	1.5	1.6	1.7	1.8	1.9
2	2.1	2.2	2.3	2.4	2.5	2.6	2.7	2.8	2.9
3	3.1	3.2	3.3	3.4	3.5	3.6	3.7	3.8	3.9
4	4.1	4.2	4.3	4.4	4.5	4.6	4.7	4.8	4.9
5	5.1	5.2	5.3	5.4	5.5	5.6	5.7	5.8	5.9
6	6.1	6.2	6.3	6.4	6.5	6.6	6.7	6.8	6.9
7	7.1	7.2	7.3	7.4	7.5	7.6	7.7	7.8	7.9
8	8.1	8.2	8.3	8.4	8.5	8.6	8.7	8.8	8.9
9	9.1	9.2	9.3	9.4	9.5	9.6	9.7	9.8	9.9
10	10.1	10.2	10.3	10.4	10.5	10.6	10.7	10.8	10.9
11	11.1	11.2	11.3	11.4	11.5	11.6	11.7	11.8	11.9
12	12.1	12.2	12.3	12.4	12.5	12.6	12.7	12.8	12.9
13	13.1	13.2	13.3	13.4	13.5	13.6	13.7	13.8	13.9
14	14.1	14.2	14.3	14.4	14.5	14.6	14.7	14.8	14.9
15	15.1	15.2	15.3	15.4	15.5	15.6	15.7	15.8	15.9

0	0.01	0.02	0.03	0.04	0.05	0.06	0.07	0.08	0.09
0.1	0.11	0.12	0.13	0.14	0.15	0.16	0.17	0.18	0.19
0.2	0.21	0.22	0.23	0.24	0.25	0.26	0.27	0.28	0.29
0.3	0.31	0.32	0.33	0.34	0.35	0.36	0.37	0.38	0.39
0.4	0.41	0.42	0.43	0.44	0.45	0.46	0.47	0.48	0.49
0.5	0.51	0.52	0.53	0.54	0.55	0.56	0.57	0.58	0.59
0.6	0.61	0.62	0.63	0.64	0.65	0.66	0.67	0.68	0.69
0.7	0.71	0.72	0.73	0.74	0.75	0.76	0.77	0.78	0.79
0.8	0.81	0.82	0.83	0.84	0.85	0.86	0.87	0.88	0.89
0.9	0.91	0.92	0.93	0.94	0.95	0.96	0.97	0.98	0.99
1	1.01	1.02	1.03	1.04	1.05	1.06	1.07	1.08	1.09
1.1	1.11	1.12	1.13	1.14	1.15	1.16	1.17	1.18	1.19
1.2	1.21	1.22	1.23	1.24	1.25	1.26	1.27	1.28	1.29
1.3	1.31	1.32	1.33	1.34	1.35	1.36	1.37	1.38	1.39
1.4	1.41	1.42	1.43	1.44	1.45	1.46	1.47	1.48	1.49
1.5	1.51	1.52	1.53	1.54	1.55	1.56	1.57	1.58	1.59

2-Digit Column Addition

Step 1

$$\begin{array}{r} \text{10s} \quad \text{1s} \\ 3 \quad 5 \\ + \quad 7 \\ \hline \hline \end{array}$$

Step 2

$$\begin{array}{r} \text{10s} \quad \text{1s} \\ 3 \quad 5 \\ + \quad 7 \\ \hline \quad 2 \\ \hline 1 \end{array}$$

Step 3

$$\begin{array}{r} \text{10s} \quad \text{1s} \\ 3 \quad 5 \\ + \quad 7 \\ \hline 4 \quad 2 \\ \hline 1 \end{array}$$

Step 1

First, write $35 + 7$ in the correct **place value columns** of the **10s** and **1s**.
Add each column, starting with the **1s** column.

Step 2

Then, in the **1s** column add **altogether**, $5 + 7$, equals 12 **ones** (**10** + **2**).

Write **2** in the **total value** of the **1s** column.

Exchange/regroup the **10 ones** into **1 ten** from the **1s** column to the **10s** column.

In the **10s** column, write **1 ten** underneath the **total value line**.

Step 3

Next, in the **10s** column add **altogether**, $3 + 1$, equals 4 **tens** (**40**).

Write **4** in the **total value** of the **10s** column.

Sum of $35 + 7$ is **42**.

2-Digit Column Addition

Step 1

$$\begin{array}{r} \text{10s} \quad \text{1s} \\ 5 \quad 7 \\ + 3 \quad 5 \\ \hline \\ \hline \end{array}$$

Step 2

$$\begin{array}{r} \text{10s} \quad \text{1s} \\ 5 \quad 7 \\ + 3 \quad 5 \\ \hline \quad 2 \\ \hline 1 \end{array}$$

Step 3

$$\begin{array}{r} \text{10s} \quad \text{1s} \\ 5 \quad 7 \\ + 3 \quad 5 \\ \hline 9 \quad 2 \\ \hline 1 \end{array}$$

Step 1

First, write $57 + 35$ in the correct **place value columns** of the **10s** and **1s**.
Add each column, starting with the **1s** column.

Step 2

Then, in the **1s** column add **altogether**, $7 + 5$, equals 12 **ones** (**10** + **2**).
Write **2** in the **total value** of the **1s** column.

Exchange/regroup the **10 ones** into **1 ten** from the **1s** column to the **10s** column.
In the **10s** column, write **1 ten** underneath the **total value line**.

Step 3

Next, in the **10s** column add **altogether**, $5 + 3 + 1$, equals 9 **tens** (**90**).
Then write **9** in the **total value** of the **10s** column.
Sum of $57 + 35$ is **92**.

3-Digit Column Addition

Step 1

	<u>100s</u>	<u>10s</u>	<u>1s</u>
	6	3	5
+		4	7
<hr/>			
<hr/>			

Step 2

	<u>100s</u>	<u>10s</u>	<u>1s</u>
	6	3	5
+		4	7
<hr/>			
			2
<hr/>			
		1	

Step 3

	<u>100s</u>	<u>10s</u>	<u>1s</u>
	6	3	5
+		4	7
<hr/>			
		8	2
<hr/>			
		1	

Step 4

	<u>100s</u>	<u>10s</u>	<u>1s</u>
	6	3	5
+		4	7
<hr/>			
	6	8	2
<hr/>			
		1	

Step 1

First, write $635 + 47$ in the correct **place value columns** of the **100s**, **10s** and **1s**.
Add each column, starting with the **1s** column.

Step 2

Then, in the **1s** column add **altogether**, $5 + 7$, equals 12 **ones** (**10** + **2**).
Write **2** in the **total value** of the **1s** column.

Exchange/regroup the **10 ones** into **1 ten** from the **1s** column to the **10s** column.
In the **10s** column, write **1 ten** underneath the **total value line**.

Step 3

Next, in the **10s** column add **altogether**, $3 + 4 + 1$, equals 8 **tens** (**80**).
Write **8** in the **total value** of the **10s** column.

Step 4

Finally, in the **100s** column, 6 add nothing, equals 6 **hundreds** (**600**).
Write **6** in the **total value** of the **100s** column.
Sum of $635 + 47$ is **682**.

3-Digit Column Addition

Step 1

	<u>100s</u>	<u>10s</u>	<u>1s</u>
	4	5	7
+	2	8	5
<hr/>			
<hr/>			

Step 2

	<u>100s</u>	<u>10s</u>	<u>1s</u>
	4	5	7
+	2	8	5
<hr/>			
			2
<hr/>			
		1	

Step 3

	<u>100s</u>	<u>10s</u>	<u>1s</u>
	4	5	7
+	2	8	5
<hr/>			
		4	2
<hr/>			
	1	1	

Step 4

	<u>100s</u>	<u>10s</u>	<u>1s</u>
	4	5	7
+	2	8	5
<hr/>			
	7	4	2
<hr/>			
	1	1	

Step 1

First, write $457 + 285$ in the correct **place value columns** of the **100s**, **10s** and **1s**.
Add each column, starting with the **1s** column.

Step 2

Then, in the **1s** column add **altogether**, $7 + 5$, equals 12 **ones** (**10** + **2**).

Write **2** in the **total value** of the **1s** column.

Exchange/regroup the **10 ones** into **1 ten** from the **1s** column to the **10s** column.

In the **10s** column, write **1 ten** underneath the **total value line**.

Step 3

Next, in the **10s** column add **altogether**, $5 + 8 + 1$, equals 14 **tens** (**100** + **40**).

Then write **4** in the **total value** of the **10s** column.

Exchange/regroup the **10 tens** into **1 hundred** from the **10s** column to the **100s** column. In the **100s** column, write **1 ten** underneath the **total value line**.

Step 4

Finally, in the **100s** column add **altogether**, $4 + 2 + 1$, equals 7 **hundreds** (**700**).

Write **7** in the **total value** of the **100s** column.

Sum of $457 + 285$ is **742**.

4-Digit Column Addition

Step 1

	<u>1,000s</u>	<u>100s</u>	<u>10s</u>	<u>1s</u>
	8	2	9	5
+		3	4	7
<hr/>				
<hr/>				

Step 2

	<u>1,000s</u>	<u>100s</u>	<u>10s</u>	<u>1s</u>
	8	2	9	5
+		3	4	7
<hr/>				
				2
<hr/>				
			1	

Step 3

	<u>1,000s</u>	<u>100s</u>	<u>10s</u>	<u>1s</u>
	8	2	9	5
+		3	4	7
<hr/>				
			4	2
<hr/>				
		1	1	

Step 4

	<u>1,000s</u>	<u>100s</u>	<u>10s</u>	<u>1s</u>
	8	2	9	5
+		3	4	7
<hr/>				
		6	4	2
<hr/>				
		1	1	

Step 5

	<u>1,000s</u>	<u>100s</u>	<u>10s</u>	<u>1s</u>
	8	2	9	5
+		3	4	7
<hr/>				
	8,	6	4	2
<hr/>				
		1	1	

Step 1

First, write $8,295 + 347$ in the correct **place value columns** of the **1,000s**, **100s**, **10s** and **1s**.

Add each column, starting with the **1s** column.

Step 2

Then, in the **1s** column add **altogether**, $5 + 7$, equals 12 **ones** (**10** + **2**).

Write **2** in the **total value** of the **1s** column.

Exchange/regroup the **10 ones** into **1 ten** from the **1s** column to the **10s** column.

In the **10s** column, write **1 ten** underneath the **total value line** .

Step 3

Next, in the **10s** column add **altogether**, $9 + 4 + 1$, equals 14 **tens** (**100** + **40**).

Write **4** in the **total value** of the **10s** column.

Exchange/regroup the **10 tens** into **1 hundred** from the **10s** column to the **100s** column.

In the **100s** column, write **1 hundred** underneath the **total value line** .

Step 4

Then, in the **100s** column add **altogether**, $2 + 3 + 1$, equals 6 **hundreds** (**600**).

Write **6** in the **total value** of the **100s** column.

Step 5

Finally, in the **1,000s** column 8 add nothing equals 8 **thousands** (**8,000**).

Write **8** in the total value of the **1,000s** column.

Sum of $8,295 + 347$ is **8,642**.

4-Digit Column Addition

Step 1

	<u>1,000s</u>	<u>100s</u>	<u>10s</u>	<u>1s</u>
	6	5	8	4
+	2	9	1	7
<hr/>				
<hr/>				

Step 2

	<u>1,000s</u>	<u>100s</u>	<u>10s</u>	<u>1s</u>
	6	5	8	4
+	2	9	1	7
<hr/>				
				1
<hr/>				
			1	

Step 3

	<u>1,000s</u>	<u>100s</u>	<u>10s</u>	<u>1s</u>
	6	5	8	4
+	2	9	1	7
<hr/>				
			0	1
<hr/>				
		1	1	

Step 4

	<u>1,000s</u>	<u>100s</u>	<u>10s</u>	<u>1s</u>
	6	5	8	4
+	2	9	1	7
<hr/>				
		5	0	1
<hr/>				
	1	1	1	

Step 5

	<u>1,000s</u>	<u>100s</u>	<u>10s</u>	<u>1s</u>
	6	5	8	4
+	2	9	1	7
<hr/>				
	9	5	0	1
<hr/>				
	1	1	1	

Step 1

First, write $6,584 + 2,917$ in the correct **place value columns** of the **1,000s**, **100s**, **10s** and **1s**.

Add each column, starting with the **1s** column.

Step 2

Then, in the **1s** column add **altogether**, $4 + 7$, equals 11 **ones** (**10** + **1**).

Write **1** in the **total value** of the **1s** column.

Exchange/regroup the **10 ones** into **1 ten** from the **1s** column to the **10s** column.

In the **10s** column, write **1 ten** underneath the **total value line** .

Step 3

Next, in the **10s** column add **altogether**, $8 + 1 + 1$, equals 10 **tens** (**100** + **0**).

Write **0** in the **total value** of the **10s** column.

Exchange/regroup the **10 tens** into **1 hundred** from the **10s** column to the **100s** column.

In the **100s** column, write **1 hundred** underneath the **total value line** .

Step 4

Then, in the **100s** column add **altogether**, $5 + 9 + 1$, equals 15 **hundreds** (**1,000** + **500**)

Write **5** in the **total value** of the **100s** column.

Exchange/regroup the **10 hundreds** into **1 thousand** from the **100s** column to the **1,000s** column.

In the **100s** column, write **1 hundred** underneath the **total value line** .

Step 5

Finally, in the **1,000s** column add **altogether**, $6 + 2 + 1$, equals 9 **thousands** (**9,000**).

Write **9** in the total value of the **1,000s** column.

Sum of $6,584 + 2,917$ is **9,501**.

Column Addition with Decimals

Step 1

	<u>10s</u>	<u>1s</u>	<u>10ths</u>	<u>100ths</u>
	3	1	. 4	6
+	2	9	. 0	7
<hr/>				
<hr/>				

Step 2

	<u>10s</u>	<u>1s</u>	<u>10ths</u>	<u>100ths</u>
	3	1	. 4	6
+	2	9	. 0	7
<hr/>				
				3
<hr/>				
			1	

Step 3

	<u>10s</u>	<u>1s</u>	<u>10ths</u>	<u>100ths</u>
	3	1	. 4	6
+	2	9	. 0	7
<hr/>				
			. 5	3
<hr/>				
			1	

Step 4

	<u>10s</u>	<u>1s</u>	<u>10ths</u>	<u>100ths</u>
	3	1	. 4	6
+	2	9	. 0	7
<hr/>				
		0	. 5	3
<hr/>				
	1		1	

Step 5

	<u>10s</u>	<u>1s</u>	<u>10ths</u>	<u>100ths</u>
	3	1	. 4	6
+	2	9	. 0	7
<hr/>				
	6	0	. 5	3
<hr/>				
	1		1	

Step 1

First, write $31.46 + 29.07$ in the correct **place value columns** of the **10s**, **1s**, **10ths** and **100ths**.

Add each column, starting with the **100ths** column.

Step 2

Then, in the **100ths** column add **altogether**, $6 + 7$, equals 13 **hundredths** (**0.1 + 0.03**).

Write **3** in the **total value** of the **100ths** column.

Exchange/regroup the **10 hundredths** into **1 tenth** from the **100ths** column to the **10ths** column.

In the **10ths** column, write **1 tenth** underneath the **total value line** .

Step 3

Next, in the **10ths** column add **altogether**, $4 + 0 + 1$, equals 5 **tenths** (**0.5**).

Write **5** in the **total value** of the **10ths** column.

Step 4

Then, in the **1s** column add **altogether**, $1 + 9$, equals 10 **ones** (**10 + 0**).

Write **0** in the **total value** of the **1s** column.

Exchange/regroup the **10 ones** into **1 ten** from the **1s** column to the **10s** column.

In the **10s** column, write **1 ten** underneath the **total value line** .

Step 5

Finally, in the **10s** column add **altogether**, $3 + 2$, equals 5 **tens** (**50**).

Write **5** in the **total value** of the **100s** column.

Sum of $31.46 + 29.07$ is **60.53**.

Column Addition with Decimals

Step 1

	<u>1s</u>	<u>10ths</u>	<u>100ths</u>	<u>1000ths</u>
	5	. 4	3	8
+	2	. 9	7	6
<hr/>				
<hr/>				

Step 2

	<u>1s</u>	<u>10ths</u>	<u>100ths</u>	<u>1000ths</u>
	5	. 4	3	8
+	2	. 9	7	6
<hr/>				
				4
<hr/>				
			1	

Step 3

	<u>1s</u>	<u>10ths</u>	<u>100ths</u>	<u>1000ths</u>
	5	. 4	3	8
+	2	. 9	7	6
<hr/>				
			1	4
<hr/>				
	1		1	

Step 4

	<u>1s</u>	<u>10ths</u>	<u>100ths</u>	<u>1000ths</u>
	5	. 4	3	8
+	2	. 9	7	6
<hr/>				
		. 4	1	4
<hr/>				
	1	1	1	

Step 5

	<u>1s</u>	<u>10ths</u>	<u>100ths</u>	<u>1000ths</u>
	5	. 4	3	8
+	2	. 9	7	6
<hr/>				
	8	. 4	1	4
<hr/>				
	1	1	1	

Step 1

First, write $5.438 + 2.976$ in the correct **place value columns** of the **1s**, **10ths**, **100ths** and **1000ths**.

Add each column, starting with the **1000ths** column.

Step 2

Then, in the **1000ths** column add **altogether**, $8 + 6$, equals 14 **thousandths** (**0.01** + **0.004**).

Write **4** in the **total value** of the **1000ths** column.

Exchange/regroup the **10 thousandths** into **1 hundredth** from the **1000ths** column to the **100ths** column.

In the **100ths** column, write **1 hundredth** underneath the **total value line** .

Step 3

Next, in the **100ths** column add **altogether**, $3 + 7 + 1$, equals 11 **hundredths** (**0.1** + **0.01**)

Write **1** in the **total value** of the **100ths** column.

Exchange/regroup the **10 hundredths** into **1 tenth** from the **100ths** column to the **10ths** column.

In the **10ths** column, write **1 tenth** underneath the **total value line** .

Step 4

Then, in the **10ths** column add **altogether**, $4 + 9 + 1$, equals 14 **tenths** (**1** + **0.4**).

Write **4** in the **total value** of the **10ths** column.

Exchange/regroup the **10 tenths** into **1 one** from the **10ths** column to the **1s** column.

In the **1s** column, write **1 one** underneath the **total value line** .

Step 5

Finally, in the **1s** column add **altogether**, $5 + 2 + 1$, equals 8 **ones** (**8**).

Write **8** in the **total value** of the **1s** column.

Sum of $5.438 + 2.976$ is **8.414**.

Long Addition

Step 1

	<u>1,000s</u>	<u>100s</u>	<u>10s</u>	<u>1s</u>
	6	8	9	4
		3	5	7
+			2	1
<hr/>				
<hr/>				

Step 2

	<u>1,000s</u>	<u>100s</u>	<u>10s</u>	<u>1s</u>
	6	8	9	4
		3	5	7
+			2	1
<hr/>				
				2
<hr/>				
			1	

Step 3

	<u>1,000s</u>	<u>100s</u>	<u>10s</u>	<u>1s</u>
	6	8	9	4
		3	5	7
+			2	1
<hr/>				
			7	2
<hr/>				
		1	1	

Step 4

	<u>1,000s</u>	<u>100s</u>	<u>10s</u>	<u>1s</u>
	6	8	9	4
		3	5	7
+			2	1
<hr/>				
		2	7	2
<hr/>				
		1	1	

Step 5

	<u>1,000s</u>	<u>100s</u>	<u>10s</u>	<u>1s</u>
	6	8	9	4
		3	5	7
+			2	1
<hr/>				
	7,	2	7	2
<hr/>				
	1	1	1	

Step 1

First, write $6,894 + 357 + 21$ in the correct **place value columns** of the **1,000s**, **100s**, **10s** and **1s**.

Add each column, starting with the **1s** column.

Step 2

Then, in the **1s** column add **altogether**, $4 + 7 + 1$, equals 12 **ones** (**10** + **2**).

Write **2** in the **total value** of the **1s** column.

Exchange/regroup the **10 ones** into **1 ten** from the **1s** column to the **10s** column.

In the **10s** column, write **1 ten** underneath the **total value line** .

Step 3

Next, in the **10s** column add **altogether**, $9 + 5 + 2 + 1$, equals 17 **tens** (**100** + **70**).

Write **7** in the **total value** of the **10s** column.

Exchange/regroup the **10 tens** into **1 hundred** from the **10s** column to the **100s** column.

In the **100s** column, write **1 hundred** underneath the **total value line** .

Step 4

Then, in the **100s** column add **altogether**, $8 + 3 + 1$, equals 12 **hundreds** (**1,000** + **200**)

Write **2** in the **total value** of the **100s** column.

Exchange/regroup the **10 hundreds** into **1 thousand** from the **10s** column to the **100s** column.

In the **1,000s** column, write **1 thousand** underneath the **total value line** .

Step 5

Finally, in the **1,000s** column add **altogether**, $6 + 1$, equals 7 **thousands** (**7,000**).

Write **7** in the total value of the **1,000s** column.

Sum of $6,894 + 357 + 21$ is **7,272**.

Questions

Pages 1

- 1) $38 + 4 =$
- 2) $49 + 6 =$
- 3) $57 + 5 =$
- 4) $79 + 3 =$

Pages 3

- 1) $138 + 94 =$
- 2) $452 + 93 =$
- 3) $304 + 57 =$
- 4) $260 + 83 =$

Pages 5-6

- 1) $3,246 + 248 =$
- 2) $4,137 + 465 =$
- 3) $8,257 + 483 =$
- 4) $7,340 + 569 =$

Pages 9-10

- 1) $82.13 + 14.78 =$
- 2) $28.25 + 14.56 =$
- 3) $44.79 + 35.48 =$
- 4) $57.34 + 25.69 =$

Pages 13-14

- 1) $7,139 + 244 + 37 =$
- 2) $1,465 + 508 + 40 =$
- 3) $8,213 + 660 + 57 =$
- 4) $6,304 + 568 + 98 =$

Pages 2

- 1) $48 + 25 =$
- 2) $27 + 43 =$
- 3) $34 + 59 =$
- 4) $66 + 17 =$

Pages 4

- 1) $139 + 244 =$
- 2) $257 + 279 =$
- 3) $265 + 569 =$
- 4) $187 + 248 =$

Pages 7-8

- 1) $4,137 + 1,248 =$
- 2) $7,340 + 1,465 =$
- 3) $4,279 + 2,483 =$
- 4) $3,938 + 2,448 =$

Pages 11-12

- 1) $3.569 + 5.448 =$
- 2) $5.634 + 1.756 =$
- 3) $6.926 + 2.487 =$
- 4) $3.493 + 2.744 =$

Answers

Pages 1

- 1) 42
- 2) 54
- 3) 62
- 4) 82

Pages 3

- 1) 232
- 2) 545
- 3) 361
- 4) 343

Pages 5-6

- 1) 3,494
- 2) 4,602
- 3) 8,740
- 4) 7,909

Pages 9-10

- 1) 96.91
- 2) 42.81
- 3) 80.27
- 4) 83.03

Pages 13-14

- 1) 7,420
- 2) 2,013
- 3) 8,930
- 4) 6,970

Pages 2

- 1) 73
- 2) 70
- 3) 93
- 4) 83

Pages 4

- 1) 383
- 2) 536
- 3) 834
- 4) 435

Pages 7-8

- 1) 5,385
- 2) 8,805
- 3) 6,762
- 4) 6,386

Pages 11-12

- 1) 9
- 2) 7.4
- 3) 9.4
- 4) 6.2

2-Digit Column Subtraction

Step 1

$$\begin{array}{r} \text{10s} \quad \text{1s} \\ 8 \quad 5 \\ - \quad 6 \\ \hline \hline \end{array}$$

Step 2

$$\begin{array}{r} \text{10s} \quad \text{1s} \\ 7 \quad \quad \\ 8 \quad 15 \\ - \quad 6 \\ \hline \hline \end{array}$$

Step 3

$$\begin{array}{r} \text{10s} \quad \text{1s} \\ 7 \quad \quad \\ 8 \quad 15 \\ - \quad 6 \\ \hline 9 \\ \hline \end{array}$$

Step 4

$$\begin{array}{r} \text{10s} \quad \text{1s} \\ 7 \quad \quad \\ 8 \quad 15 \\ - \quad 6 \\ \hline 7 \quad 9 \\ \hline \end{array}$$

Step 1

First, write $85 - 6$ in the correct **place value columns** of the **10s** and **1s**. Subtract each column, starting with the **1s** column.

Step 2

Then, in the **1s** column, $5 - 6$, you cannot do this as 5 is a **lower value** than 6. **Exchange/regroup 1 ten** into **10 ones** from the **10s** column to the **1s** column. Cross out the 8 **tens** and write **7 tens** above. Write the **exchanged/regrouped 1 ten** next to the 5 **ones** to make **15 ones**.

Step 3

Next, in the **1s** column, $15 - 6$, equals 9 **ones** (**9**). Write **9** in the **total value** of the **1s** column.

Step 4

Then, in the **10s** column, **7** subtract nothing, equals 7 **tens** (**70**). Write **7** in the **total value** of the **10s** column. **Difference** of $85 - 6$ is **79**.

2-Digit Column Subtraction

Step 1

$$\begin{array}{r} \text{10s} \quad \text{1s} \\ 9 \quad 2 \\ - 6 \quad 3 \\ \hline \\ \hline \end{array}$$

Step 2

$$\begin{array}{r} \text{10s} \quad \text{1s} \\ 8 \\ 9 \quad 12 \\ - 6 \quad 3 \\ \hline \\ \hline \end{array}$$

Step 3

$$\begin{array}{r} \text{10s} \quad \text{1s} \\ 8 \\ 9 \quad 12 \\ - 6 \quad 3 \\ \hline \quad 9 \\ \hline \end{array}$$

Step 4

$$\begin{array}{r} \text{10s} \quad \text{1s} \\ 8 \\ 9 \quad 12 \\ - 6 \quad 3 \\ \hline 2 \quad 9 \\ \hline \end{array}$$

Step 1

First, write $92 - 63$ in the correct **place value columns** of the **10s** and **1s**. Subtract each column, starting with the **1s** column.

Step 2

Then, in the **1s** column, $2 - 3$, you cannot do this as 2 is a **lower value** than 3. **Exchange/regroup 1 ten** into **10 ones** from the **10s** column to the **1s** column. Cross out the 9 **tens** and write **8 tens** above. Write the **exchanged/regrouped 1 ten** next to the 2 **ones** to make **12 ones**.

Step 3

Next, in the **1s** column, $12 - 3$, equals 9 **ones** (**9**). Write **9** in the **total value** of the **1s** column.

Step 4

Then, in the **10s** column, $8 - 6$, equals 2 **tens** (**20**). Write **2** in the **total value** of the **10s** column. **Difference** of $92 - 63$ is **29**.

3-Digit Column Subtraction

Step 1

	<u>100s</u>	<u>10s</u>	<u>1s</u>
	4	8	5
-	2	9	6
<hr/>			
<hr/>			

Step 2

	<u>100s</u>	<u>10s</u>	<u>1s</u>
		7	
	4	8	15
-	2	9	6
<hr/>			
<hr/>			

Step 3

	<u>100s</u>	<u>10s</u>	<u>1s</u>
		7	
	4	8	15
-	2	9	6
<hr/>			
			9
<hr/>			

Step 4

	<u>100s</u>	<u>10s</u>	<u>1s</u>
	3	17	
	4	8	15
-	2	9	6
<hr/>			
			9
<hr/>			

Step 5

	<u>100s</u>	<u>10s</u>	<u>1s</u>
	3	17	
	4	8	15
-	2	9	6
<hr/>			
		8	9
<hr/>			

Step 6

	<u>100s</u>	<u>10s</u>	<u>1s</u>
	3	17	
	4	8	15
-	2	9	6
<hr/>			
	1	8	9
<hr/>			

Step 1

First, write $485 - 296$ in the correct **place value columns** of the **100s**, **10s** and **1s**. Subtract each column, starting with the **1s** column.

Step 2

Then, in the **1s** column, $5 - 6$, you cannot do this as 5 is a **lower value** than 6. **Exchange/regroup 1 ten** into **10 ones** from the **10s** column to the **1s** column. Cross out the **8 tens** and write **7 tens** above. Write the **exchanged/regrouped 1 ten** next to the 5 **ones** to make **15 ones**.

Step 3

Next, in the **1s** column, $15 - 6$, equals 9 **ones** (**9**). Write **9** in the **total value** of the **1s** column.

Step 4

Then, in the **10s** column, $7 - 9$, you cannot do this as **7** is a **lower value** than 9. **Exchange/regroup 1 hundred** into **10 tens** from the **100s** column to the **10s** column. Cross out the 4 **hundreds** and write **3 hundreds** above. Write the **exchanged/regrouped 1 hundred** next to the **7 tens** to make **17 tens**.

Step 5

Next, in the **100s** column, $17 - 9$, equals 8 **tens** (**80**). Write **8** in the **total value** of the **100s** column.

Step 6

Finally, in the **100s** column, $3 - 2$, equals 1 **hundred** (**100**). Write **1** in the **total value** of the **100s** column. **Difference** of $485 - 296$ is **549**.

3-Digit Column Subtraction

Step 1

	<u>100s</u>	<u>10s</u>	<u>1s</u>
	8	0	4
-	5	6	8
<hr/>			
<hr/>			

Step 2

	<u>100s</u>	<u>10s</u>	<u>1s</u>
	7		
	8	10	4
-	5	6	8
<hr/>			
<hr/>			

Step 3

	<u>100s</u>	<u>10s</u>	<u>1s</u>
	7	9	
	8	10	14
-	5	6	8
<hr/>			
<hr/>			

Step 4

	<u>100s</u>	<u>10s</u>	<u>1s</u>
	7	9	
	8	10	14
-	5	6	8
<hr/>			
<hr/>			
			6

Step 5

	<u>100s</u>	<u>10s</u>	<u>1s</u>
	7	9	
	8	10	14
-	5	6	8
<hr/>			
		3	6
<hr/>			

Step 6

	<u>100s</u>	<u>10s</u>	<u>1s</u>
	7	9	
	8	10	14
-	5	6	8
<hr/>			
	2	3	6
<hr/>			

Step 1

First, write $804 - 568$ in the correct **place value columns** of the **100s**, **10s** and **1s**. Subtract each column, starting with the **1s** column.

Step 2

Then, in the **1s column**, $4 - 8$, you cannot do this as 4 is a **lower value** than 8. From the **10s column**, **exchange/regroup 1 ten** from the 0 **tens**, you cannot do this as the value of the **tens** is zero.

Instead, **exchange/regroup 1 hundred** into **10 tens** from the **100s** column to the **10s** column.

Cross out the 8 **hundreds** and write **7 hundreds** above.

Write the **exchanged/regrouped 1 hundred** next to the 0 **tens** to make **10 tens**.

Step 3

Next, **exchange/regroup 1 ten** into **10 ones** from the **10s** column to the **1s** column.

Cross out the **10 tens** and write **9 tens** above.

Write the **exchanged/regrouped 1 ten** next to the 4 **ones** to make **14 ones**.

Step 4

Then, in the **1s** column, $14 - 8$, equals 6 **ones** (**6**).

Write **6** in the **total value** of the **1s** column.

Step 5

Next, in the **10s** column, $9 - 6$, equals 3 **tens** (**30**).

Write **3** in the **total value** of the **10s** column.

Step 6

Finally, in the **100s** column, $7 - 5$, equals 2 **hundreds** (**200**).

Write **2** in the **total value** of the **100s** column.

Difference of $804 - 568$ is **236**.

3-Digit Column Subtraction

Step 1

	<u>100s</u>	<u>10s</u>	<u>1s</u>
	3	0	0
-		9	4
<hr/>			
<hr/>			

Step 2

	<u>100s</u>	<u>10s</u>	<u>1s</u>
	2		
	3	10	0
-		9	4
<hr/>			
<hr/>			

Step 3

	<u>100s</u>	<u>10s</u>	<u>1s</u>
	2	9	
	3	10	10
-		9	4
<hr/>			
<hr/>			

Step 4

	<u>100s</u>	<u>10s</u>	<u>1s</u>
	2	9	
	3	10	10
-		9	4
<hr/>			
<hr/>			
			6

Step 5

	<u>100s</u>	<u>10s</u>	<u>1s</u>
	2	9	
	3	10	10
-		9	4
<hr/>			
		0	6
<hr/>			

Step 6

	<u>100s</u>	<u>10s</u>	<u>1s</u>
	2	9	
	3	10	10
-		9	4
<hr/>			
	2	0	6
<hr/>			

Step 1

First, write $300 - 94$ in the correct **place value columns** of the **100s**, **10s** and **1s**. Subtract each column, starting with the **1s** column.

Step 2

Then, in the **1s column**, $0 - 4$, you cannot do this as 0 is a **lower value** than 4. From the **10s column**, **exchange/regroup 1 ten** from the 0 **tens**, you cannot do this as the **value** of the **tens** is zero.

Instead, **exchange/regroup 1 hundred** into **10 tens** from the **100s** column to the **10s** column.

Cross out the 3 **hundreds** and write **2 hundreds** above.

Write the **exchanged/regrouped 1 hundred** next to the 0 **tens** to make **10 tens**.

Step 3

Next, **exchange/regroup 1 ten** into **10 ones** from the **10s** column to the **1s** column.

Cross out the **10 tens** and write **9 tens** above.

Write the **exchanged/regrouped 1 ten** next to the 0 **ones** to make **10 ones**.

Step 4

Then, in the **1s** column, $10 - 4$, equals 6 **ones** (**6**).

Write **6** in the **total value** of the **1s** column.

Step 5

Next, in the **10s** column, $9 - 9$, equals 0 **tens** (**0**).

Write **0** in the **total value** of the **10s** column.

Step 6

Finally, in the **100s** column, $2 - 0$, equals 2 **hundreds** (**200**).

Write **2** in the **total value** of the **100s** column.

Difference of $300 - 94$ is **206**.

4-Digit Column Subtraction

Step 1

	<u>100s</u>	<u>100s</u>	<u>10s</u>	<u>1s</u>
	7	2	5	1
-	6	9	3	8
<hr/>				
<hr/>				

Step 2

	<u>100s</u>	<u>100s</u>	<u>10s</u>	<u>1s</u>
			4	
	7	2	5	11
-	6	9	3	8
<hr/>				
<hr/>				

Step 3

	<u>100s</u>	<u>100s</u>	<u>10s</u>	<u>1s</u>
			4	
	7	2	5	11
-	6	9	3	8
<hr/>				
			1	3
<hr/>				

Step 4

	<u>100s</u>	<u>100s</u>	<u>10s</u>	<u>1s</u>
	6		4	
	7	12	5	11
-	6	9	3	8
<hr/>				
			1	3
<hr/>				

Step 5

	<u>100s</u>	<u>100s</u>	<u>10s</u>	<u>1s</u>
	6		4	
	7	12	5	11
-	6	9	3	8
<hr/>				
	0	3	1	3
<hr/>				

Step 1

First, write $7,251 - 6,938$ in the correct **place value columns** of the **1,000s**, **100s**, **10s** and **1s**.

Subtract each column, starting with the **1s** column.

Step 2

Then, in the **1s column**, $1 - 8$, you cannot do this as 1 is a **lower value** than 8. **Exchange/regroup 1 ten** into **10 ones** from the **10s** column to the **1s** column.

Cross out the 5 **tens** and write **4 tens** above.

Write the **exchanged/regrouped 1 ten** next to the 1 **ones** to make **11 ones**.

Step 3

Next, in the **1s** column, $11 - 8$, equals 3 **ones** (**3**).

Write **3** in the **total value** of the **1s** column.

Then, in the **10s** column, $4 - 3$, equals 1 **ten** (**10**).

Write **1** in the **total value** of the **10s** column.

Step 4

Next, in the **100s** column, $2 - 9$, you cannot do this as 2 is a **lower value** than 9.

Exchange/regroup 1 thousand into **10 hundreds** from the **1,000s** column to the **100s** column.

Cross out the 7 **thousands** and write **6 thousands** above.

Write the **exchanged/regrouped 1 thousand** next to the 2 **hundreds** to make **12 hundreds**.

Step 5

Then, in the **100s** column, $12 - 9$, equals 3 **hundreds** (**300**).

Write **3** in the **total value** of the **100s** column.

Finally, in the **1,000s** column, $6 - 6$, equals 0 **thousands** (**0**).

Write **0** in the **total value** of the **1,000s** column.

Difference of $7,251 - 6,938$ is **313**.

4-Digit Column Subtraction

Step 1

	<u>100s</u>	<u>100s</u>	<u>10s</u>	<u>1s</u>
	9	0	0	0
-	5	6	2	7
<hr/>				
<hr/>				

Step 2

	<u>100s</u>	<u>100s</u>	<u>10s</u>	<u>1s</u>
	8			
	9	10	0	0
-	5	6	2	7
<hr/>				
<hr/>				

Step 3

	<u>100s</u>	<u>100s</u>	<u>10s</u>	<u>1s</u>
	8	9		
	9	10	10	0
-	5	6	2	7
<hr/>				
<hr/>				

Step 4

	<u>100s</u>	<u>100s</u>	<u>10s</u>	<u>1s</u>
	8	9	9	
	9	10	10	10
-	5	6	2	7
<hr/>				
<hr/>				

Step 5

	<u>100s</u>	<u>100s</u>	<u>10s</u>	<u>1s</u>
	8	9	9	
	9	10	10	10
-	5	6	2	7
<hr/>				
	3,	3	7	3
<hr/>				

Step 1

First, write 9,000 - 5,627 in the correct **place value columns** of the **1,000s**, **100s**, **10s** and **1s**. Subtract each column, starting with the **1s** column.

Step 2

Then, in the **1s column**, $0 - 7$, you cannot do this as 0 is a **lower value** than 7.

From the **10s column**, **exchange/regroup 1 ten** from the 0 **tens**, you cannot do this as the **value** of the **tens** is zero.

From the **100s column**, **exchange/regroup 1 hundred** from the 0 **hundreds**, you cannot do this as the **value** of the **hundreds** is zero.

Instead, **exchange/regroup 1 thousand** into **10 hundreds** from the **1,000s** column to the **100s** column.

Cross out the 9 **thousands** and write **8 thousands** above.

Write the **exchanged/regrouped 1 thousand** next to the 0 **hundreds** to make **10 hundreds**.

Step 3

Next, **exchange/regroup 1 hundred** into **10 tens** from the **100s** column to the **10s** column. Cross out the **10 hundreds** and write **9 hundreds** above.

Write the **exchanged/regrouped 1 hundred** next to the 0 **tens** to make **10 tens**.

Step 4

Then, **exchange/regroup 1 ten** into **10 ones** from the **10s** column to the **1s** column.

Cross out the **10 tens** and write **9 tens** above.

Write the **exchanged/regrouped 1 ten** next to the 0 **ones** to make **10 ones**.

Step 5

Then, in the **1s** column, $10 - 7$, equals 3 **ones** (**3**).

Write **3** in the **total value** of the **1s** column.

Next, in the **10s** column, $9 - 2$, equals **7 tens** (**70**).

Write **7** in the **total value** of the **10s** column.

Then, in the **100s** column, $9 - 6$, equals 3 **hundreds** (**300**).

Write **3** in the **total value** of the **100s** column.

Finally, in the **1,000s** column, $8 - 5$, equals **3 thousands** (**3,000**).

Write **3** in the **total value** of the **1,000s** column. **Difference** of $9,000 - 5,627$ is **3,373**.

Column Subtraction with Decimals

Step 1 10s 1s 10ths 100ths

$$\begin{array}{r}
 7 \quad 9 \quad .5 \quad 4 \\
 - 2 \quad 9 \quad .6 \quad 1 \\
 \hline
 \hline
 \end{array}$$

Step 2 10s 1s 10ths 100ths

$$\begin{array}{r}
 7 \quad 9 \quad .5 \quad 4 \\
 - 2 \quad 9 \quad .6 \quad 1 \\
 \hline
 \hline
 \quad \quad \quad \mathbf{3}
 \end{array}$$

Step 3 10s 1s 10ths 100ths

$$\begin{array}{r}
 \quad \mathbf{8} \\
 7 \quad 9 \quad .15 \quad 4 \\
 - 2 \quad 9 \quad .6 \quad 1 \\
 \hline
 \hline
 \quad \quad \quad \mathbf{3}
 \end{array}$$

Step 4 10s 1s 10ths 100ths

$$\begin{array}{r}
 \quad \mathbf{8} \\
 7 \quad 9 \quad .15 \quad 4 \\
 - 9 \quad 9 \quad .6 \quad 1 \\
 \hline
 \hline
 \quad \mathbf{9} \quad \mathbf{3}
 \end{array}$$

Step 5 10s 1s 10ths 100ths

$$\begin{array}{r}
 \mathbf{6} \quad \mathbf{18} \\
 7 \quad 9 \quad .15 \quad 4 \\
 - 2 \quad 9 \quad .6 \quad 1 \\
 \hline
 \hline
 \quad \mathbf{9} \quad \mathbf{3}
 \end{array}$$

Step 6 10s 1s 10ths 100ths

$$\begin{array}{r}
 \mathbf{6} \quad \mathbf{18} \\
 7 \quad 9 \quad .15 \quad 4 \\
 - 2 \quad 9 \quad .6 \quad 1 \\
 \hline
 \hline
 \mathbf{9} \quad \mathbf{.9} \quad \mathbf{3}
 \end{array}$$

Step 7 10s 1s 10ths 100ths

$$\begin{array}{r}
 \mathbf{6} \quad \mathbf{18} \\
 7 \quad 9 \quad .15 \quad 4 \\
 - 2 \quad 9 \quad .6 \quad 1 \\
 \hline
 \hline
 \mathbf{4} \quad \mathbf{9} \quad \mathbf{.9} \quad \mathbf{3}
 \end{array}$$

Step 1

First, write $79.54 - 24.61$ in the correct **place value columns** of the **10s**, **1s** and **10ths**.

Subtract each column, starting with the **10ths** column.

Step 2

Next, in the **100ths** column, $4 - 1$, equals **3 hundredths (0.03)**.

Write **3** in the **total value** of the **100ths** column.

Step 3

Then, in the **10ths column**, $5 - 6$, you cannot do this as 5 is a **lower value** than 6. **Exchange/regroup 1 one** into **10 tenths** from the **1s** column to the **10ths** column.

Cross out the **9 ones** and write **8 ones** above.

Write the **exchanged/regrouped 1 one** next to the **5 tenths** to make **15 tenths**.

Step 4

Next, in the **10ths** column, $15 - 6$, equals **9 tenths (0.9)**.

Write **9** in the **total value** of the **10ths** column.

Step 5

Then, in the **1s column**, $8 - 9$, you cannot do this as **8** is a **lower value** than 9.

Exchange/regroup 1 ten into **10 ones** from the **10s** column to the **1s** column.

Cross out the **7 tens** and write **6 tens** above.

Write the **exchanged/regrouped 1 ten** next to the **8 ones** to make

18 ones.

Step 6

Next, in the **1s** column, $18 - 9$, equals **9 ones (9)**.

Write **9** in the **total value** of the **1s** column.

Step 7

Lastly, in the **10s** column, $6 - 2$, equals **4 tens (4)**.

Write **4** in the **total value** of the **10s** column.

Difference of $79.54 - 29.61$ is **49.93**.

Column Subtraction with Decimals

Step 1

	<u>1s</u>	<u>10ths</u>	<u>100ths</u>	<u>1000ths</u>
	8	. 5	0	0
-	6	. 4	2	3
	.			

Step 2

	<u>1s</u>	<u>10ths</u>	<u>100ths</u>	<u>1000ths</u>
		4		
	8	. 5	10	0
-	6	. 4	2	3
	.			

Step 3

	<u>1s</u>	<u>10ths</u>	<u>100ths</u>	<u>1000ths</u>
		4	9	
	8	. 5	10	10
-	6	. 4	2	3
	.			

Step 4

	<u>1s</u>	<u>10ths</u>	<u>100ths</u>	<u>1000ths</u>
		4	9	
	8	. 5	10	10
-	6	. 4	2	3
	.			

Step 5

	<u>1s</u>	<u>10ths</u>	<u>100ths</u>	<u>1000ths</u>
		4	9	
	8	. 5	10	10
-	6	. 4	2	3
	.			

Step 6

	<u>1s</u>	<u>10ths</u>	<u>100ths</u>	<u>1000ths</u>
		4	9	
	8	. 5	10	10
-	6	. 4	2	3
	.			

Step 7

	<u>1s</u>	<u>10ths</u>	<u>100ths</u>	<u>1000ths</u>
		4	9	
	8	. 5	10	10
-	6	. 4	2	3
	.			

Step 1

First, write 8.500 - 6.423 in the correct **place value columns** of the **1s**, **10ths**, **100ths** and **1000ths**.

Subtract each column, starting with the **1000ths** column.

Step 2

Then, in the **1000ths** column, $0 - 3$, you cannot do this as 0 is a **lower value** than 3. From the **100ths** column, **exchange/regroup 1 hundredths** from the 0 **hundredths**, you cannot do this as the **value** of the **hundredths** is zero.

Instead, **exchange/regroup 1 tenth** into **10 hundredths** from the **10ths** column to the **100ths** column.

Cross out the 5 **tenths** and write **4 tenths** above.

Write the **exchanged/regrouped 1 tenth** next to the 0 **hundredths** to make **10 hundredths**.

Step 3

Next, **exchange/regroup 1 hundredth** into **10 thousandths** from the **100ths** column to the **1000ths** column.

Cross out the **10 tens** and write **9 tens** above.

Write the **exchanged/regrouped 1 hundredth** next to the 0 **thousandths** to make **10 thousandths**.

Step 4

Next, in the **1000ths** column, $10 - 3$, equals **7 thousandths (0.007)**.

Write **7** in the **total value** of the **1000ths** column.

Step 5

Then, in the **10ths** column, $9 - 2$, equals **7 hundredths (0.07)**.

Write **7** in the **total value** of the **100ths** column.

Step 6

Next, in the **10ths** column, $4 - 4$, equals **0 tenths (0.0)**.

Write **0** in the **total value** of the **10ths** column.

Step 7

Lastly, in the **1s** column, $8 - 6$, equals **2 ones (2)**.

Write **2** in the **total value** of the **1s** column.

Difference of $8.500 - 6.423$ is **2.077**.

Questions

Pages 17

- 1) $95 - 6 =$
- 2) $57 - 8 =$
- 3) $73 - 9 =$
- 4) $65 - 7 =$

Pages 19-20

- 1) $693 - 244 =$
- 2) $568 - 394 =$
- 3) $750 - 653 =$
- 4) $730 - 448 =$

Pages 23-24

- 1) $400 - 93 =$
- 2) $200 - 83 =$
- 3) $700 - 47 =$
- 4) $800 - 52 =$

Pages 27-28

- 1) $3,000 - 2,448 =$
- 2) $4,000 - 2,938 =$
- 3) $7,000 - 4,837 =$
- 4) $5,000 - 3,568 =$

Pages 31-32

- 1) $6.213 - 3.124 =$
- 2) $4.627 - 2.548 =$
- 3) $6.623 - 1.554 =$
- 4) $9.206 - 3.487 =$

Pages 18

- 1) $63 - 49 =$
- 2) $84 - 26 =$
- 3) $57 - 28 =$
- 4) $95 - 46 =$

Pages 21-22

- 1) $606 - 487 =$
- 2) $905 - 635 =$
- 3) $304 - 164 =$
- 4) $508 - 249 =$

Pages 25-26

- 1) $5,713 - 2,244 =$
- 2) $6,268 - 3,394 =$
- 3) $8,450 - 1,653 =$
- 4) $6,405 - 3,635 =$

Pages 29-30

- 1) $71.13 - 42.24 =$
- 2) $86.26 - 53.39 =$
- 3) $98.45 - 71.65 =$
- 4) $69.40 - 38.65 =$

Answers

Pages 17

- 1) 89
- 2) 49
- 3) 64
- 4) 58

Pages 19-20

- 1) 449
- 2) 174
- 3) 97
- 4) 282

Pages 23-24

- 1) 307
- 2) 117
- 3) 653
- 4) 748

Pages 27-28

- 1) 552
- 2) 1,062
- 3) 2,163
- 4) 1,432

Pages 31-32

- 1) 3.089
- 2) 2.079
- 3) 5.069
- 4) 5.719

Pages 18

- 1) 14
- 2) 58
- 3) 29
- 4) 49

Pages 21-22

- 1) 119
- 2) 270
- 3) 140
- 4) 259

Pages 25-26

- 1) 3,469
- 2) 2,874
- 3) 6,797
- 4) 2,770

Pages 29-30

- 1) 28.9
- 2) 32.9
- 3) 26.8
- 4) 30.8

Grid Method 2-digit x 1-digit

Step 1

	<u>10s</u>	<u>1s</u>
x	10	5
3		

Step 2

	<u>10s</u>	<u>1s</u>
x	10	5
3		15

Step 3

	<u>10s</u>	<u>1s</u>
x	10	5
3	30	15

Step 4

$$\begin{array}{r} \quad \quad \quad \underline{\underline{10s}} \quad \underline{\underline{1s}} \\ \quad \quad \quad \color{green}{1} \quad \color{green}{5} \\ + \quad \quad \quad \color{blue}{3} \quad \color{blue}{0} \\ \hline \quad \quad \quad \color{purple}{4} \quad \color{purple}{5} \\ \hline \end{array}$$

Step 1

Partition 15 x 3 and write the **values** in the **grid** correctly.

15 is partitioned into the **digit values** of **10s** and **1s**, 10 + 5.

First, write 10 and 5 in the **horizontal** boxes of the grid and write 3 in the **vertical** box of the grid.

Step 2

Then, multiply the **multiplicand** 5 by 3 the **multiplier**, equals **15 ones** or **1 ten** and **5 ones**.

Write **15** in the **total value** of the **1s** grid column.

Step 3

Next, multiply the **multiplicand** 10 by 3 the **multiplier**, equals **30 ones** or **3 tens**.

Write **30** in the **total value** of the **10s** grid column.

Step 4

Use **Column Addition** to add **altogether** the **total values**, **15 + 30**.

Then, in the **1s** column add **altogether**, **5 + 0**, equals 5 **ones** (**5**).

Write **5** in the **total value** of the **1s** column.

Finally, in the **10s** column add **altogether**, **1 + 3**, equals 4 **tens** (**40**).

Write **4** in the **total value** of the **10s** column.

Product of 15 x 3 is **45**.

Grid Method 3-digit x 1-digit

Step 1

	100s	10s	1s
x	200	50	3
4			

Step 2

	100s	10s	1s
x	200	50	3
4			12

Step 3

	100s	10s	1s
x	200	50	3
4		200	12

Step 4

	100s	10s	1s
x	200	50	3
4	800	200	12

Step 5

	<u>1000s</u>	<u>100s</u>	<u>10s</u>	<u>1s</u>
			1	2
		2	0	0
+		8	0	0
	<hr style="border: 1px solid black;"/>			
	1,	0	1	2
	<hr style="border: 1px solid black;"/>			
	1			

Step 1

Partition 253 x 4 and write the **values** in the **grid** correctly.

253 is partitioned into the **digit values** of **100s**, **10s** and **1s**, $200 + 50 + 3$.

First, write 200, 50 and 3 in the **horizontal** boxes of the grid and write 4 in the **vertical** box of the grid.

Step 2

Then, multiply the **multiplicand** 3 by 4 the **multiplier**, equals **12 ones** or **1 ten** and **2 ones**.

Write **12** in the **total value** of the **1s** grid column.

Step 3

Next, multiply the **multiplicand** 50 by 4 the **multiplier**, equals **200 ones** or **2 hundreds**.

Write **200** in the **total value** of the **10s** grid column.

Step 4

Then, multiply the **multiplicand** 200 by 4 the **multiplier**, equals **800 ones** or **8 hundreds**.

Write **800** in the **total value** of the **100s** grid column.

Step 5

Use **Column Addition** to add **altogether** the **total values**, $12 + 200 + 800$.

Then, in the **1s** column add **altogether**, $2 + 0 + 0$, equals 2 **ones** (**2**).

Write **2** in the **total value** of the **1s** column.

Next, in the **10s** column add **altogether**, $1 + 0 + 0$, equals 1 **ten** (**10**).

Write **1** in the **total value** of the **10s** column.

Then, in the **100s** column add **altogether**, $2 + 8$, equals 10 **hundreds** ($1,000 + 0$).

Write **0** in the **total value** of the **100s** column.

Exchange/regroup the 10 **hundreds** into **1 thousand** from the **100s** column to the **1,000s** column.

Next, in the **1,000s** column add **altogether**, **1**, equals 1 **thousand** (**1,000**).

Write **1** in the **total value** of the **1,000s** column.

Product of 253 x 4 is **1,012**.

Grid Method 4-digit x 1-digit

Step 1

	1,000s	100s	10s	1s
x	3,000	200	40	8
5				

Step 2

	1,000s	100s	10s	1s
x	3,000	200	40	8
5				40

Step 3

	1,000s	100s	10s	1s
x	3,000	200	40	8
5			200	40

Step 4

	1,000s	100s	10s	1s
x	3,000	200	40	8
5		1,000	200	40

Step 5

	1,000s	100s	10s	1s
x	3,000	200	40	8
5	15,000	1,000	200	40

Step 6

	<u>10,000s</u>	<u>1,000s</u>	<u>100s</u>	<u>10s</u>	<u>1s</u>
			4	0	
		2	0	0	
+		1	0	0	0
	1	5	0	0	0
	1	6,	2	4	0

Step 1

Partition 3,248 x 5 and write the **values** in the **grid** correctly.

3,248 is partitioned into the **digit values** of **1,000s, 100s, 10s** and **1s**,

3,000 + 200 + 40 + 8.

First, write 3,000, 200, 40 and 8 in the **horizontal** boxes of the grid and write 5 in the **vertical** box of the grid.

Step 2

Then, multiply the **multiplicand** 8 by 5 the **multiplier**, equals **40 ones** or **4 tens**.
Write **40** in the **total value** of the **1s** grid column.

Step 3

Next, multiply the **multiplicand** 40 by 5 the **multiplier**, equals **200 ones** or **2 hundreds**.

Write **200** in the **total value** of the **10s** grid column.

Step 4

Then, multiply the **multiplicand** 200 by 5 the **multiplier**, equals **1,000 ones** or **1 thousand**.

Write **1,000** in the **total value** of the **100s** grid column.

Step 5

Next, multiply the **multiplicand** 3,000 by 5 the **multiplier**, equals **15,000 ones** or **1 ten thousand** and **5 thousand**.

Write **15,000** in the **total value** of the **1,000s** grid column.

Step 6

Use **Column Addition** to add **altogether** the **total values**, **40 + 200 + 1,000 + 15,000**.

Then, in the **1s** column add **altogether**, **0 + 0 + 0 + 0**, equals **0 ones (0)**.

Write **0** in the **total value** of the **1s** column.

Next, in the **10s** column add **altogether**, **4 + 0 + 0 + 0**, equals **4 tens (40)**.

Write **4** in the **total value** of the **10s** column.

Then, in the **100s** column add **altogether**, **2 + 0 + 0**, equals **2 hundreds (200)**.

Write **2** in the **total value** of the **100s** column.

Next, in the **1,000s** column add **altogether**, **1 + 5**, equals **6 thousands (6,000)**.

Write **6** in the **total value** of the **1,000s** column.

Then, in the **10,000s** column add **altogether**, **1**, equals **1 ten thousand (10,000)**.

Write **1** in the **total value** of the **10,000s** column.

Product of $3,248 \times 5$ is **16,240**.

Grid Method 2-digit x 2-digit

Step 1

	<u>10s</u>	<u>1s</u>
x	20	4
10		
5		

Step 2

	<u>10s</u>	<u>1s</u>
x	20	4
10		
5		20

Step 3

	<u>10s</u>	<u>1s</u>
x	20	4
10		
5	100	20

Step 4

	<u>10s</u>	<u>1s</u>
x	20	4
10		40
5	100	20

Step 5

	<u>10s</u>	<u>1s</u>
x	20	4
10	200	40
5	100	20

Step 6

	<u>100s</u>	<u>10s</u>	<u>1s</u>
		2	0
		4	0
+	1	0	0
	2	0	0
	3	6	0

Step 1

Partition 24×15 and write the **values** in the **grid** correctly.

24 is partitioned into the **digit values** of **10s** and **1s**, $20 + 4$.

15 is partitioned into the **digit values** of **10s** and **1s**, $10 + 5$.

First, write 20 and 4 in the **horizontal** boxes of the grid and write 10 and 5 in the **vertical** boxes of the grid.

Step 2

Then, multiply the **multiplicand** 4 by 5 the **multiplier**, equals **20 ones** or **2 tens**.

Write **20** in the **total value** of the **1s** grid column.

Step 3

Next, multiply the **multiplicand** 20 by 5 the **multiplier**, equals **100 ones** or **1 hundred**.

Write **100** in the **total value** of the **10s** grid column.

Step 4

Then, multiply the **multiplicand** 4 by 10 the **multiplier**, equals **40 ones** or **4 tens**.

Write **40** in the **total value** of the **1s** grid column.

Step 5

Next, multiply the **multiplicand** 20 by 10 the **multiplier**, equals **200 ones** or **2 hundreds**.

Write **200** in the **total value** of the **10s** grid column.

Step 6

Use **Column Addition** to add **altogether** the **total values**, $20 + 40 + 100 + 200$.

Then, in the **1s** column add **altogether**, $0 + 0 + 0 + 0$, equals 0 **ones** (**0**).

Write **0** in the **total value** of the **1s** column.

Next, in the **10s** column add **altogether**, $2 + 4 + 0 + 0$, equals 6 **tens** (**60**).

Write **6** in the **total value** of the **10s** column.

Finally, in the **100s** column add **altogether**, $1 + 2$, equals 3 **hundreds** (**300**).

Write **2** in the **total value** of the **100s** column.

Product of 24×15 is **360**.

Grid Method 3-digit x 2-digit

Step 1

	<u>100s</u>	<u>10s</u>	<u>1s</u>
x	500	20	1
40			
6			

Step 2

	<u>100s</u>	<u>10s</u>	<u>1s</u>
x	500	20	1
40			
6			6

Step 3

	<u>100s</u>	<u>10s</u>	<u>1s</u>
x	500	20	1
40			
6		120	6

Step 4

	<u>100s</u>	<u>10s</u>	<u>1s</u>
x	500	20	1
40			
6	3,000	120	6

Step 5

	<u>100s</u>	<u>10s</u>	<u>1s</u>
x	500	20	1
40			40
6	3,000	120	6

Step 6

	<u>100s</u>	<u>10s</u>	<u>1s</u>
x	500	20	1
40		800	40
6	3,000	120	6

Step 7

	<u>100s</u>	<u>10s</u>	<u>1s</u>
x	500	20	1
40	20,000	800	40
6	3,000	120	6

Step 8

	<u>1000s</u>	<u>100s</u>	<u>10s</u>	<u>1s</u>
				6
			4	0
		1	2	0
		8	0	0
	3	0	0	0
+	2	0	0	0
	2	3,	9	6

Step 1

Partition 521 x 46 and write the **values** in the **grid** correctly.

521 is partitioned into the **digit values** of **100s**, **10s** and **1s**, $500 + 20 + 1$.

46 is partitioned into the **digit values** of **10s** and **1s**, $40 + 6$.

First, write 500, 20 and 1 in the **horizontal** boxes of the grid and write 40 and 6 in the **vertical** boxes of the grid.

Step 2

Then, multiply the **multiplicand** 1 by 6 the **multiplier**, equals **6 ones**.

Write **6** in the **total value** of the **1s** grid column.

Step 3

Next, multiply the **multiplicand** 20 by 6 the **multiplier**, equals **120 ones** or **1 hundred** and **2 tens**. Write **120** in the **total value** of the **10s** grid column.

Step 4

Then, multiply the **multiplicand** 500 by 6 the **multiplier**, equals **3,000 ones** or **3 thousands**. Write **3,000** in the **total value** of the **100s** grid column.

Step 5

Next, multiply the **multiplicand** 1 by 40 the **multiplier**, equals **40 ones** or **4 tens**. Write **40** in the **total value** of the **1s** grid column.

Step 6

Then, multiply the **multiplicand** 20 by 40 the **multiplier**, equals **800 ones** or **8 hundreds**. Write **800** in the **total value** of the **10s** grid column.

Step 7

Next, multiply the **multiplicand** 500 by 40 the **multiplier**, equals **20,000 ones** or **2 ten thousands**. Write **20,000** in the **total value** of the **100s** grid column.

Step 8

Finally, use **Column Addition** to add **altogether** the **values** of, **6** + **40** + **120** + **800** + **3,000** + **20,000**.

Product of 521 x 46 is **23,966**.

2-Digit Ladder Method

Step 1

	<u>100s</u>	<u>10s</u>	<u>1s</u>
		2	9
x			7
<hr/>			
+			
<hr/>			
<hr/>			

Step 2

	<u>100s</u>	<u>10s</u>	<u>1s</u>
		2	9
x			7
<hr/>			
		6	3
+			
<hr/>			
<hr/>			

Step 3

	<u>100s</u>	<u>10s</u>	<u>1s</u>
		2	9
x			7
<hr/>			
		6	3
+	1	4	0
<hr/>			
<hr/>			

Step 4

	<u>100s</u>	<u>10s</u>	<u>1s</u>
		2	9
x			7
<hr/>			
		6	3
+	1	4	0
<hr/>			
	2	0	3
<hr/>			
	1		

Step 1

First, write 29×7 in the correct **place value columns** of the **10s** and **1s**, in a **column** layout and start multiplying in the **lowest term**, the **1s**.

29 represents the **digit values** of the **10s** and **1s**, $20 + 9$.

Step 2

Then, multiply the **multiplicand** 9 by 7 the **multiplier**, equals **63 ones** ($60 + 3$).

Underneath the line in the first horizontal line of working out, write **3** in the **1s** column and write **6** in the **10s** column.

Step 3

Next, multiply the **multiplicand** 20 (2) by 7 the **multiplier**, equals **140 ones** ($100 + 40$).

Underneath the line in the second horizontal line of working out, write **0** in the **1s** column, write **4** in the **10s** column and write **1** in the **100s** column.

Step 4

Finally, use **Column Addition** to add altogether the **total values**, $63 + 140$.

In the **1s** column add **altogether**, $3 + 0$, equals 3 **ones** (**3**).

Write **3** in the **total value** of the **1s** column.

In the **10s** column add **altogether**, $6 + 4$, equals 10 **tens** ($100 + 0$).

Write **0** in the **total value** of the **10s** column.

Exchange/regroup the 10 **tens** into **1 hundred** from the **10s** column to the **100s** column.

In the **100s** column, write **1 hundred** underneath the **total value line**.

In the **100s** column add **altogether**, $1 + 1$, equals 2 **hundreds** (**200**).

Write **2** in the **total value** of the **100s** column.

Product of 29×7 is **203**.

3-Digit Ladder Method

Step 1

	<u>100s</u>	<u>10s</u>	<u>1s</u>
	1	3	8
x			6
<hr/>			
+			
<hr/>			
<hr/>			

Step 2

	<u>100s</u>	<u>10s</u>	<u>1s</u>
	1	3	8
x			6
<hr/>			
		4	8
+			
<hr/>			
<hr/>			

Step 3

	<u>100s</u>	<u>10s</u>	<u>1s</u>
	1	3	8
x			6
<hr/>			
		4	8
	1	8	0
+			
<hr/>			
<hr/>			

Step 4

	<u>100s</u>	<u>10s</u>	<u>1s</u>
	1	3	8
x			6
<hr/>			
		4	8
	1	8	0
+	6	0	0
<hr/>			
<hr/>			

Step 5

	<u>100s</u>	<u>10s</u>	<u>1s</u>
	1	3	8
x			6
<hr/>			
		4	8
	1	8	0
+	6	0	0
<hr/>			
	8	2	8
<hr/>			
	1		

Step 1

First, write 138×6 in the correct **place value columns** of the **100s**, **10s** and **1s**, in a **column** layout and start multiplying in the **lowest term**, the **1s**.

138 represents the **digit values** of the **100s**, **10s** and **1s**, $100 + 30 + 8$.

Step 2

Then, multiply the **multiplicand** 8 by 6 the **multiplier**, equals **48 ones** ($40 + 8$).

Underneath the line in the first horizontal line of working out, write **8** in the **1s** column and write **4** in the **10s** column.

Step 3

Next, multiply the **multiplicand** 30 (3) by 6 the **multiplier**, equals **180 ones** ($100 + 80$).

Underneath the line in the second horizontal line of working out, write **0** in the **1s** column, write **8** in the **10s** column and write **1** in the **100s** column.

Step 4

Then, multiply the **multiplicand** 100 (1) by 6 the **multiplier**, equals **600 ones** (600).

Underneath the line in the third horizontal line of working out, write **0** in the **1s** column, write **0** in the **10s** column and write **6** in the **100s** column.

Step 5

Finally, use **Column Addition** to add altogether the **total values**, $48 + 180 + 600$.

In the **1s** column add **altogether**, $8 + 0 + 0$, equals 8 **ones** (**8**).

Write **8** in the **total value** of the **1s** column.

In the **10s** column add **altogether**, $4 + 8 + 0$, equals 12 **tens** ($100 + 20$).

Write **2** in the **total value** of the **10s** column.

Exchange/regroup the 10 **tens** into **1 hundred** from the **10s** column to the **100s** column.

In the **100s** column, write **1 hundred** underneath the **total value line**.

In the **100s** column add **altogether**, $1 + 6 + 1$, equals 8 **hundreds** (**800**).

Write **8** in the **total value** of the **100s** column.

Product of 138×6 is **828**.

4-Digit Ladder Method

Step 1

	<u>1,000s</u>	<u>100s</u>	<u>10s</u>	<u>1s</u>
	1	8	4	7
x				5

+				

Step 2

	<u>1,000s</u>	<u>100s</u>	<u>10s</u>	<u>1s</u>
	1	8	4	7
x				5
			3	5

+				

Step 3

	<u>1,000s</u>	<u>100s</u>	<u>10s</u>	<u>1s</u>
	1	8	4	7
x				5
			3	5
		2	0	0

+				

Step 4

	<u>1,000s</u>	<u>100s</u>	<u>10s</u>	<u>1s</u>
	1	8	4	7
x				5
			3	5
		2	0	0
	4	0	0	0

+				

Step 5

	<u>1,000s</u>	<u>100s</u>	<u>10s</u>	<u>1s</u>
	1	8	4	7
x				5
			3	5
		2	0	0
	4	0	0	0
+	5	0	0	0

Step 6

	<u>1,000s</u>	<u>100s</u>	<u>10s</u>	<u>1s</u>
	1	8	4	7
x				5
			3	5
		2	0	0
	4	0	0	0
+	5	0	0	0
	9,	2	3	5

Step 1

First, write $1,847 \times 5$ in the correct **place value columns** of the **1,000s**, **100s**, **10s** and **1s**, in a **column** layout and start multiplying in the **lowest term**, the **1s**.

$1,847$ represents the **digit values** of the **1,000s**, **100s**, **10s**, **1s**, $1,000 + 800 + 40 + 7$.

Step 2

Then, multiply the **multiplicand** 7 by 5 the **multiplier**, equals 35 **ones** (**30 + 5**).
Underneath the line in the first horizontal line of working out, write **5** in the **1s** column and write **3** in the **10s** column.

Step 3

Next, multiply the **multiplicand** 40 (4) by 5 the **multiplier**, equals **200 ones** (**200**).
Underneath the line in the second horizontal line of working out, write **0** in the **1s** column, write **0** in the **10s** column and write **2** in the **100s** column.

Step 4

Then, multiply the **multiplicand** 800 (8) by 5 the **multiplier**, equals **4,000 ones** (**4,000**).
Underneath the line in the third horizontal line of working out, write **0** in the **1s** column, write **0** in the **10s** column, write **0** in the **100s** column and write **4** in the **1,000s** column.

Step 5

Next, multiply the **multiplicand** 1,000 (1) by 5 the **multiplier**, equals 5,000 **ones** (**5,000**).
Underneath the line in the fourth horizontal line of working out, write **0** in the **1s** column, write **0** in the **10s** column, write **0** in the **100s** column and write **5** in the **1,000s** column.

Step 6

Finally, use **Column Addition** to add the **total values** of, **35 + 200 + 4,000 + 5,000**.

In the **1s** column add **altogether**, **5 + 0 + 0 + 0**, equals 5 **ones** (**5**).

Write **5** in the **total value** of the **1s** column.

In the **10s** column add **altogether**, **3 + 0 + 0 + 0**, equals 3 **tens** (**30**).

Write **2** in the **total value** of the **10s** column.

In the **100s** column add **altogether**, **2 + 0 + 0**, equals 2 **hundreds** (**200**).

Write **2** in the **total value** of the **100s** column.

In the **1,000s** column add **altogether**, **4 + 5**, equals 9 **thousands** (**9,000**).

Write **9** in the **total value** of the **1,000s** column.

Product of $1,847 \times 5$ is **9,235**.

2-Digit Short Multiplication

Step 1

	<u>100s</u>	<u>10s</u>	<u>1s</u>
		3	9
x			5
<hr/>			
<hr/>			

Step 2

	<u>100s</u>	<u>10s</u>	<u>1s</u>
		3	9
x			5
<hr/>			
			5
<hr/>			
		4	

Step 3

	<u>100s</u>	<u>10s</u>	<u>1s</u>
		3	9
x			5
<hr/>			
		9	5
<hr/>			
	1	4	

Step 4

	<u>100s</u>	<u>10s</u>	<u>1s</u>
		3	9
x			5
<hr/>			
	1	9	5
<hr/>			
	1	4	

Step 1

First, write 39×5 in the correct **place value columns** of the **10s** and **1s**, in a **column** layout and start multiplying in the **lowest term**, the **1s**.

39 the **multiplicand**, represents the **digit values** of the **10s** and **1s**, $30 + 9$.

5 the **multiplier**, represents the **digit values** of the **1s**, 5.

Step 2

Then, multiply the **multiplicand** 9 by 5 the **multiplier**, equals 45 **ones** (**40 + 5**).

Write **5** in the **total value** of the **1s column**.

Exchange/regroup the **40 ones** into **4 tens** from the **1s** column to the **10s** column.

In the **10s** column, write **4 tens** underneath the **total value line** .

Step 3

Next, multiply the **multiplicand** 3 (30) by 5 the **multiplier**, equals 15 **tens** and add the **exchanged/regrouped 4 tens** (40) below, equals 19 **tens** (**100 + 90**).

Write **9** in the **total value** of the **10s column**.

Exchange/regroup the **10 tens** into **1 hundred** from the **10s** column to the **100s** column.

In the **100s** column, write **1 hundred** underneath the **total value line** .

Step 4

Finally, write the regrouped **1** hundred above in the **total value line** of the **100s** column as **1**, as there is no further multiplying.

Product of 39×5 is **195**.

3-Digit Short Multiplication

Step 1

	<u>100s</u>	<u>10s</u>	<u>1s</u>
	1	2	8
x			4
<hr/>			
<hr/>			

Step 2

	<u>100s</u>	<u>10s</u>	<u>1s</u>
	1	2	8
x			4
<hr/>			
			2
<hr/>			
		3	

Step 3

	<u>100s</u>	<u>10s</u>	<u>1s</u>
	1	2	8
x			4
<hr/>			
		1	2
<hr/>			
	1	3	

Step 4

	<u>100s</u>	<u>10s</u>	<u>1s</u>
	1	2	8
x			4
<hr/>			
	5	1	2
<hr/>			
	1	3	

Step 1

First, write 128×4 in the correct **place value columns** of the **100s**, **10s** and **1s**, in a **column** layout and start multiplying in the **lowest term**, the **1s**.

128 the **multiplicand**, represents the **digit values** of the **100s**, **10s** and **1s**,
 $100 + 20 + 8$.

4 the **multiplier**, represents the **digit values** of the **1s**, 4.

Step 2

Then, multiply the **multiplicand** 8 by 4 the **multiplier**, equals 32 **ones** (**30** + **2**).

Write **2** in the **total value** of the **1s column**.

Exchange/regroup the **30 ones** into **3 tens** from the **1s** column to the **10s** column.

In the **10s** column, write **3 tens** underneath the **total value line** .

Step 3

Next, multiply the **multiplicand** 2 (20) by 4 the **multiplier**, equals 8 **tens** and add the **exchanged/regrouped** **3 tens** (30) below, equals **11 tens** (**100** + **10**).

Write **1** in the **total value** of the **10s column**.

Exchange/regroup the **10 tens** into **1 hundred** from the **10s** column to the **100s** column.

In the **100s** column, write **1 hundred** underneath the **total value line** .

Step 4

Finally, multiply the **multiplicand** 1 (100) by 4 the **multiplier**, equals 4 **hundreds** and add the **exchanged/regrouped** **1 hundreds** (1000) below, equals 5 **hundreds** (**500**).

Write **5** in the **total value** of the **100s column**.

Product of 128×4 is **512**.

4-Digit Short Multiplication

Step 1

	<u>1,000s</u>	<u>100s</u>	<u>10s</u>	<u>1s</u>
	2	4	6	8
x				3
<hr/>				
<hr/>				

Step 2

	<u>1,000s</u>	<u>100s</u>	<u>10s</u>	<u>1s</u>
	2	4	6	8
x				3
<hr/>				
				4
<hr/>				
			2	

Step 3

	<u>1,000s</u>	<u>100s</u>	<u>10s</u>	<u>1s</u>
	2	4	6	8
x				3
<hr/>				
			0	4
<hr/>				
		2	2	

Step 4

	<u>1,000s</u>	<u>100s</u>	<u>10s</u>	<u>1s</u>
	2	4	6	8
x				3
<hr/>				
		4	0	4
<hr/>				
	1	2	2	

Step 5

	<u>1,000s</u>	<u>100s</u>	<u>10s</u>	<u>1s</u>
	2	4	6	8
x				3
<hr/>				
	7,	4	0	4
<hr/>				
	1	2	2	

Step 1

First, write $2,468 \times 3$ in the correct **place value columns** of the **1,000s**, **100s**, **10s** and **1s**, in a **column** layout and start multiplying in the **lowest term**, the **1s**.

$2,468$ the **multiplicand**, represents the **digit values** of the **1,000s**, **100s**, **10s** and **1s**, $2,000 + 400 + 60 + 8$. 3 the **multiplier**, represents the **digit values** of the **1s**, 3 .

Step 2

Then, multiply the **multiplicand** 8 by 3 the **multiplier**, equals 24 **ones** ($20 + 4$).

Write 4 in the **total value** of the **1s column**.

Exchange/regroup the 20 **ones** into 2 **tens** from the **1s** column to the **10s** column.

In the **10s** column, write 2 **tens** underneath the **total value line** .

Step 3

Next, multiply the **multiplicand** 6 (60) by 3 the **multiplier**, equals 18 **tens** and add the **exchanged/regrouped** 2 **tens** (20) below, equals 20 **tens** ($200 + 0$).

Write 0 in the **total value** of the **10s** column.

Exchange/regroup the 20 **tens** into 2 **hundred** from the **10s** column to the **100s** column.

In the **100s** column, write 2 **hundred** underneath the **total value line** .

Step 4

Then, multiply the **multiplicand** 4 (400) by 3 the **multiplier**, equals 12 **hundreds** and add the **exchanged/regrouped** 2 **hundreds** (200) below, equals 14 **hundreds** ($1,000 + 400$).

Write 4 in the **total value** of the **100s** column.

Exchange/regroup the 10 **hundreds** into 1 **thousand** from the **100s** column to the **1,000s** column.

In the **1,000s** column, write 1 **thousand** underneath the **total value line** .

Step 5

Finally, multiply the **multiplicand** 2 ($2,000$) by 3 the **multiplier**, equals 6 **thousands** and add the **exchanged/regrouped** 1 **thousand** ($1,000$) below, equals 7 **thousands** ($7,000$).

Write 7 in the **total value** of the **1,000s** column.

Product of $2,468 \times 3$ is $7,404$.

Short Multiplication with Decimals

Step 1

$$\begin{array}{r} \begin{array}{ccc} \underline{10s} & \underline{1s} & \underline{10ths} \\ 1 & 7 & . 3 \\ \times & & 5 \\ \hline & & \cdot \\ \hline \end{array} \end{array}$$

Step 2

$$\begin{array}{r} \begin{array}{ccc} \underline{10s} & \underline{1s} & \underline{10ths} \\ 1 & 7 & . 3 \\ \times & & 5 \\ \hline & & \cdot 5 \\ \hline & & 1 \end{array} \end{array}$$

Step 3

$$\begin{array}{r} \begin{array}{ccc} \underline{10s} & \underline{1s} & \underline{10ths} \\ 1 & 7 & . 3 \\ \times & & 5 \\ \hline & 6 & \cdot 5 \\ \hline 3 & 1 & \end{array} \end{array}$$

Step 4

$$\begin{array}{r} \begin{array}{ccc} \underline{10s} & \underline{1s} & \underline{10ths} \\ 1 & 7 & . 3 \\ \times & & 5 \\ \hline 8 & 6 & \cdot 5 \\ \hline 3 & 1 & \end{array} \end{array}$$

Step 1

First, write 17.3×5 in the correct **place value columns** of the **10s**, **1s** and **10ths**, in a **column decimal** layout and start multiplying in the **lowest term**, the **10ths**.

17.3 the **multiplicand**, represents the **digit values** of the **10s**, **1s** and **10ths**,
 $10 + 7 + 0.3$.

5 the **multiplier**, represents the **digit values** of the **1s**, 5.

Step 2

Then, multiply the **multiplicand** 3 (0.3) by 5 the **multiplier**, equals 15 **tenths** (**1 + 0.5**).

Write **5** in the **total value** of the **10ths** column.

Exchange/regroup the **10 tenths** into **1 one** from the **10ths** column to the **1s** column.

In the **1s** column, write **1 one** underneath the **total value line** .

Step 3

Next, multiply the **multiplicand** 7 by 5 the **multiplier**, equals 35 **ones** and add the **exchanged/regrouped 1 one** below, equals **36 ones** (**30 + 6**).

Write **6** in the **total value** of the **1s** column.

Exchange/regroup the **30 ones** into **3 tens** from the **1s** column to the **100s** column.

In the **10s** column, write **3 tens** underneath the **total value line** .

Step 4

Finally, multiply the **multiplicand** 1 (10) by 5 the **multiplier**, equals 5 **tens** and add the **exchanged/regrouped 3 tens** (30) below, equals 8 **tens** (**80**).

Write **8** in the **total value** of the **10s** column.

Product of 17.3×5 is **86.5**.

Short Multiplication with Decimals

Step 1

	<u>10s</u>	<u>1s</u>	<u>10ths</u>	<u>100ths</u>
	1	6	. 5	9
x				4
			.	

Step 2

	<u>10s</u>	<u>1s</u>	<u>10ths</u>	<u>100ths</u>
	1	6	. 5	9
x				4
			.	6
			3	

Step 3

	<u>10s</u>	<u>1s</u>	<u>10ths</u>	<u>100ths</u>
	1	6	. 5	9
x				4
			.	6
			3	6
	2	3		

Step 4

	<u>10s</u>	<u>1s</u>	<u>10ths</u>	<u>100ths</u>
	1	6	. 5	9
x				4
			.	6
		6	3	6
	2	2	3	

Step 5

	<u>10s</u>	<u>1s</u>	<u>10ths</u>	<u>100ths</u>
	1	6	. 5	9
x				4
	6	6	3	6
	2	2	3	

Step 1

First, write 16.59×4 in the correct **place value columns** of the **10s, 1s, 10ths, 100ths**, in a **column decimal** layout and start multiplying in the **lowest term, 100ths**.

16.59 the **multiplicand**, represents the **digit values** of the **10s, 1s, 10ths** and **100ths**,
 $10 + 6 + 0.5 + 0.09$.

4 the **multiplier**, represents the **digit values** of the **1s**, 4.

Step 2

Then, multiply the **multiplicand** 9 (0.09) by 4 the **multiplier**, equals 36 **hundredths** (**0.3 + 0.06**).

Write **6** in the **total value** of the **100ths column**.

Exchange/regroup the **30 hundredths** into **3 tenths** from the **100ths** column to the **10ths** column.

In the **10ths** column, write **3 tenths** underneath the **total value line** .

Step 3

Next, multiply the **multiplicand** 5 (0.5) by 4 the **multiplier**, equals 20 **tenths** and add the **exchanged/regrouped 3 tenths** below, equals **23 tenths** (**2 + 0.3**).

Write **3** in the **total value** of the **10ths column**.

Exchange/regroup the **20 tenths** into **2 ones** from the **10ths** column to the **1s** column

In the **1s** column, write **2 ones** underneath the **total value line** .

Step 4

Then, multiply the **multiplicand** 6 by 4 the **multiplier**, equals 24 **ones** and add the **exchanged/regrouped 2 ones** below, equals 26 **ones** (**20 + 6**).

Write **6** in the **total value** of the **1s column**.

Exchange/regroup the **20 ones** into **2 tens** from the **1s** column to the **10s** column.

In the **10s** column, write **2 tens** underneath the **total value line** .

Step 5

Finally, multiply the **multiplicand** 1 (10) by 4 the **multiplier**, equals 4 **tens** and add the **exchanged/regrouped 2 tens** (20) below, equals 6 **tens** (**60**).

Write **6** in the **total value** of the **10s column**.

Product of 16.59×4 is **66.36**.

2-Digit Long Multiplication

Step 1

	<u>1,000s</u>	<u>100s</u>	<u>10s</u>	<u>1s</u>
			8	7
x			5	4
+				

Step 2

	<u>1,000s</u>	<u>100s</u>	<u>10s</u>	<u>1s</u>
			8	7
x			5	4
			2	8
+				

Step 3

	<u>1,000s</u>	<u>100s</u>	<u>10s</u>	<u>1s</u>
			8	7
x			5	4
		33	42	8
+				

Step 4

	<u>1,000s</u>	<u>100s</u>	<u>10s</u>	<u>1s</u>
			8	7
x			5	4
		33	42	8
+		3	5	0

Step 5

	<u>1,000s</u>	<u>100s</u>	<u>10s</u>	<u>1s</u>
			8	7
x			5	4
		33	42	8
+	44	33	5	0

Step 6

	<u>1,000s</u>	<u>100s</u>	<u>10s</u>	<u>1s</u>
			8	7
x			5	4
		33	42	8
+	44	33	5	0
	4,	6	9	8

Step 1

First, write 87×54 in the correct **place value columns** of the **10s** and **1s**, in a **column** layout and start multiplying in the **lowest term**, the **1s**.

87 the **multiplicand**, represents the **digit values** of the **10s** and **1s**, $80 + 7$.

54 the **multiplier**, represents the **digit values** of the **10s** and **1s**, $50 + 4$.

Step 2 (First line of working out)

Then, multiply the **multiplicand** 7 by 4 the **multiplier**, equals 28 **ones** (**20 + 8**).

In the first horizontal line of working out, write **8** in the **1s** column.

Exchange/regroup the **20 ones** into **2 tens** from the **1s** column to the **10s** column.

In the **10s** column write a **small 2 tens**.

Step 3 (First line of working out)

Next, multiply the **multiplicand** 8 (80) by 4 the **multiplier**, equals 32 **tens** and add the **exchanged/regrouped small 2 tens** below, equals **34 tens** (**300 + 40**).

In the first horizontal line of working out, write **4 (40)** in the **10s** column, next to the **small 2 tens**.

Regroup the **30 tens** into **3 hundreds** from the **10s** column to the **100s** column.

In the **100s** column write a **small 3 hundreds** and in the same column write **3 (300)**.

Step 4 (Second line of working out)

In the second horizontal line of working out, in the **1s** column write **0** a **place holder**, to represent the **place value** of the **10s** in the **multiplier** 50.

Then, multiply the **multiplicand** 7 by 5 (50) the **multiplier**, equals 35 **tens** (**300 + 50**).

In the second horizontal line of working out, write **5** in the **10s** column.

Exchange/regroup the **30 tens** into **3 hundreds** from the **10s** column to the **100s** column. In the **100s** column write a **small 3 hundreds**.

Step 5 (Second line of working out)

Next, multiply the **multiplicand** 8 (80) by 5 (50) the **multiplier**, equals 40 **hundreds** and add the **exchanged/regrouped small 3 hundreds** below, equals 43 **hundreds** (**4,000 + 300**).

In the second horizontal line of working out, write **3 (300)** in the **100s** column, next to the **small 3 hundreds**.

Exchange/regroup the **40 hundreds** into **4 thousands** from the **100s** column to the **1,000s** column.

In the **1,000s** column write a **small 4 thousands** and in the same column write **4 (4,000)**.

Step 6

Finally, use **Column Addition** to add **altogether** the **values of**, **348 + 4,350**.

Product of 87×54 is **4,698**.

3-Digit Long Multiplication

Step 1

	<u>1,000s</u>	<u>100s</u>	<u>10s</u>	<u>1s</u>
		1	7	5
x			4	3
+				

Step 2

	<u>1,000s</u>	<u>100s</u>	<u>10s</u>	<u>1s</u>
		1	7	5
x			4	3
			1	5
+				

Step 3

	<u>1,000s</u>	<u>100s</u>	<u>10s</u>	<u>1s</u>
		1	7	5
x			4	3
		2	21	5
+				

Step 4

	<u>1,000s</u>	<u>100s</u>	<u>10s</u>	<u>1s</u>
		1	7	5
x			4	3
		52	21	5
+				

Step 5

	<u>1,000s</u>	<u>100s</u>	<u>10s</u>	<u>1s</u>
		1	7	5
x			4	3
		52	21	5
+		2	0	0

Step 6

	<u>1,000s</u>	<u>100s</u>	<u>10s</u>	<u>1s</u>
		1	7	5
x			4	3
		52	21	5
+	3	02	0	0

Step 7

	<u>1,000s</u>	<u>100s</u>	<u>10s</u>	<u>1s</u>
		1	7	5
x			4	3
		52	21	5
+	73	02	0	0

Step 8

	<u>1,000s</u>	<u>100s</u>	<u>10s</u>	<u>1s</u>
		1	7	5
x			4	3
		52	21	5
+	73	02	0	0
	7,	5	2	5

Step 1

First, write 175 x 43 in the correct **place value columns** of the **100s**, **10s** and **1s**, in a **column** layout and start multiplying in the **lowest term**, the **1s**.

175 the **multiplicand**, represents the **digit values** of the **100s**, **10s** and **1s**, 100+70+5.

43 the **multiplier**, represents the **digit values** of the **10s** and **1s**, 40 + 3.

Step 2 (First line of working out)

Then, multiply the **multiplicand** 5 by 3 the **multiplier**, equals 15 **ones** (**10 + 5**).

In the first horizontal line of working out, write **5** in the **1s** column.

Exchange/regroup the **10 ones** into **1 ten** from the **1s** column to the **10s** column.

In the **10s** column write a **small 1 ten**.

Step 3 (First line of working out)

Next, multiply the **multiplicand** 7 (70) by 3 the **multiplier**, equals 21 **tens** and add the **exchanged/regrouped small 1 ten** below, equals **22 tens** (**200 + 20**). In the first horizontal line of working out, write **2 (20)** in the **10s** column, next to the **small 1 ten**.

Exchange/regroup the **20 tens** into **2 hundreds** from the **10s** column to the **100s** column. In the **100s** column write a **small 2 hundreds**.

Step 4 (First line of working out)

Then, multiply the **multiplicand** 1 (100) by 3 the **multiplier**, equals 3 **hundreds** and add the **exchanged/regrouped small 2 tens** below, equals **5 hundreds** (**500**).

In the first horizontal line of working out, write **5 (500)** in the **100s** column, next to the **small 2 tens**.

Step 5 (Second line of working out)

In the second horizontal line of working out, in the **1s** column write **0** a **place holder**, to represent the **place value** of the **10s** in the **multiplier** 40.

Then, multiply the **multiplicand** 5 by 4 (40) the **multiplier**, equals 20 **tens** (**200 + 0**).

In the second horizontal line of working out, write **0** in the **10s** column.

Exchange/regroup the **20 tens** into **2 hundreds** from the **10s** column to the **100s** column. In the **100s** column write a **small 2 hundreds**.

Step 6 (Second line of working out)

Next, multiply the **multiplicand** 7 (70) by 4 (40) the **multiplier**, equals 28 **hundreds** and add the **exchanged/regrouped small 2 hundreds** below, equals 30 **hundreds** (**3,000 + 0**). In the second horizontal line of working out, write **0 (0)** in the **100s** column, next to the **small 2 hundreds**.

Exchange/regroup the **30 hundreds** into **3 thousands** from the **100s** column to the **1,000s** column. In the **1,000s** column write a **small 3 thousands**.

Step 7 Step 8 (Second line of working out)

Then, multiply the **multiplicand** 1 (100) by 4 (40) the **multiplier**, equals 4 **thousands**, add the **exchanged/regrouped small 3 thousands** below, equals 7 **thousands** (**7,000**)

In second horizontal line of working out, write **7 (7,000)** in the **1,000s** column, next to the **small 3 thousands**. Add values of, **525 + 7,000**. Product of 175 x 43 is **7,525**.

Questions

Pages 35-36

- 1) $13 \times 6 =$
- 2) $34 \times 8 =$
- 3) $18 \times 4 =$

Pages 39-40

- 1) $7,340 \times 4 =$
- 2) $6,206 \times 5 =$
- 3) $5,027 \times 8 =$

Pages 43-44

- 1) $590 \times 6 =$
- 2) $206 \times 7 =$
- 3) $452 \times 3 =$

Pages 47-48

- 1) $137 \times 8 =$
- 2) $306 \times 7 =$
- 3) $340 \times 9 =$

Pages 51-52

- 1) $57 \times 5 =$
- 2) $38 \times 4 =$
- 3) $26 \times 8 =$

Pages 55-56

- 1) $4,137 \times 8 =$
- 2) $2,135 \times 7 =$
- 3) $8,257 \times 5 =$

Pages 59-60

- 1) $56.34 \times 18 =$
- 2) $34.93 \times 21 =$
- 3) $63.26 \times 53 =$

Pages 63-64

- 1) $821 \times 35 =$
- 2) $282 \times 57 =$
- 3) $573 \times 49 =$

Pages 37-38

- 1) $330 \times 9 =$
- 2) $137 \times 8 =$
- 3) $257 \times 5 =$

Pages 41-42

- 1) $53 \times 28 =$
- 2) $84 \times 46 =$
- 3) $93 \times 27 =$

Pages 45-46

- 1) $35 \times 6 =$
- 2) $43 \times 8 =$
- 3) $79 \times 3 =$

Pages 49-50

- 1) $4,527 \times 8 =$
- 2) $6,206 \times 7 =$
- 3) $7,340 \times 9 =$

Pages 53-54

- 1) $260 \times 8 =$
- 2) $138 \times 4 =$
- 3) $257 \times 5 =$

Pages 57-58

- 1) $13.9 \times 9 =$
- 2) $30.2 \times 2 =$
- 3) $34.5 \times 6 =$

Pages 61-62

- 1) $73 \times 45 =$
- 2) $62 \times 56 =$
- 3) $78 \times 27 =$

Answers

Pages 35-36

- 1) 78
- 2) 272
- 3) 72

Pages 39-40

- 1) 29,360
- 2) 31,030
- 3) 40,216

Pages 43-44

- 1) 3,540
- 2) 1,442
- 3) 1,356

Pages 47-48

- 1) 1,096
- 2) 2,142
- 3) 3,060

Pages 51-52

- 1) 285
- 2) 152
- 3) 208

Pages 55-56

- 1) 33,096
- 2) 14,945
- 3) 41,285

Pages 59-60

- 1) 1,014.12
- 2) 733.53
- 3) 3,352.78

Pages 63-64

- 1) 28,735
- 2) 16,074
- 3) 28,077

Pages 37-38

- 1) 2,970
- 2) 1,096
- 3) 1,375

Pages 41-42

- 1) 1,484
- 2) 3,864
- 3) 2,511

Pages 45-46

- 1) 210
- 2) 344
- 3) 237

Pages 49-50

- 1) 36,216
- 2) 43,442
- 3) 66,060

Pages 53-54

- 1) 2,080
- 2) 552
- 3) 1,285

Pages 57-58

- 1) 125.1
- 2) 60.4
- 3) 207

Pages 61-62

- 1) 3,285
- 2) 3,472
- 3) 2,106

1-Digit Long Division

Step 1

$$5 \overline{) 864}$$

Step 2

$$\begin{array}{r} 1 \\ 5 \overline{) 864} \\ - 5 \\ \hline 36 \end{array}$$

Step 3

$$\begin{array}{r} 17 \\ 5 \overline{) 864} \\ - 5 \\ \hline 36 \\ - 35 \\ \hline 14 \end{array}$$

Step 4

$$\begin{array}{r} 172 \text{ r}4 \\ 5 \overline{) 864} \\ - 5 \\ \hline 36 \\ - 35 \\ \hline 14 \\ - 10 \\ \hline 4 \end{array}$$

Step 1

First, write $864 \div 5$ using a **formal written method** (Bus Stop Method).

864 the **dividend**, represents the **digit values** of the **100s, 10s** and **1s**, $800 + 60 + 4$.

5 the **divisor**, represents the **digit values** of the **1s**, 5.

Step 2

Then, how many **lots of 5** divide **exactly** into 8? The answer is **1** ($5 \times 1 = 5$).

Write **1** on the **total value line** above the 8.

Write **5** below the 8, draw a line underneath the **5** and a minus symbol.

Calculate the **remainder**, 8 subtract **5**, write **3** underneath the line below the **5**.

Exchange/Regroup the **3** to the next **digit place value** above, 6, write 6 next to the **3**, to make **36**.

Step 3

Next, how many **lots of 5** divide **exactly** into **36**? The answer is **7** ($5 \times 7 = 35$).

Write **7** on the **total value line** above the 6, next to the **1**.

Write **35** below the **36**, draw a line underneath the **35** and a minus symbol.

Calculate the **remainder**, **36** subtract **35**, write **1** underneath the line below the **5**.

Exchange/Regroup the **1** to the next **digit place value** above, 4, write 4 next to the **1**, to make **14**.

Step 4

Finally, how many **lots of 5** divide **exactly** into **14**? The answer is **2** ($5 \times 2 = 10$).

Write **2** on the **total value line** above the 4 next to the **7**.

Write **10** below the **14**, draw a line underneath the **10** and a minus symbol.

Calculate the **remainder**, **14** subtract **10**, write **4** underneath the line below the **0**.

The **remainder 4** cannot be **exchanged/regrouped** to another **digit place value**, so the **remainder 4** is written as **r4** on the **total value line** next to the **2**.

Quotient of $864 \div 5$ is **172 r4**.

1-Digit Long Division

Step 1

$$2 \overline{) 135}$$

Step 2

$$\begin{array}{r} 0 \\ 2 \overline{) 135} \\ - 0 \\ \hline 13 \end{array}$$

Step 3

$$\begin{array}{r} 06 \\ 2 \overline{) 135} \\ - 0 \\ \hline 13 \\ - 12 \\ \hline 15 \end{array}$$

Step 4

$$\begin{array}{r} 067 \text{ r}1 \\ 2 \overline{) 135} \\ - 0 \\ \hline 13 \\ - 12 \\ \hline 15 \\ - 14 \\ \hline 1 \end{array}$$

Step 1

First, write $135 \div 2$ using a **formal written method** (Bus Stop Method).

135 the **dividend**, represents the **digit values** of the **100s**, **10s** and **1s**, $100 + 30 + 5$.

2 the **divisor**, represents the **digit values** of the **1s**, 2.

Step 2

Then, how many **lots of 2** divide **exactly** into 1? The answer is **0** ($2 \times 0 = 0$).

Write **0** on the **total value line** above the 1.

Write **0** below the 1, draw a line underneath the **0** and a minus symbol.

Calculate the **remainder**, 1 subtract **0**, write **1** underneath the line below the **0**.

Exchange/Regroup the **1** to the next **digit place value** above, 3, write 3 next to the **1**, to make **13**.

Step 3

Next, how many **lots of 2** divide **exactly** into **13**? The answer is **6** ($2 \times 6 = 12$).

Write **6** on the **total value line** above the 3, next to the **0**.

Write **12** below the **13**, draw a line underneath the **12** and a minus symbol.

Calculate the **remainder**, **13** subtract **12**, write **1** underneath the line below the **2**.

Exchange/Regroup the **1** to the next **digit place value** above, 5, write 5 next to the **1**, to make **15**.

Step 4

Finally, how many **lots of 2** divide **exactly** into **15**? The answer is **7** ($2 \times 7 = 14$).

Write **7** on the **total value line** above the 5 next to the **6**.

Write **14** below the **15** and draw a line underneath the **14** and a minus symbol.

Calculate the **remainder**, **15** subtract **14**, write **1** underneath the line below the **4**.

The **remainder 1** cannot be **exchanged/regrouped** to another **digit place value**, so the **remainder 1** is written as **r1** on the **total value line** next to the **7**.

Quotient of $135 \div 2$ is **67 r1**.

2-Digit Long Division

Step 1

$$12 \overline{) 9750}$$

Step 2

$$\begin{array}{r} 0 \\ 12 \overline{) 9750} \\ - 0 \\ \hline 97 \end{array}$$

Step 3

$$\begin{array}{r} 08 \\ 12 \overline{) 9750} \\ - 0 \\ \hline 97 \\ - 96 \\ \hline 15 \end{array}$$

Step 4

$$\begin{array}{r} 081 \\ 12 \overline{) 9750} \\ - 0 \\ \hline 97 \\ - 96 \\ \hline 15 \\ - 12 \\ \hline 30 \end{array}$$

Step 5

$$\begin{array}{r} 0812 \text{ r}6 \\ 12 \overline{) 9750} \\ - 0 \\ \hline 97 \\ - 96 \\ \hline 15 \\ - 12 \\ \hline 30 \\ - 24 \\ \hline 6 \end{array}$$

Step 1

First, write $9,750 \div 12$ using a **formal written method** (Bus Stop Method).

9,750 the **dividend**, represents the **digit values** of the **1,000s, 100s, 10s** and **1s**,
 $9,000 + 700 + 50 + 0$.

12 the **divisor**, represents the **digit values** of the **10s** and **1s**, $10 + 2$.

Step 2

Then, how many **lots of 12** divide **exactly** into 9? The answer is **0** ($12 \times 0 = 0$).

Write **0** on the **total value line** above the 9.

Write **0** below the 9, draw a line underneath the **0** and a minus symbol.

Calculate the **remainder**, 9 subtract **0**, write **9** underneath the line below the **0**.

Exchange/Regroup the **9** to the next **digit place value** above, 7, write 7 next to the **9**, to make **97**.

Step 3

Next, how many **lots of 12** divide **exactly** into **97**? The answer is **8** ($12 \times 8 = 96$).

Write **8** on the **total value line** above the 7, next to the **0**.

Write **96** below the **97**, draw a line underneath the **96** and a minus symbol.

Calculate the **remainder**, **97** subtract **96**, write **1** underneath the line below the **6**.

Exchange/Regroup the **1** to the next **digit place value** above, 5, write 5 next to the **1**, to make **15**.

Step 4

Then, how many **lots of 12** divide **exactly** into **15**? The answer is **1** ($12 \times 1 = 12$).

Write **1** on the **total value line** above the 5 next to the **8**.

Write **12** below the **15** and draw a line underneath the **12** and a minus symbol.

Calculate the **remainder**, **15** subtract **12**, write **3** underneath the line below the **2**.

Exchange/Regroup the **3** to the next **digit place value** above, 0, write 0 next to the **3**, to make **30**.

Step 5

Next, how many **lots of 12** divide **exactly** into **30**? The answer is **2** ($12 \times 2 = 24$).

Write **2** on the **total value line** above the 0 next to the **1**.

Write **24** below the **30** and draw a line underneath the **24** and a minus symbol.

Calculate the **remainder**, **30** subtract **24**, write **6** underneath the line below the **4**.

The **remainder 6** cannot be **exchanged/regrouped** to another **digit place value**, so the **remainder 6** is written as **r6** on the **total value line** next to the **2**.

Quotient of $9,750 \div 12$ is **812 r6**.

2-Digit Long Division

Step 1

$$21 \overline{) 4862}$$

Step 2

$$\begin{array}{r} 0 \\ 21 \overline{) 4862} \\ - 0 \\ \hline 48 \end{array}$$

Step 3

$$\begin{array}{r} 0 \quad 2 \\ 21 \overline{) 4862} \\ - 0 \\ \hline 48 \\ - 42 \\ \hline 66 \end{array}$$

Step 4

$$\begin{array}{r} 0 \quad 2 \quad 3 \\ 21 \overline{) 4862} \\ - 0 \\ \hline 48 \\ - 42 \\ \hline 66 \\ - 63 \\ \hline 32 \end{array}$$

Step 5

$$\begin{array}{r} 0 \quad 2 \quad 3 \quad 1 \quad r11 \\ 21 \overline{) 4862} \\ - 0 \\ \hline 48 \\ - 42 \\ \hline 66 \\ - 63 \\ \hline 32 \\ - 21 \\ \hline 11 \end{array}$$

Step 1

First, write $4862 \div 21$ using a **formal written method** (Bus Stop Method).

4862 the **dividend**, represents the **digit values** of the **1,000s, 100s, 10s** and **1s**,
 $4,000 + 800 + 60 + 2$.

21 the **divisor**, represents the **digit values** of the **10s** and **1s**, $20 + 1$.

Step 2

Then, how many **lots of 21** divide **exactly** into 4? The answer is **0** ($21 \times 0 = 0$).

Write **0** on the **total value line** above the 4.

Write **0** below the 4, draw a line underneath the **0** and a minus symbol.

Calculate the **remainder**, 4 subtract **0**, write **4** underneath the line below the **0**.

Exchange/Regroup the **4** to the next **digit place value** above, 8, write 8 next to the **4**, to make **48**.

Step 3

Next, how many **lots of 21** divide **exactly** into **48**? The answer is **2** ($21 \times 2 = 42$).

Write **2** on the **total value line** above the 8, next to the **0**.

Write **42** below the **48**, draw a line underneath the **42** and a minus symbol.

Calculate the **remainder**, **48** subtract **42**, write **6** underneath the line below the **2**.

Exchange/Regroup the **6** to the next **digit place value** above, 6, write 6 next to the **6**, to make **66**.

Step 4

Then, how many **lots of 21** divide **exactly** into **66**? The answer is **3** ($21 \times 3 = 63$).

Write **3** on the **total value line** above the 6 next to the **2**.

Write **63** below the **66** and draw a line underneath the **63** and a minus symbol.

Calculate the **remainder**, **66** subtract **63**, write **3** underneath the line below the **3**.

Exchange/Regroup the **3** to the next **digit place value** above, 0, write 0 next to the **3**, to make **32**.

Step 5

Next, how many **lots of 21** divide **exactly** into **32**? The answer is **1** ($21 \times 1 = 21$).

Write **1** on the **total value line** above the 2 next to the **3**.

Write **21** below the **32** and draw a line underneath the **21** and a minus symbol.

Calculate the **remainder**, **32** subtract **21**, write **11** underneath the line below the **21**.

The **remainder 11** cannot be **exchanged/regrouped** to another **digit place value**, so the **remainder 11** is written as **r11** on the **total value line** next to the **1**.

Quotient of $4,862 \div 21$ is **231 r11**.

1-Digit Short Division

Step 1

$$7 \overline{) 968}$$

Step 2

$$7 \overline{) \overset{1}{9} 268}$$

Step 3

$$7 \overline{) \overset{1}{9} \overset{3}{26} 58}$$

Step 4

$$7 \overline{) \overset{1}{9} \overset{3}{26} \overset{8}{58} r2}$$

Step 1

First, write $968 \div 7$ using a **formal written method** (Bus Stop Method).

968 the **dividend**, represents the **digit values** of the **100s, 10s** and **1s**, $900 + 60 + 8$.

7 the **divisor**, represents the **digit values** of the **1s**, 7.

Step 2

Then, how many **lots of 7** divide **exactly** into 9? The answer is **1** ($7 \times 1 = 7$).

Write **1** on the **total value line** above the 9.

Calculate if there is a **remainder**, 9 subtract **7**, equals **remainder 2**.

Exchange/Regroup the **remainder 2** and write it as a **small 2** next to the next **digit place value**, 6, to make **26**.

Step 3

Next, how many **lots of 7** divide **exactly** into **26**? The answer is **3** ($7 \times 3 = 21$).

Write **3** on the **total value line** above the **26**.

Calculate if there is a **remainder**, 26 subtract **21**, equals **remainder 5**.

Exchange/Regroup the **remainder 5** and write it as a **small 5** next to the next **digit place value**, 8, to make **58**.

Step 4

Finally, how many **lots of 7** divide **exactly** into **58**? The answer is **8** ($7 \times 8 = 56$).

Write **8** on the **total value line** above the **58**.

Calculate if there is a **remainder**, 58 subtract **56**, equals **remainder 2**.

The **remainder 2** cannot be **exchanged/regrouped** to another **digit place value**, so the **remainder 2** is written as **r2** on the **total value line** next to the **8**.

Quotient of $968 \div 7$ is **138 r2**.

1-Digit Short Division

Step 1

$$4 \overline{) 357}$$

Step 2

$$4 \overline{) \overset{0}{3} 57}$$

Step 3

$$4 \overline{) \overset{0}{3} \overset{8}{5} 7}$$

Step 4

$$4 \overline{) \overset{0}{3} \overset{8}{5} \overset{9}{7} r1}$$

Step 1

First, write $357 \div 4$ using a **formal written method** (Bus Stop Method).

357 the **dividend**, represents the **digit values** of the **100s, 10s** and **1s**, $300 + 50 + 7$.

4 the **divisor**, represents the **digit values** of the **1s**, 4.

Step 2

Then, how many **lots of 4** divide **exactly** into 3? The answer is **0** ($4 \times 0 = 0$).

Write **0** on the **total value line** above the 3.

Calculate if there is a **remainder**, 3 subtract **0**, equals **remainder 3**.

Exchange/Regroup the **remainder 3** and write it as a **small 3** next to the next **digit place value**, 5, to make **35**.

Step 3

Next, how many **lots of 4** divide **exactly** into **35**? The answer is **8** ($4 \times 8 = 32$).

Write **8** on the **total value line** above the **35**.

Calculate if there is a **remainder**, 35 subtract **32**, equals **remainder 3**.

Exchange/Regroup the **remainder 3** and write it as a **small 3** next to the next **digit place value**, 7, to make **37**.

Step 4

Finally, how many **lots of 4** divide **exactly** into **37**? The answer is **9** ($4 \times 9 = 36$).

Write **9** on the **total value line** above the **37**.

Calculate if there is a **remainder**, 37 subtract **36**, equals **remainder 1**.

The **remainder 1** cannot be **exchanged/regrouped** to another **digit place value**, so the **remainder 1** is written as **r1** on the **total value line** next to the **9**.

Quotient of $357 \div 4$ is **89 r1**.

2-Digit Short Division

Step 1

$$14 \overline{) 3528}$$

Step 2

$$14 \overline{) \overset{0}{3}528}$$

Step 3

$$14 \overline{) \overset{0}{3} \overset{2}{5}728}$$

Step 4

$$14 \overline{) \overset{0}{3} \overset{2}{5} \overset{5}{7}2 \overset{2}{8}}$$

Step 5

$$14 \overline{) \overset{0}{3} \overset{2}{5} \overset{5}{7} \overset{2}{2}8}$$

Step 1

First, write $3,528 \div 14$ using a **formal written method** (Bus Stop Method).

3,528 the **dividend**, represents the **digit values** of the **1,000s, 100s, 10s** and **1s**,
 $3,000 + 500 + 20 + 8$.

14 the **divisor**, represents the **digit values** of the **10s** and **1s**, $10 + 4$.

Step 2

Then, how many **lots of 14** divide **exactly** into 3? The answer is **0** ($14 \times 0 = 0$).

Write **0** on the **total value line** above the 3.

Calculate if there is a **remainder**, 3 subtract **0**, equals **remainder 3**.

Exchange/Regroup the **remainder 3** and write it as a **small 3** next to the next **digit place value**, 5, to make **35**.

Step 3

Next, how many **lots of 14** divide **exactly** into **35**? The answer is **2** ($14 \times 2 = 28$).

Write **2** on the **total value line** above the **35**.

Calculate if there is a **remainder**, 35 subtract **28**, equals **remainder 7**.

Exchange/Regroup the **remainder 7** and write it as a **small 7** next to the next **digit place value**, 2, to make **72**.

Step 4

Then, how many **lots of 14** divide **exactly** into **72**? The answer is **5** ($14 \times 5 = 70$).

Write **5** on the **total value line** above the **72**.

Calculate if there is a **remainder**, 72 subtract **70**, equals **remainder 2**.

Exchange/Regroup the **remainder 2** and write it as a **small 2** next to the next **digit place value**, 8, to make **28**.

Step 5

Finally, how many **lots of 14** divide **exactly** into **28**? The answer is **2** ($14 \times 2 = 28$).

Write **2** on the **total value line** above the **28**.

Calculate if there is a **remainder**, 28 subtract **28**, equals **remainder 0**.

There is no **exchanging/regrouping** as the **remainder** is **0**.

Quotient of $3,528 \div 14$ is **252**.

2-Digit Short Division

Step 1

$$25 \overline{) 8356}$$

Step 2

$$25 \overline{) \overset{0}{8}356}$$

Step 3

$$25 \overline{) \overset{0}{8} \overset{3}{3}56}$$

Step 4

$$25 \overline{) \overset{0}{8} \overset{3}{3} \overset{3}{5} \overset{10}{6}}$$

Step 5

$$25 \overline{) \overset{0}{8} \overset{3}{3} \overset{3}{5} \overset{4}{10} \overset{6}{6}} \text{ r}6$$

Step 1

First, write $8,356 \div 25$ using a **formal written method** (Bus Stop Method).

8,356 the **dividend**, represents the **digit values** of the **1,000s, 100s, 10s** and **1s**,
 $8,000 + 300 + 50 + 6$.

25 the **divisor**, represents the **digit values** of the **10s** and **1s**, $20 + 5$.

Step 2

Then, how many **lots of 25** divide **exactly** into 8? The answer is **0** ($25 \times 0 = 0$).

Write **0** on the **total value line** above the 8.

Calculate if there is a **remainder**, 8 subtract **0**, equals **remainder 8**.

Exchange/Regroup the **remainder 8** and write it as a **small 8** next to the next **digit place value**, 3, to make **83**.

Step 3

Next, how many **lots of 25** divide **exactly** into **83**? The answer is **3** ($25 \times 3 = 75$).

Write **3** on the **total value line** above the **83**.

Calculate if there is a **remainder**, 83 subtract **75**, equals **remainder 8**.

Exchange/Regroup the **remainder 8** and write it as a **small 8** next to the next **digit place value**, 5, to make **85**.

Step 4

Then, how many **lots of 25** divide **exactly** into **85**? The answer is **3** ($25 \times 3 = 75$).

Write **3** on the **total value line** above the **85**.

Calculate if there is a **remainder**, 85 subtract **75**, equals **remainder 10**.

Exchange/Regroup the **remainder 10** and write it as a **small 10** next to the next **digit place value**, 6, to make **106**.

Step 5

Finally, how many **lots of 25** divide **exactly** into **106**? The answer is **4** ($25 \times 4 = 100$).

Write **4** on the **total value line** above the **106**.

Calculate if there is a **remainder**, 106 subtract **100**, equals **remainder 6**.

The **remainder 6** cannot be **exchanged/regrouped** to another **digit place value**, so the **remainder 6** is written as **r6** on the **total value line** next to the **4**.

Quotient of $8,356 \div 253$, is **334 r6**.

Short Division with decimals

Step 1

$$4 \overline{) 526}$$

Step 2

$$4 \overline{) \overset{1}{5} 26}$$

Step 3

$$4 \overline{) \overset{1}{5} \overset{3}{2} \overset{1}{6} . 0}$$

Step 4

$$4 \overline{) \overset{1}{5} \overset{7}{2} \overset{1}{6} . \overset{5}{0}}$$

Step 1

First, write $526 \div 4$ using a **formal written method** (Bus Stop Method).

526 the **dividend**, represents the **digit values** of the **100s, 10s** and **1s**,
 $500 + 20 + 6$.

4 the **divisor**, represents the **digit values** of the **1s**, 4.

Step 2

Then, how many **lots of 4** divide **exactly** into 5? The answer is **1** ($4 \times 1 = 4$).

Write **1** on the **total value line** above the 5.

Calculate if there is a **remainder**, 5 subtract **4**, equals **remainder 1**.

Exchange/Regroup the **remainder 1** and write it as a **small 1** next to the next **digit place value**, 2, to make **12**.

Step 3

Next, how many **lots of 4** divide **exactly** into **12**? The answer is **3** ($4 \times 3 = 12$).

Write **3** on the **total value line** above the **12**.

Calculate if there is a **remainder**, 12 subtract **12**, equals **remainder 0**.

There is no **exchanging/regrouping** as the **remainder** is **0**.

Step 4

Then, how many **lots of 4** divide **exactly** into 6? The answer is **1** ($4 \times 1 = 4$).

Write **1** on the **total value line** above the 6.

Calculate if there is a **remainder**, 6 subtract **4**, equals **remainder 2**.

The next **digit place value** is the **tenths**, next to the 6 write a **decimal point** and a 0 to represent the **tenths**, write a **decimal point** above next to the **1**.

Exchange/Regroup the **remainder 2** and write it as a **small 2** next to the next **digit place value**, 0, to make **20**.

Step 5

Finally, how many **lots of 4** divide **exactly** into **20**? The answer is **5** ($4 \times 5 = 20$).

Write **5** on the **total value line** above the **20**.

Calculate if there is a **remainder**, 20 subtract **20**, equals **remainder 0**.

There is no **exchanging/regrouping** as the **remainder** is **0**.

Quotient of $526 \div 4$, is **171.5**.

Short Division with decimals

Step 1

$$18 \overline{) 349}$$

Step 2

$$18 \overline{) \overset{0}{3} 49}$$

Step 3

$$18 \overline{) \overset{0}{3} \overset{1}{3} 49}$$

Step 4

$$18 \overline{) \overset{0}{3} \overset{1}{3} \overset{9}{16} 9 \overset{.}{7} 0}$$

Step 5

$$18 \overline{) \overset{0}{3} \overset{1}{3} \overset{9}{16} \overset{.}{9} \overset{3}{7} 0 \overset{16}{0}}$$

Step 6

$$18 \overline{) \overset{0}{3} \overset{1}{3} \overset{9}{16} \overset{.}{9} \overset{3}{7} \overset{8}{0} \overset{16}{0}}$$

Step 1

First, write $349 \div 18$ using a **formal written method** (Bus Stop Method).

349 the **dividend**, represents the **digit values** of the **100s**, **10s** and **1s**,
 $300 + 40 + 9$.

18 the **divisor**, represents the **digit values** of the **10s** and **1s**, $10 + 8$.

Step 2

Then, how many **lots of 18** divide **exactly** into 3? The answer is **0** ($18 \times 0 = 0$).

Write **0** on the **total value line** above the 3.

Calculate if there is a **remainder**, 3 subtract **0**, equals **remainder 3**.

Exchange/Regroup the **remainder 3** and write it as a **small 3** next to the next **digit place value**, 4, to make **34**.

Step 3

Next, how many **lots of 18** divide **exactly** into **34**? The answer is **1** ($18 \times 1 = 18$).

Write **1** on the **total value line** above the **34**.

Calculate if there is a **remainder**, **34** subtract **18**, equals **remainder 16**.

Exchange/Regroup the **remainder 16** and write it as a **small 16** next to the next **digit place value**, 9, to make **169**.

Step 4

Then, how many **lots of 18** divide **exactly** into **169**? The answer is **9** ($18 \times 9 = 162$).

Write **9** on the **total value line** above the **169**.

Calculate if there is a **remainder**, **169** subtract **162**, equals **remainder 7**.

The next **digit place value** is the **tenths**, next to the **169** write a **decimal point** and a 0 to represent the **tenths**, write a **decimal point** above next to the **9**.

Exchange/Regroup the **remainder 7** and write it as a **small 7** next to the next **digit place value**, 0, to make **70**.

Step 5

Next, how many **lots of 18** divide **exactly** into **70**? The answer is **3** ($18 \times 3 = 54$).

Write **3** on the **total value line** above the **70**.

Calculate if there is a **remainder**, **70** subtract **54**, equals **remainder 16**.

The next **digit place value** is the **hundredths**, next to the **70** write a **decimal point** and a 0 to represent the **hundredths**, write a **decimal point** above next to the **3**.

Exchange/Regroup the **remainder 16** and write it as a **small 16** next to the next **digit place value**, 0, to make **160**.

Step 6

Finally, how many **lots of 18** divide **exactly** into **160**? The answer is **8** ($18 \times 8 = 144$).

Write **8** on the **total value line** above the **160**.

Calculate if there is a **remainder**, **160** subtract **144**, equals **remainder 16**.

Stop dividing, as you only need to learn how to divide up to **two decimal places**.

Quotient of $349 \div 18$, is **19.38**.

Questions

Pages 67-68

- 1) $731 \div 3 =$
- 2) $974 \div 4 =$
- 3) $862 \div 5 =$
- 4) $513 \div 2 =$

Pages 71-72

- 1) $6,326 \div 12 =$
- 2) $6,927 \div 13 =$
- 3) $4,852 \div 14 =$
- 4) $9,130 \div 15 =$

Pages 75-76

- 1) $913 \div 4 =$
- 2) $626 \div 5 =$
- 3) $845 \div 6 =$
- 4) $427 \div 4 =$

Pages 79-80

- 1) $2,685 \div 18 =$
- 2) $6,405 \div 17 =$
- 3) $8,450 \div 16 =$
- 4) $6,268 \div 15 =$

Pages 83-84

- 1) $821 \div 2 =$
- 2) $295 \div 2 =$
- 3) $574 \div 4 =$
- 4) $563 \div 5 =$

Pages 69-70

- 1) $452 \div 6 =$
- 2) $405 \div 7 =$
- 3) $268 \div 8 =$
- 4) $135 \div 4 =$

Pages 73-74

- 1) $6,261 \div 22 =$
- 2) $8,458 \div 24 =$
- 3) $6,405 \div 25 =$
- 4) $7,680 \div 26 =$

Pages 77-78

- 1) $139 \div 6 =$
- 2) $452 \div 7 =$
- 3) $304 \div 5 =$
- 4) $260 \div 5 =$

Pages 81-82

- 1) $8,137 \div 23 =$
- 2) $4,279 \div 24 =$
- 3) $9,260 \div 25 =$
- 4) $4,206 \div 26 =$

Pages 85-86

- 1) $632 \div 12 =$
- 2) $592 \div 13 =$
- 3) $485 \div 14 =$
- 4) $349 \div 13 =$

Answers

Pages 67-68

- 1) 263 r2
- 2) 243 r2
- 3) 172 r2
- 4) 256 r1

Pages 71-72

- 1) 527 r2
- 2) 532 r11
- 3) 346 r8
- 4) 608 r10

Pages 75-76

- 1) 228 r1
- 2) 125 r1
- 3) 140 r5
- 4) 106 r3

Pages 79-80

- 1) 149 r3
- 2) 376 r13
- 3) 528 r2
- 4) 417 r13

Pages 83-84

- 1) 410.5
- 2) 147.5
- 3) 142.5
- 4) 112.6

Pages 69-70

- 1) 75 r2
- 2) 57 r6
- 3) 33 r4
- 4) 33 r3

Pages 73-74

- 1) 285 r1
- 2) 352 r10
- 3) 256 r5
- 4) 295 r10

Pages 77-78

- 1) 23 r1
- 2) 64 r4
- 3) 60 r4
- 4) 52 r3

Pages 81-82

- 1) 353 r18
- 2) 178 r7
- 3) 37 r10
- 4) 161 r20

Pages 85-86

- 1) 52.66
- 2) 45.53
- 3) 34.64
- 4) 26.84

Glossary

Column is a vertical arrangement for example, in a table the cells arranged vertically.

Difference is one way of thinking about subtraction and can, in some circumstances, be a more helpful image for subtraction than 'takeaway' – e.g. $102 - 98$

Decimal relates to decimal fractions where the number of tenths, hundredth, thousandths, etc. are represented as digits following a decimal point. The decimal point is placed at the right of the ones column. Each column after the decimal point is a decimal place.

Digit is one of the symbols of a number system most commonly the symbols 0, 1, 2, 3, 4, 5, 6, 7, 8 and 9. Examples: the number 29 is a 2-digit number; there are three digits in 2.95. The position or place of a digit in a number conveys its value.

Dividend in division, is the number that is divided. E.g. in $15 \div 3$, 15 is the dividend.

Divisor is the number by which another is divided. e.g. In the calculation $30 \div 6 = 5$, the divisor is 6. In this example, 30 is the dividend and 5 is the quotient.

Equals is the symbol: =, read as 'is equal to' or 'equals'. and meaning 'having the same value as'. e.g. $7 - 2 = 4 + 1$ since both expressions, $7 - 2$ and $4 + 1$ have the same value, 5.

Formal Written Method is the way of setting out working in columnar form. In addition and subtraction, the formal written methods can be referred to as expanded and column addition and/or subtraction. In multiplication, the formal written methods are called short or long multiplication depending on the size of the numbers involved. Similarly in division the formal written methods are called short or long division.

Glossary

Grid a lattice created with two sets of parallel lines. Lines in each set are usually equally spaced. If the sets of lines are at right angles and lines in both sets are equally spaced, a square grid is created.

Multiplicand is a number to be multiplied by another. e.g. in 6×4 , 4 is the multiplier as it is how many lots/groups of 6.

Multiplier is a number to be multiplied by another. e.g. in 5×3 , 5 is the multiplicand as it is the number to be multiplied by 3.

Partition 1) To separate a set into subsets. 2) To split a number into component parts. e.g. the two-digit number 38 can be partitioned into $30 + 8$ or $19 + 19$. 3) A model of division. e.g. $21 \div 7$ is treated as 'how many sevens in 21?'

Place Holder In decimal notation, the zero numeral is used as a place holder to denote the absence of a power of 10.

Place Value Column is the value of a digit that relates to its position or place in a number within a column.

Place Value is the value of a digit that relates to its position or place in a number. e.g. in 1482 the digits represent 1 thousand, 4 hundred, 8 tens and 2 ones respectively; in 12.34 the digits represent 1 ten, 2 ones, 3 tenths and 4 hundredths respectively.

Product is the result of multiplying one number by another. e.g. The product of 2 and 3 is 6 since $2 \times 3 = 6$.

Glossary

Quotient is the result of a division. e.g. $46 \div 3 = 15\frac{1}{3}$ and $15\frac{1}{3}$ is the quotient of 46 by 3. Where the operation of division is applied to the set of integers, and the result expressed in integers, for example $46 \div 3 = 15$ remainder 1 then 15 is the quotient of 46 by 3 and 1 is the remainder.

Regrouping is to change a number for another of equal value. The process of regrouping is used in some standard compact methods of calculation. e.g.: 'carrying figures/exchanging' in addition, multiplication or division; and 'decomposition' in subtraction.

Remainder in the context of division requiring a whole number answer (quotient), the amount remaining after the operation. e.g. 29 divided by 7 = 4 remainder 1.

Sum is the result of one or more additions.

Total Value is the sum to a calculation.

Zero in a place value system, a place-holder. e.g. 105